

# Particle Acceleration in Relativistic Magnetic Reconnection

Lorenzo Sironi (Columbia)

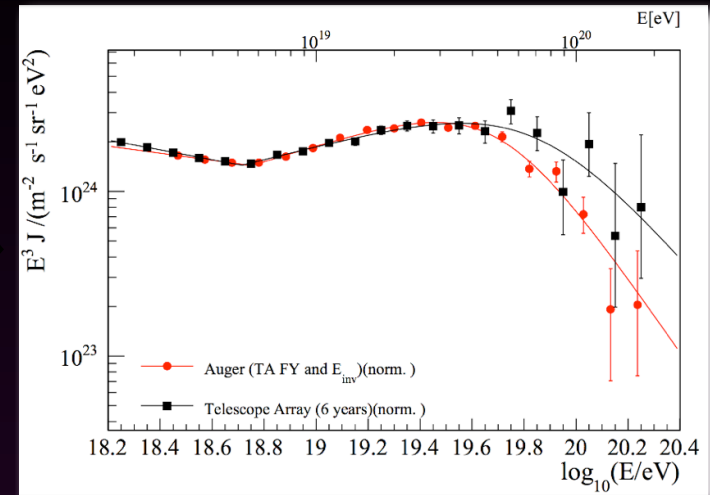
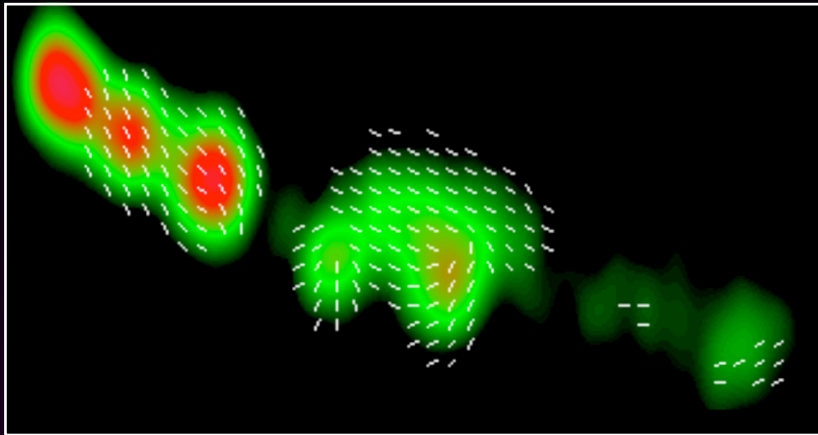
Workshop “Beyond a PeV”, IAP, September 14<sup>th</sup> 2016

with: Giannios, Komissarov, Lyutikov, Petropoulou, Porth, Spitkovsky

# Outline

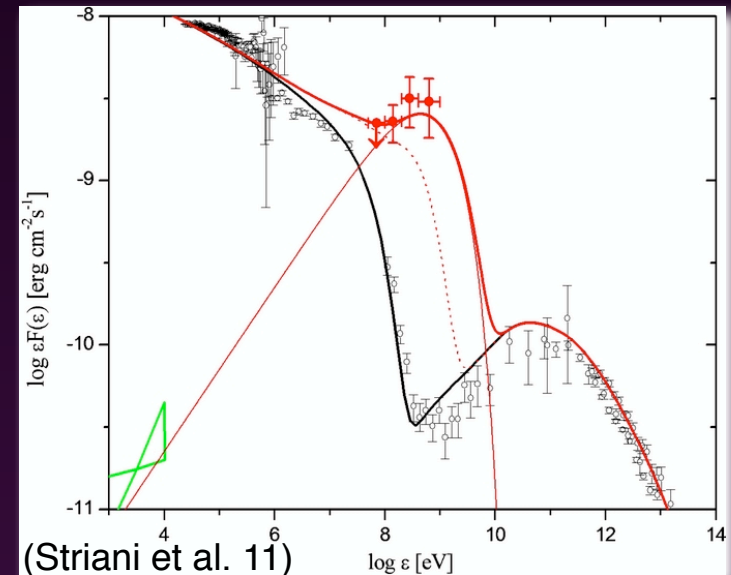
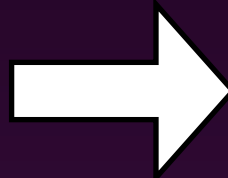
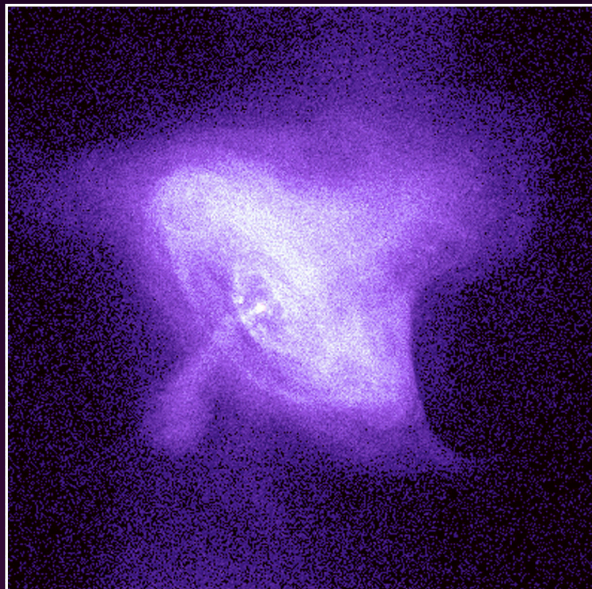
- Well beyond a PeV:

UHECRs from magnetic reconnection events in blazars.

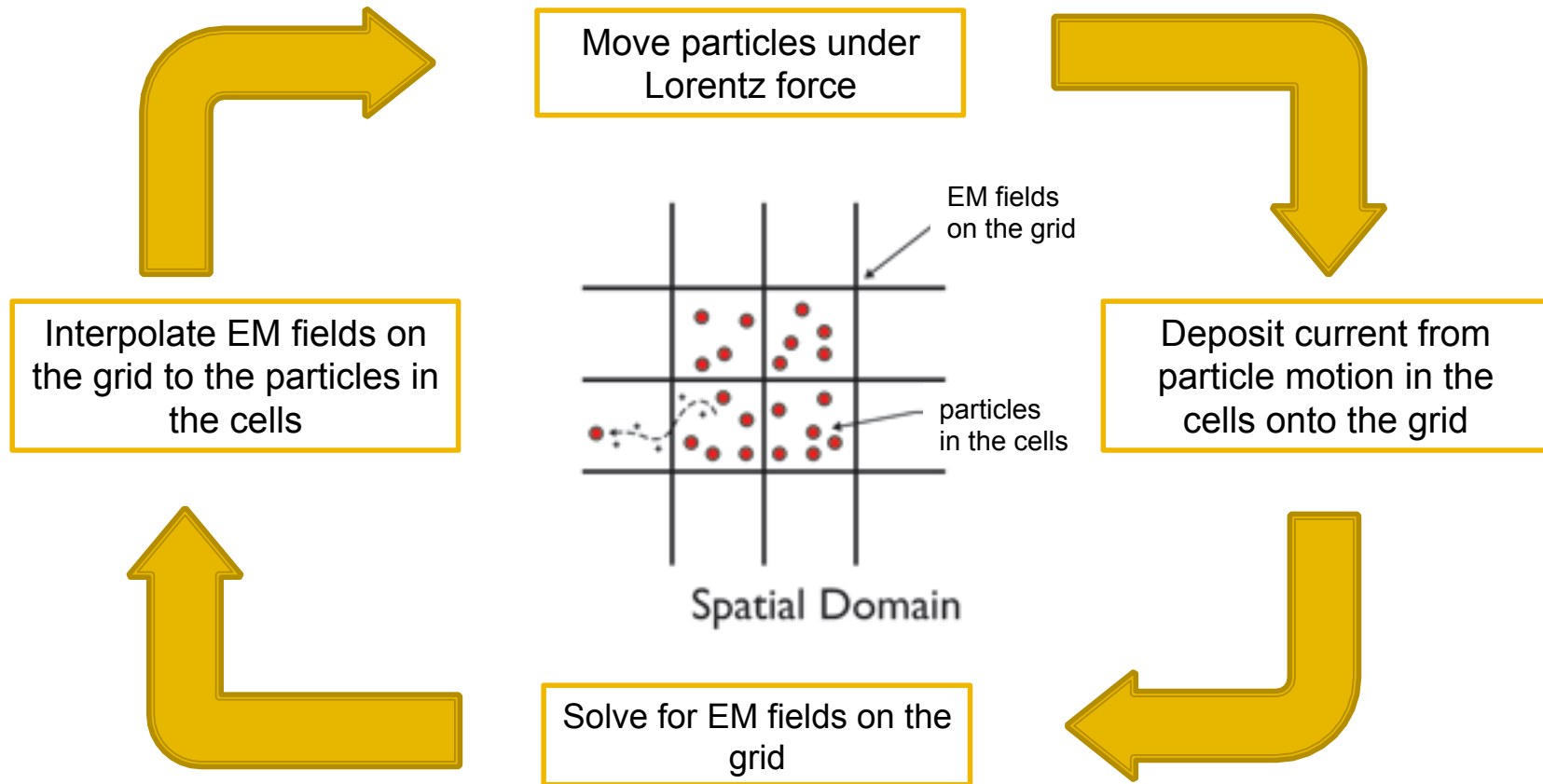


- Slightly above a PeV:

Explosive reconnection in PWNe and the Crab Nebula gamma-ray flares.



