A first modeling of globular clusters in fuzzy dark matter universe: In-situ population of Milky Way-like galaxies

Boldrini, Di Matteo, et al.+25, in prep. ; Szpilfidel, Boldrini, Bovy, Di Matteo.+25, in prep.

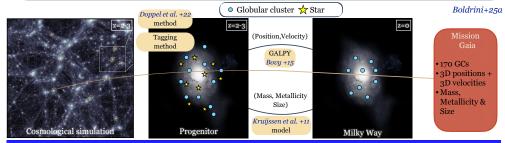
Pierre Boldrini CNES postdoc LIRA, Observatoire de Paris pierre.boldrini@obspm.fr

## Constraining the nature of dark matter with Gaia and Euclid



Half a million extragalactic GCs within 100 Mpc in 10 000

Our post-processing GC model

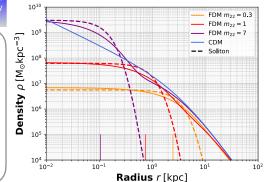


existing cosmological simulations (TNG50) and orbital integration (GALPY) to study the hierarchical assembly o

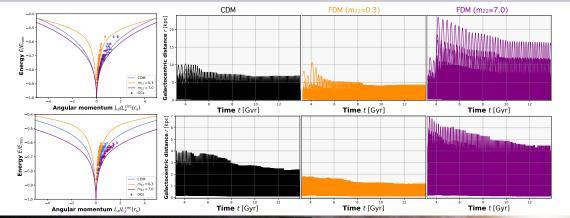
## Modeling fuzzy dark matter galactic dynamics

Gaia Collaboration+18,+21, Vasiliev & Baumgardt+21

- ◆ A difference in the density profile of DM halos (core instead of cusp)
- -> Approximation of soliton + NFW profiles
- A substantial modification of dynamical friction due to the wave-like nature of FDM and its intrinsic density fluctuations
- -> Dynamical friction is inefficient over our timescale (11 Gyr) as the mass ratio between MW enclosed mass and in-situ GC masses is large
- A significantly reduced population of low-mass subhalos
- -> Neglected as we assume the halo and stellar mass evolution predicted by TNG50 (CDM).

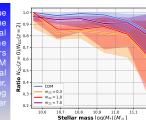


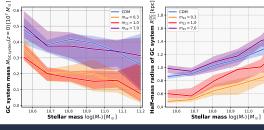
GC INITIAL CONDITIONS: globular cluster population distributed uniformly in terms of relative gravitational binding energy (E/E<sub>min</sub>) and orbita



## **Key results**





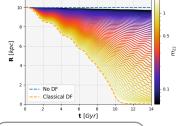


## **Future works**

Fuzzy-dark-matter dynamical friction

• Ex-situ GC population by taking into account FDM dynamical friction

Szpilfidel, in prep



class galpy.potential.FDMDynamicalFrictionForce(amp=1.0, GMs=0.1, gamma=1.0, rhm=0.0, m=1e-99. dens=None, sigmar=None, const lnLambda=False, const FDMfactor=False, minr=0.0001 maxr=25.0, nr=501, ro=None, vo=None)

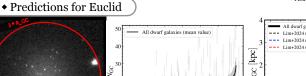
Implements the fuzzy dark matter (FDM) dynamical friction force

The force is given by

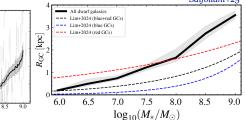
$$ec{ec{r}}_{ ext{FDM}} = -rac{4\pi \mathcal{G}^2 M_{ ext{obj}}^2 
ho}{v^3} C_{ ext{FDM}}(kr) ec{v}$$

where the coefficient  $C_{ ext{FDM}}(kr)$  depends on  $kr=rac{mvr}{\hbar}$  and is given by

 $C_{ ext{FDM}}(kr) = ext{Cin}(2kr) + rac{\sin(2kr)}{r}$ 



 $\log_{10}(M_*/M_\odot)$ 



2 key metrics for Euclid: GC number and GC half-number radius