# The PIC method



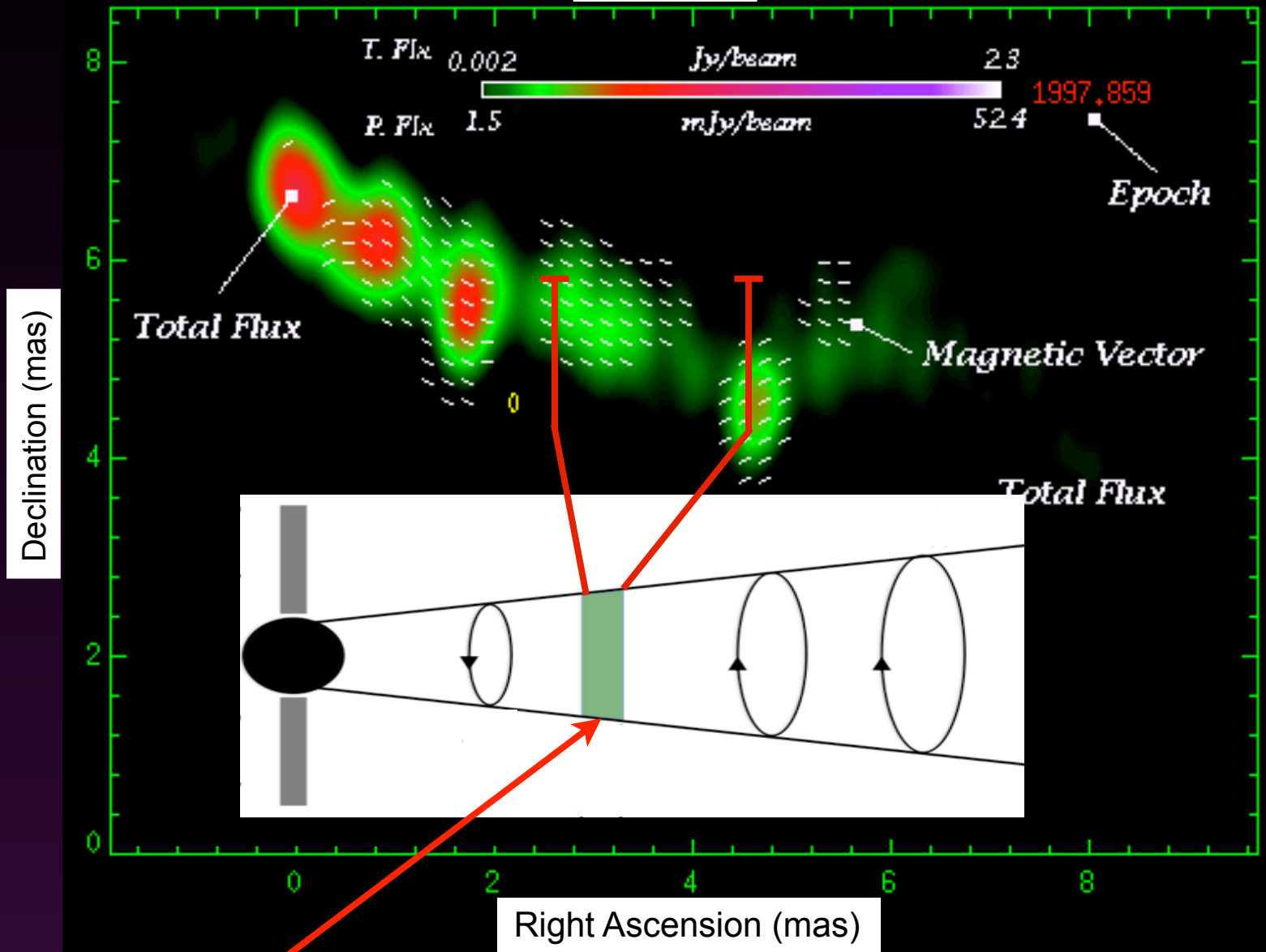
😊 No approximations, full plasma physics of **ions** and **electrons**

😞 Tiny length-scales ( $c/\omega_p$ ) and time-scales ( $\omega_p^{-1}$ ) need to be resolved:  $\omega_p = \sqrt{\frac{4\pi n e^2}{m}}$   
→ huge simulations, limited time coverage

• Relativistic 3D e.m. PIC code TRISTAN-MP (Buneman 93, Spitkovsky 05, LS+ 13,14)

# Internal dissipation in blazar jets

3C 120

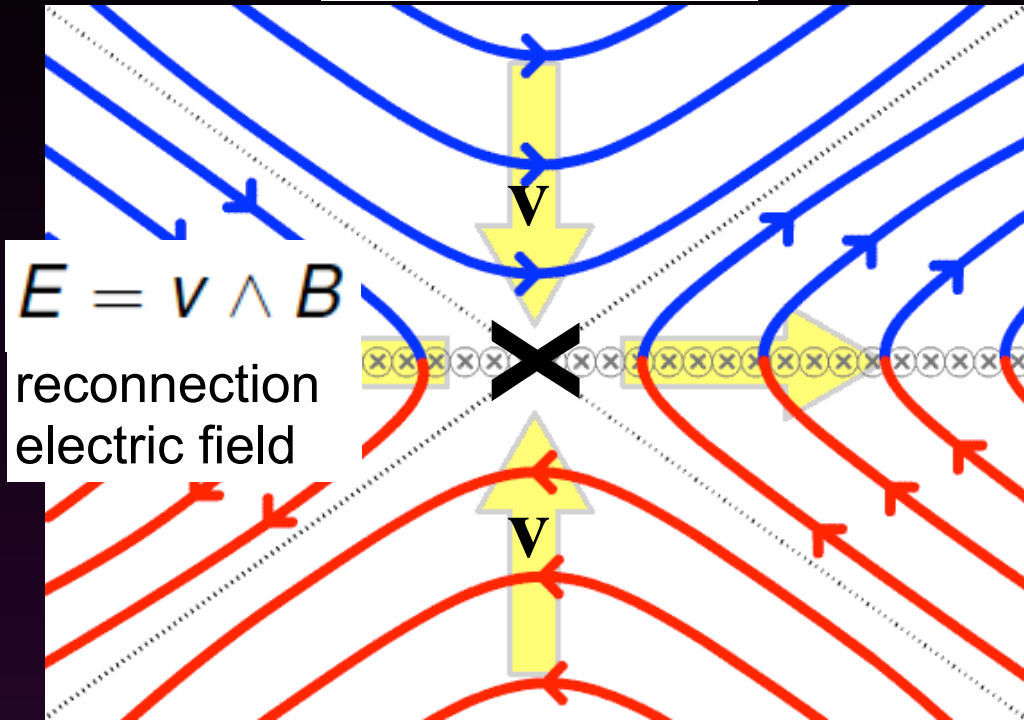


Internal dissipation: magnetic reconnection?

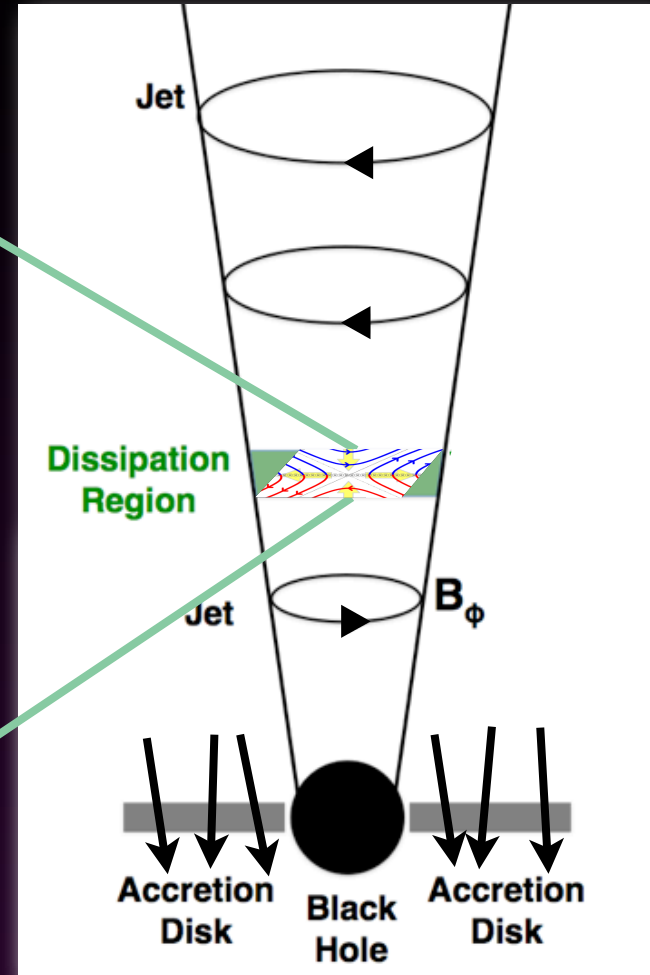


# Relativistic magnetic reconnection

reconnecting field



reconnecting field



Relativistic Reconnection

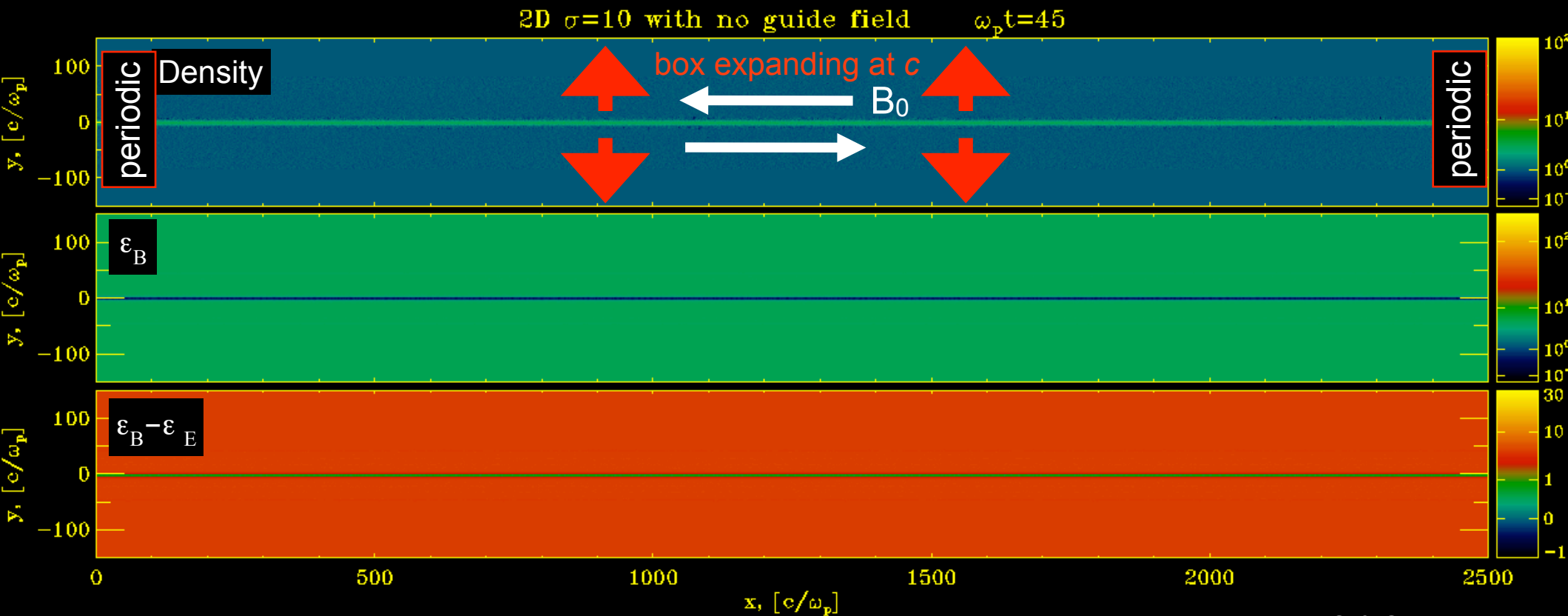
$$\sigma = \frac{B_0^2}{4\pi n_0 m_p c^2} \gg 1 \quad v_A \sim c$$

What is the **long-term** evolution of relativistic magnetic reconnection?

# Dynamics and particle spectrum

# Hierarchical reconnection

2D PIC simulation of  $\sigma=10$  electron-positron reconnection

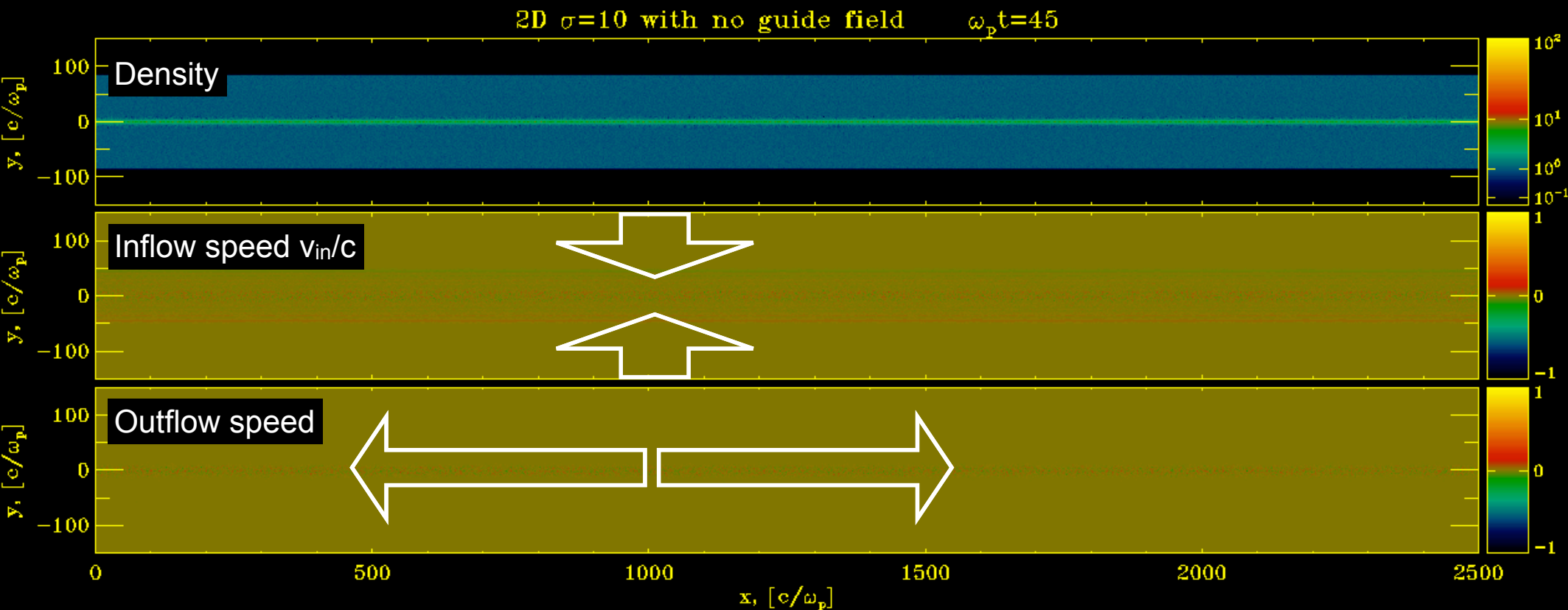


(LS & Spitkovsky 14)

- The current sheet breaks into a series of secondary islands (e.g., Loureiro+ 07, Bhattacharjee+ 09, Uzdensky+ 10, Huang & Bhattacharjee 12, Takamoto 13).
- The field energy is transferred to the particles at the X-points, in between the magnetic islands.
- Localized regions exist at the X-points where  $E > B$ .

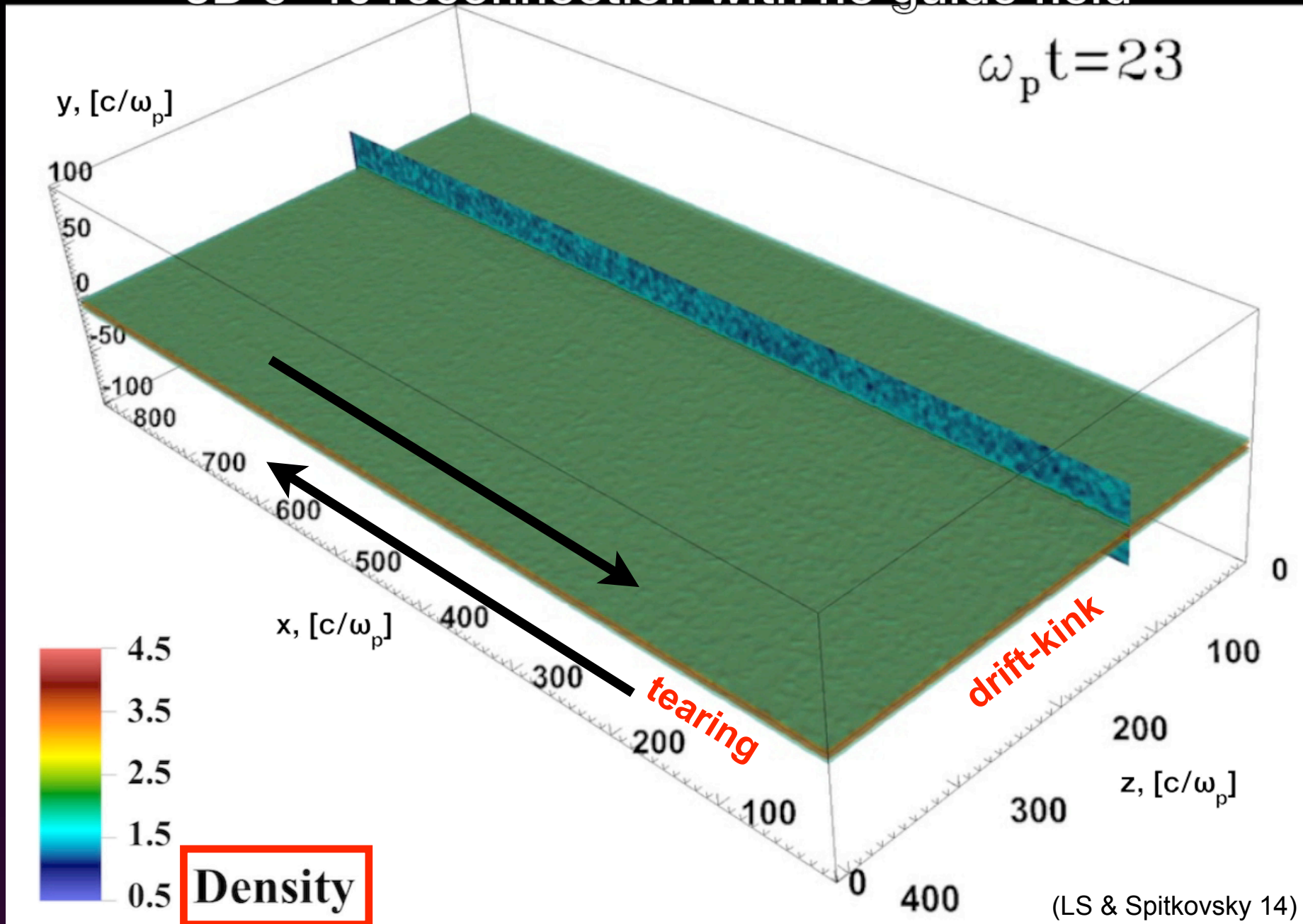
# Inflows and outflows

2D PIC simulation of  $\sigma=10$  electron-positron reconnection



- Inflow into the layer is non-relativistic, at  $v_{in} \sim 0.1 c$  (Lyutikov & Uzdensky 03, Lyubarsky 05).
- Outflow from the X-points is ultra-relativistic, reaching the Alfvén speed  $v_A = c \sqrt{\frac{\sigma}{1 + \sigma}}$

# 3D $\sigma=10$ reconnection with no guide field



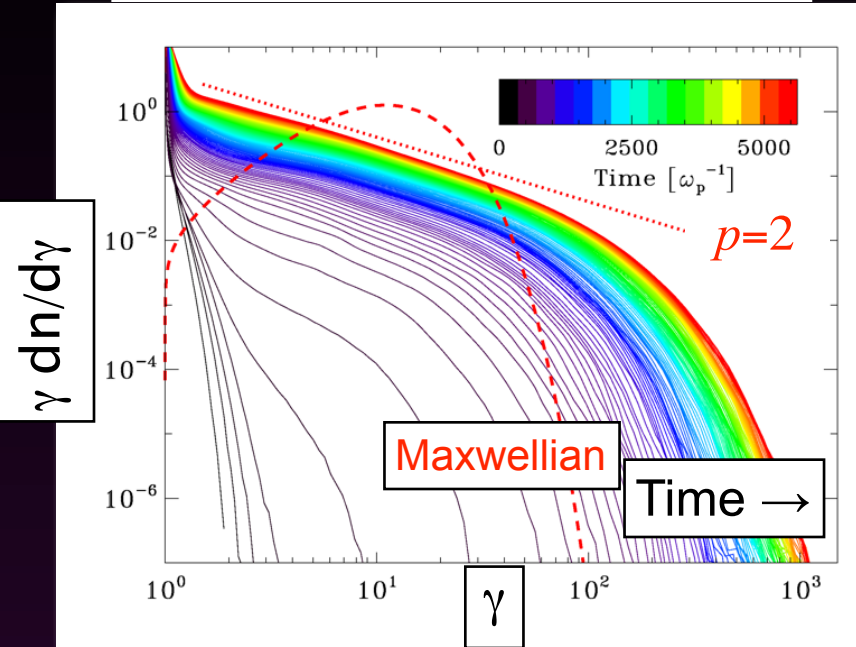
- In 3D, the in-plane tearing mode and the out-of-plane drift-kink mode coexist.
- The drift-kink mode is the fastest to grow, but the physics at late times is governed by the tearing mode, as in 2D.



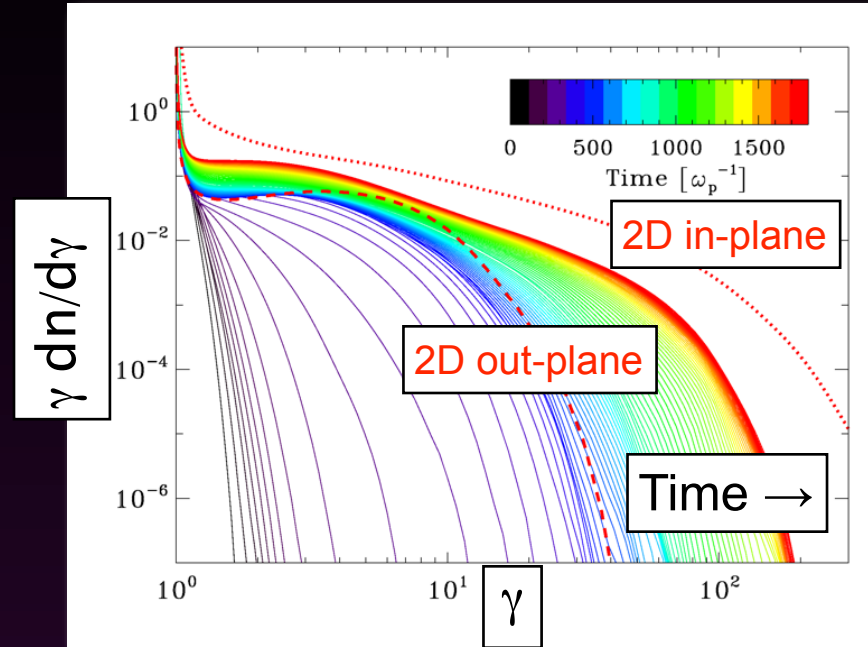
# The particle energy spectrum

- At late times, the particle spectrum approaches a power law  $dn/d\gamma \propto \gamma^{-p}$

2D  $\sigma=10$  electron-positron

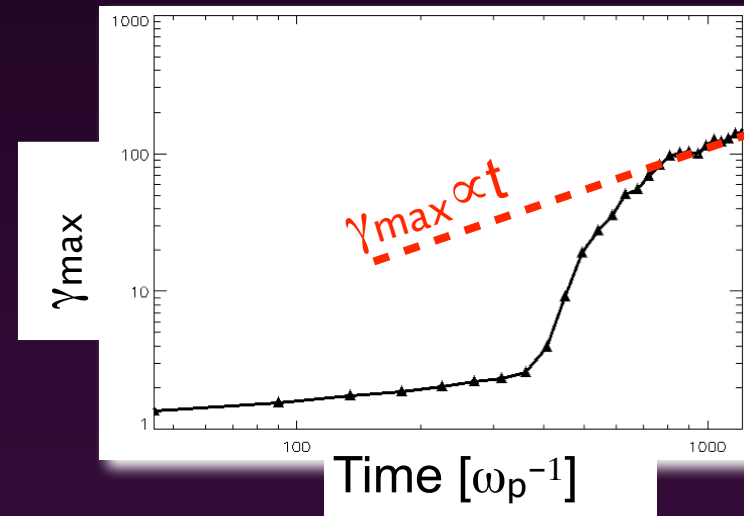
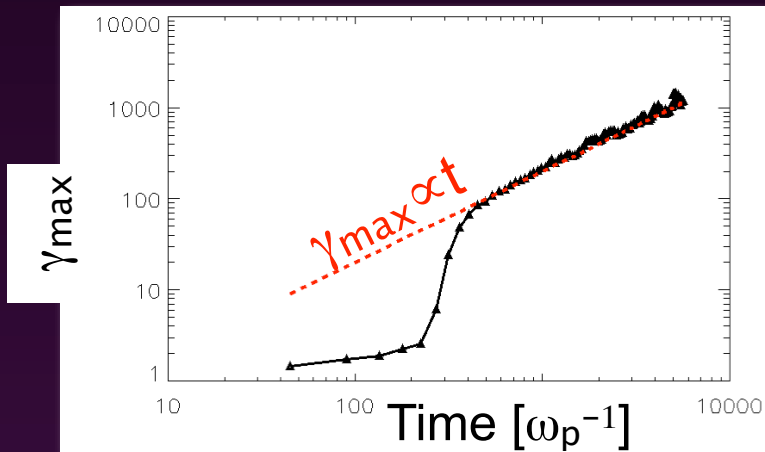


3D  $\sigma=10$  electron-positron



(LS & Spitkovsky 14)

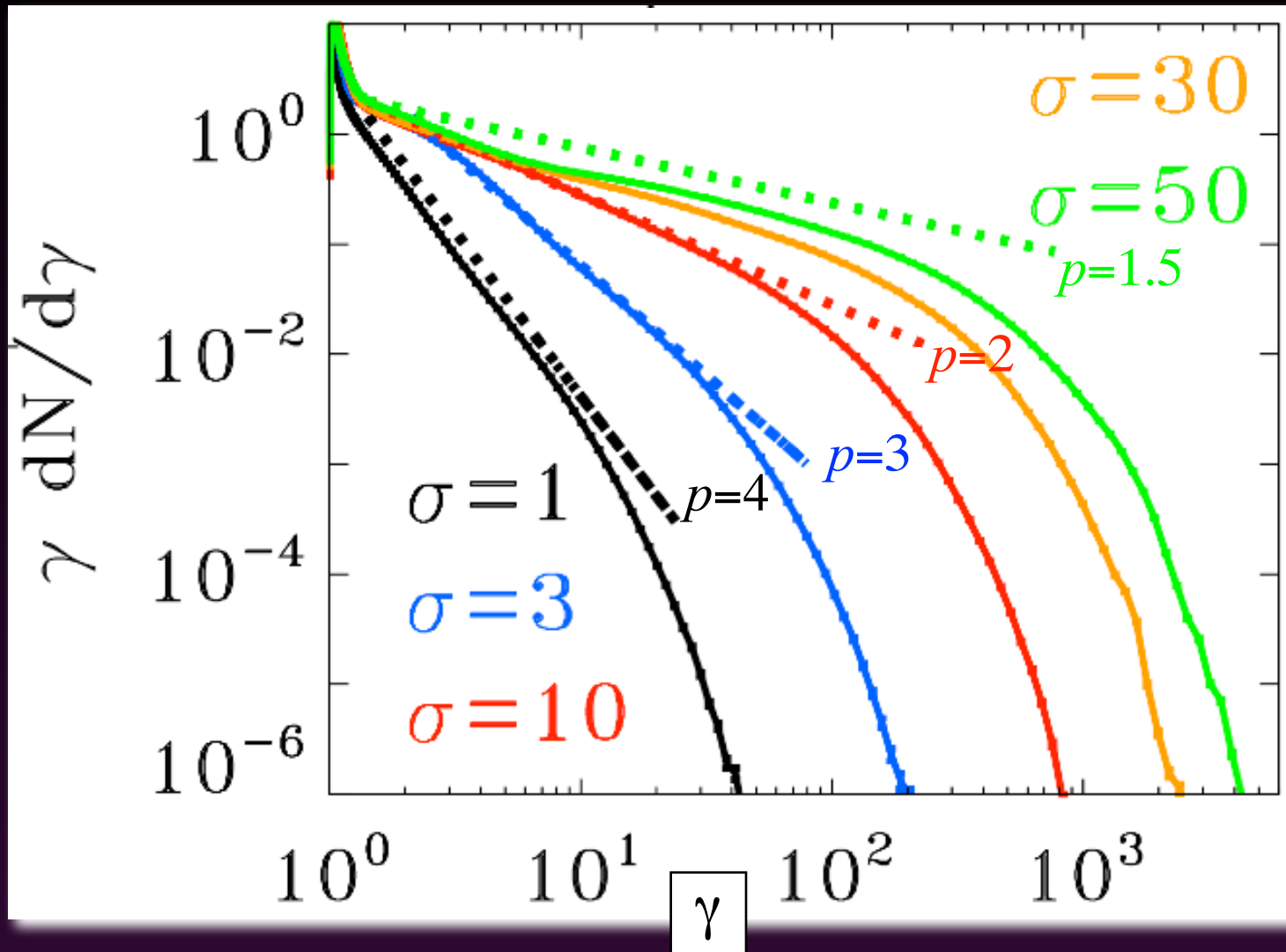
- The max energy grows linearly with time, if the evolution is not artificially inhibited by the boundaries.



(LS & Spitkovsky 14)

# The power-law slope

2D electron-positron



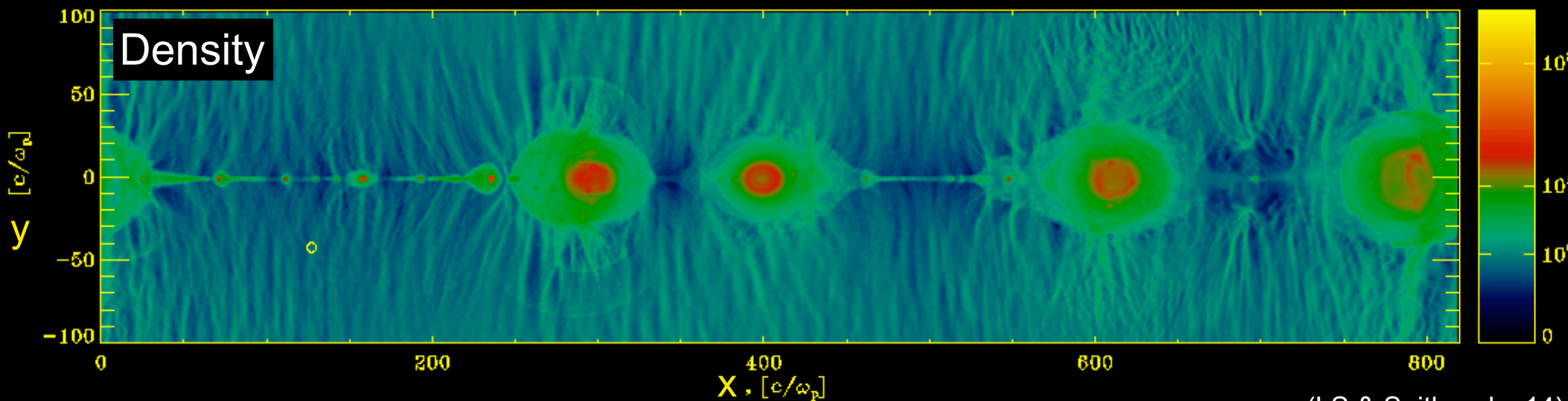
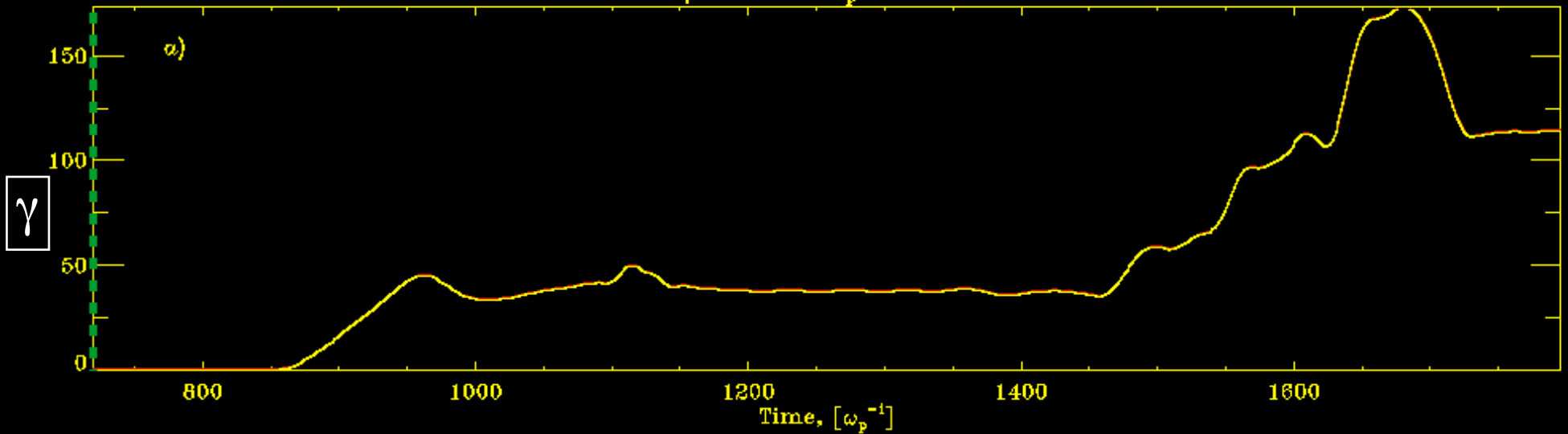
(LS & Spitkovsky 14,  
see also Melzani+14,  
Guo+14,15, Werner+16)

The power-law slope is harder for higher magnetizations.

# Particle acceleration mechanisms

# The highest energy particles

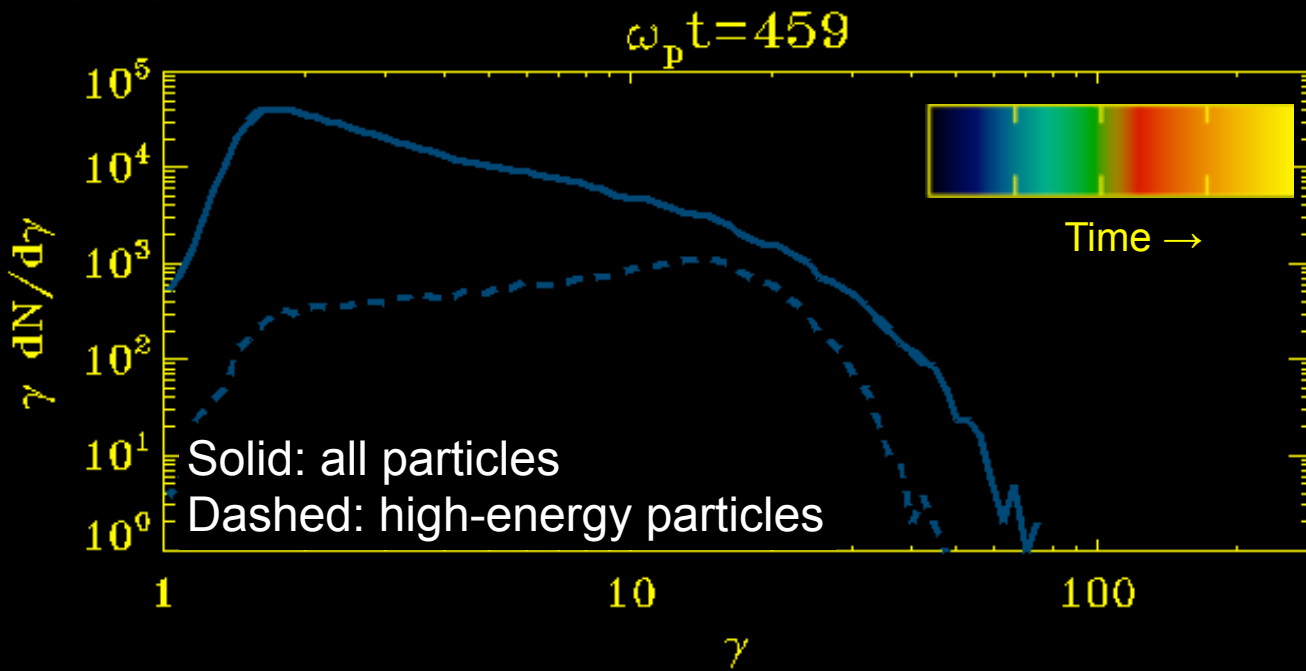
2D  $\sigma=10$  electron-positron  $\omega_p t=720$



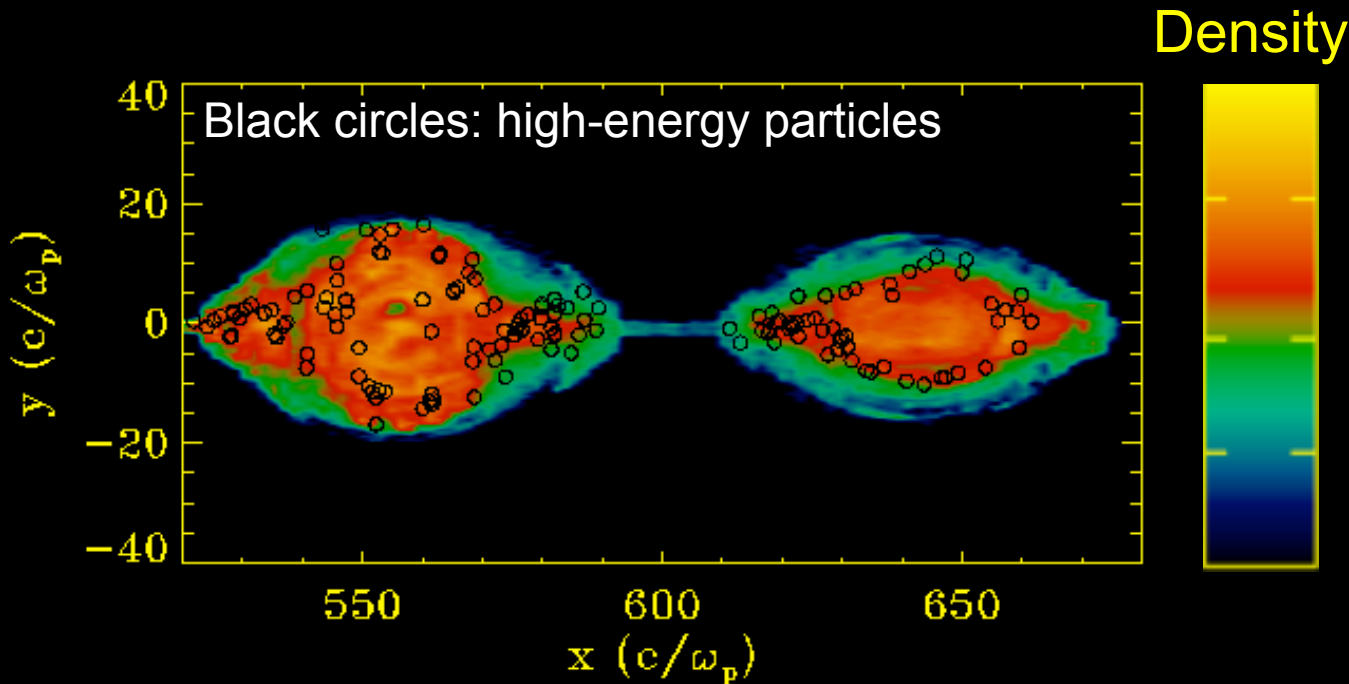
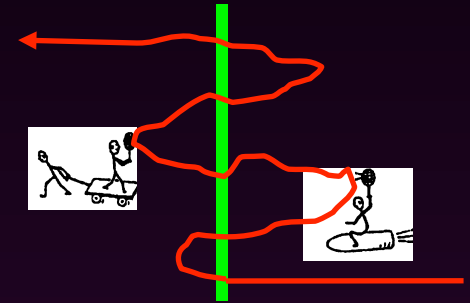
(LS & Spitkovsky 14)

Two acceleration phases: (1) at the X-point; (2) in between merging islands

# (2) Fermi process in between islands



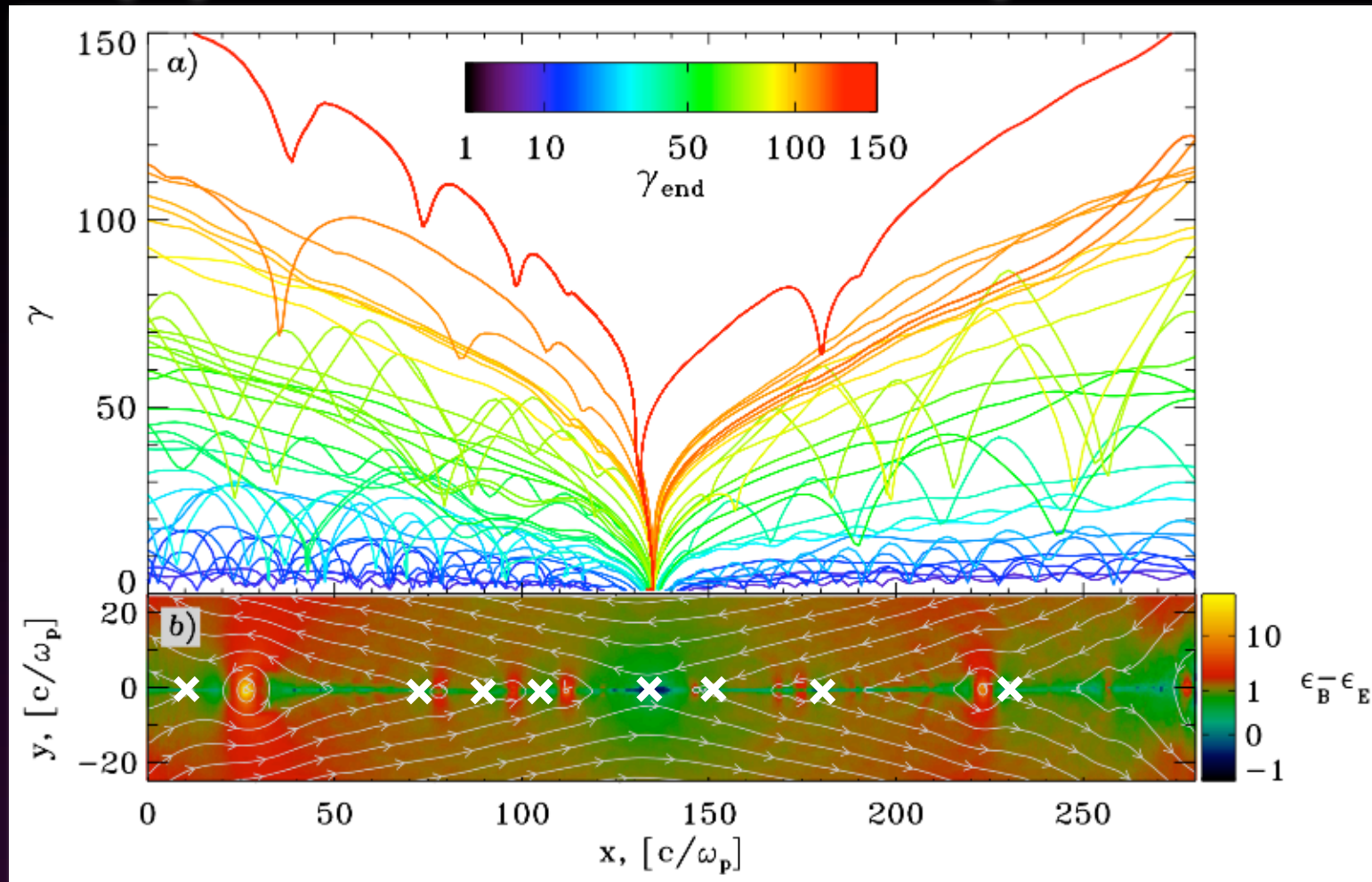
- The particles are accelerated by a Fermi-like process in between merging islands (Guo+14, Nalewajko+15).



- Island merging is essential to shift up the spectral cutoff energy.
- In the Fermi process, the rich get richer. But how do they get rich in the first place?



# (1) Acceleration at X-points



(LS & Spitkovsky 14)

- In cold plasmas, the particles are tied to field lines and they go through X-points.
- The particles are accelerated by the reconnection electric field at the X-points (Zenitani & Hoshino 01). The energy gain can vary, depending on where the particles interact with the sheet.
- The same physics operates at the main X-point and in secondary X-points.

# Plasmoids in relativistic reconnection

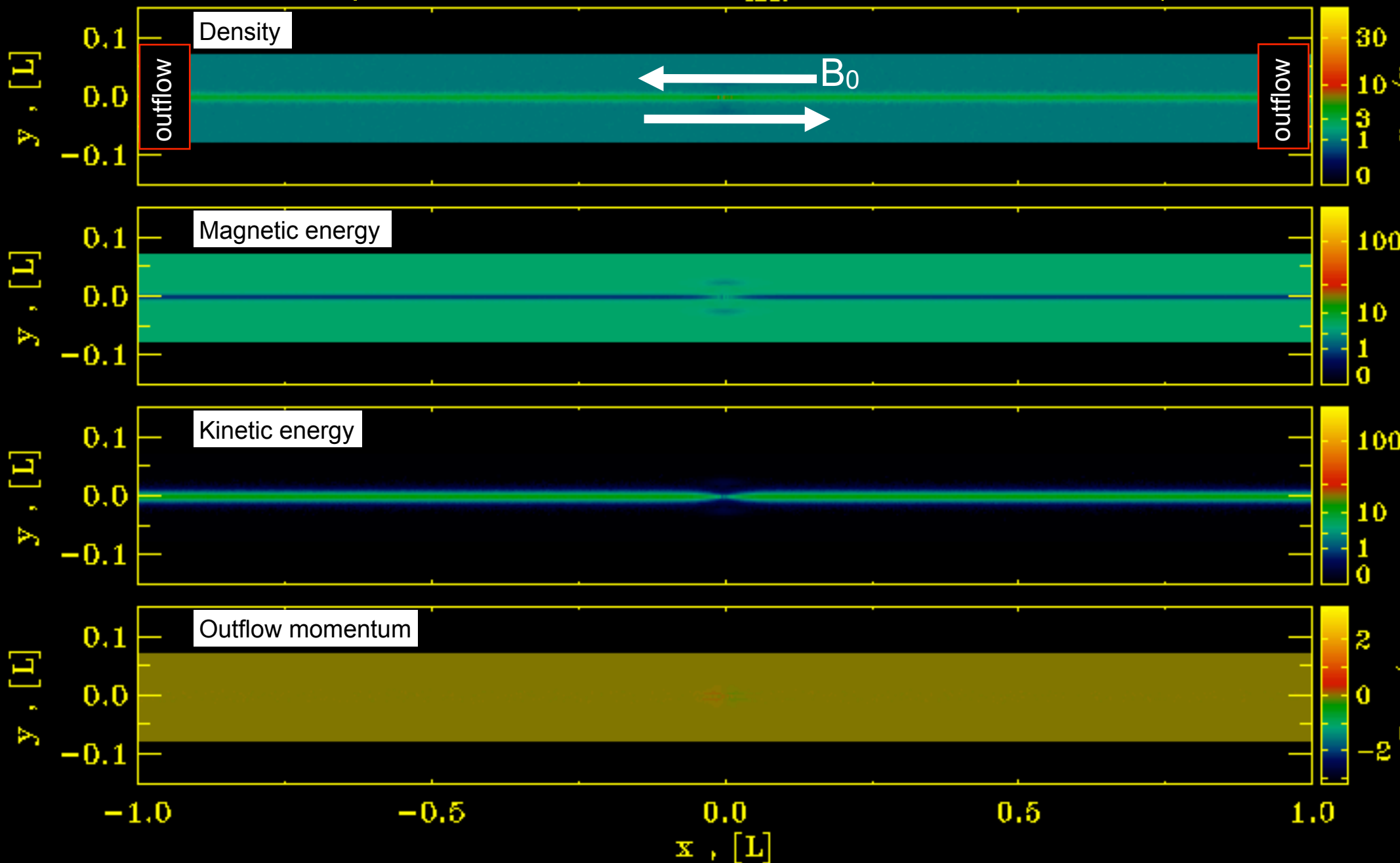
# Plasmoids in reconnection layers

electron-positron

$\sigma = 10$

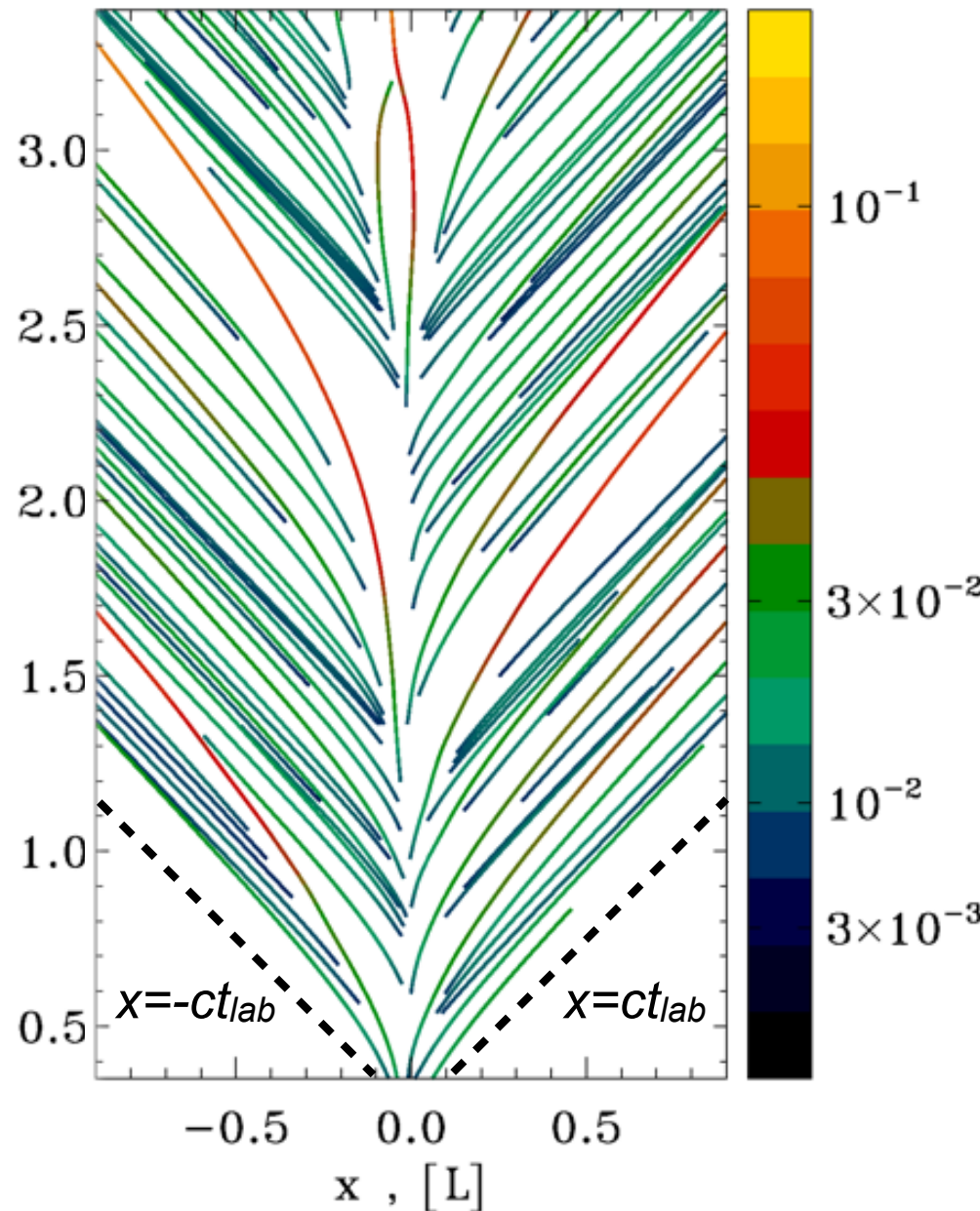
$ct_{\text{lab}}/L = 0.0$

$L \sim 1600 c/\omega_p$



# Plasmoid space-time tracks

$\sigma=10$   $L \sim 1600 c/\omega_p$  electron-positron



We can follow individual plasmoids in space and time.

First they grow, then they go:

- First, they grow in the center at non-relativistic speeds.
- Then, they accelerate outwards approaching the Alfvén speed  $\sim c$ .

# Plasmoid fluid properties

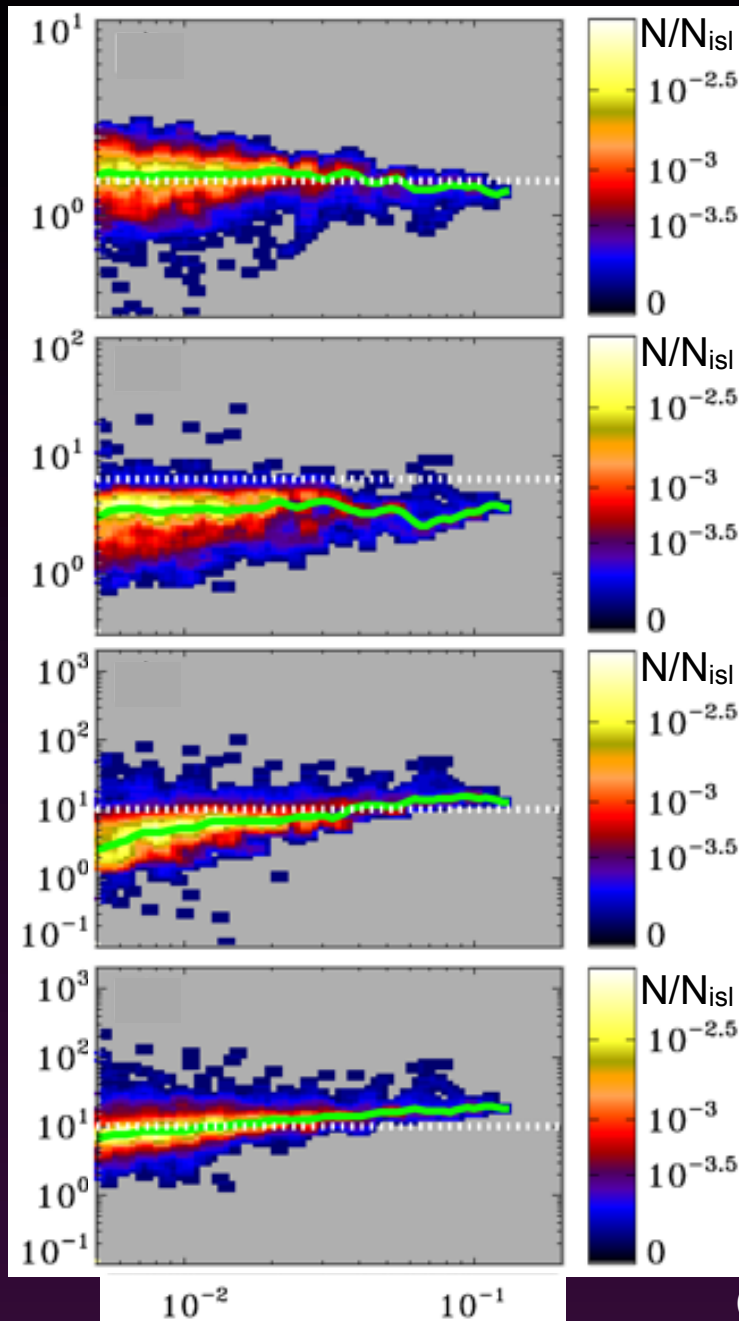
$\sigma=10$  electron-positron

Length/Width

<Density>

<Magnetic energy>

<Kinetic energy>



Plasmoid width  $w$  [L]

Plasmoids fluid properties:

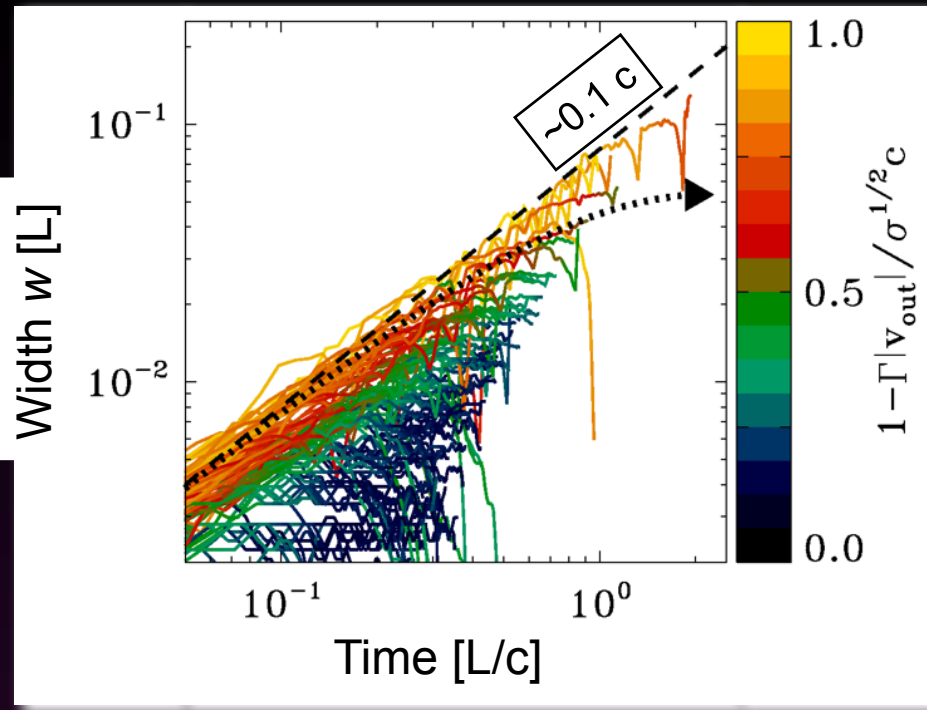
- they are nearly spherical, with Length/Width $\sim 1.5$  (regardless of the plasmoid width  $w$ ).
- they are over-dense by  $\sim$  a few with respect to the inflow region (regardless of  $w$ ).
- $\epsilon_B \sim \sigma$ , corresponding to a magnetic field compressed by  $\sim \sqrt{2}$  (regardless of  $w$ ).
- $\epsilon_{kin} \sim \epsilon_B \sim \sigma \rightarrow$  equipartition (regardless of  $w$ ).

(LS, Giannios & Petropoulou 16)

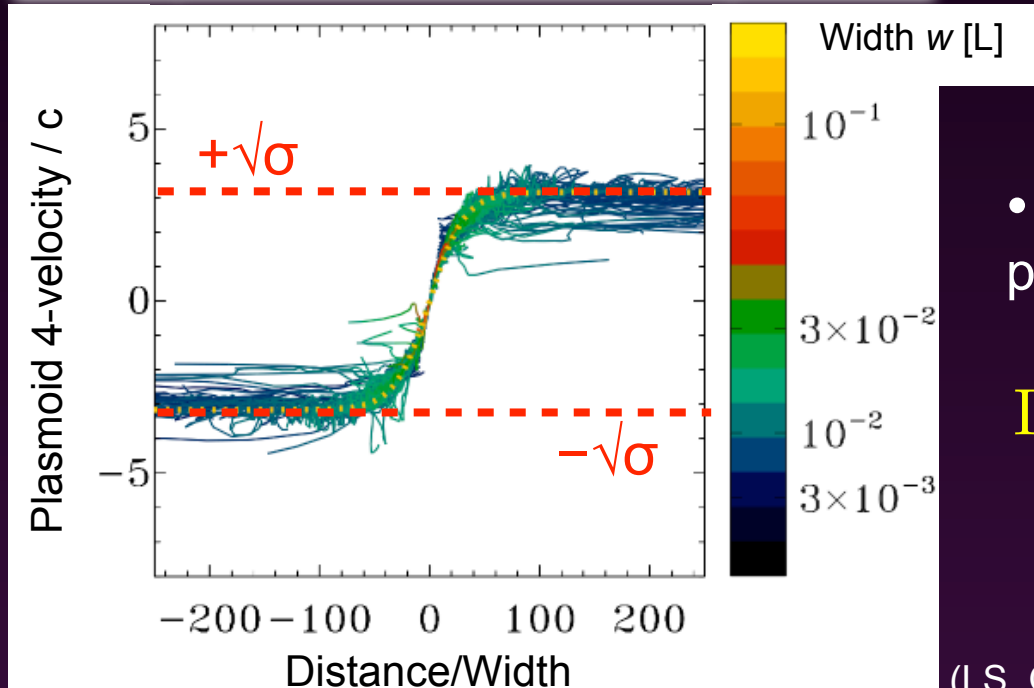
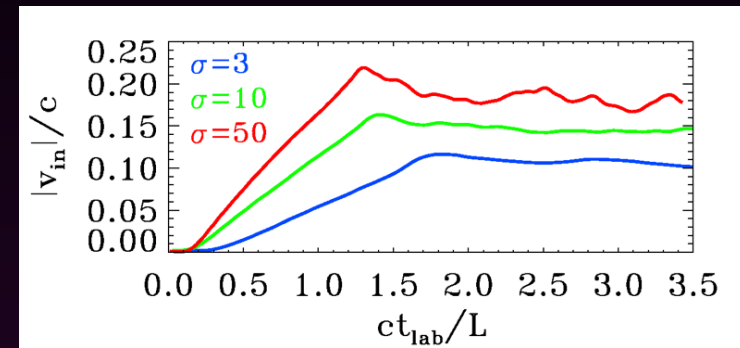


# First they grow, then they go

$\sigma=10$  electron-positron



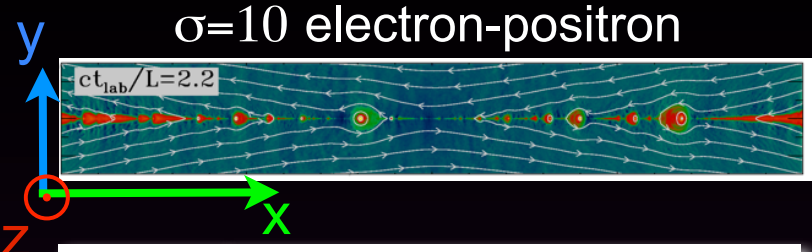
- The plasmoid width  $w$  grows in the plasmoid rest-frame at a constant rate of  $\sim 0.1 c$  ( $\sim$  reconnection inflow speed), weakly dependent on the magnetization.



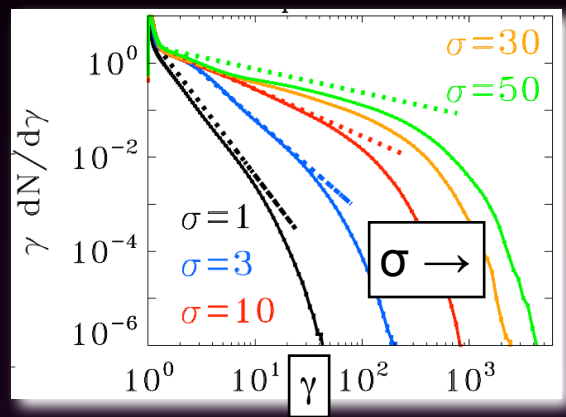
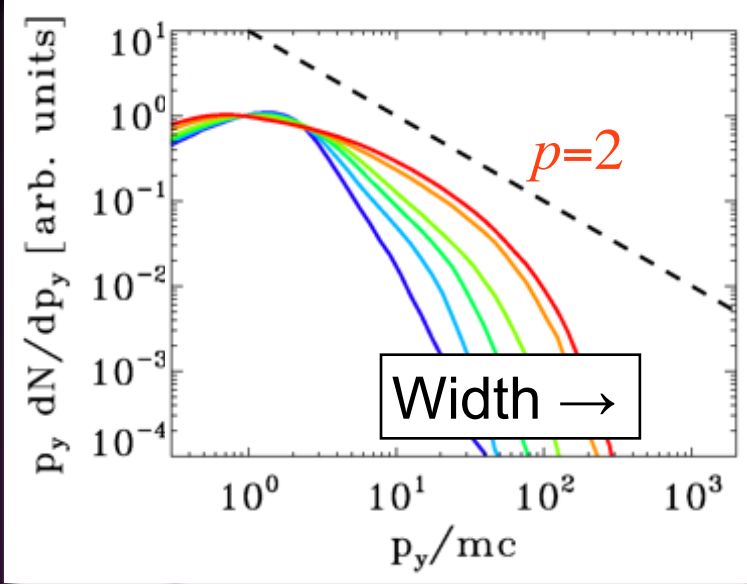
- Universal relation for the plasmoid acceleration:

$$\Gamma \frac{v_{\text{out}}}{c} \simeq \sqrt{\sigma} \tanh \left( \frac{0.1 x}{\sqrt{\sigma} w} \right)$$

# Non-thermal particles in plasmoids



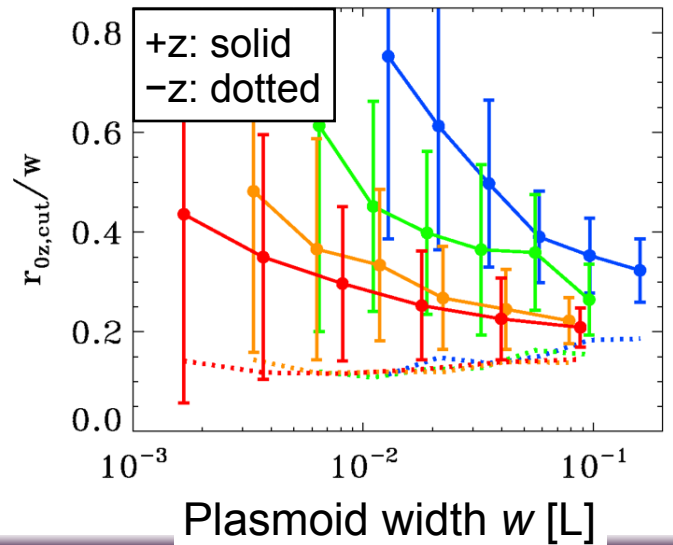
- The *comoving* particle spectrum of large islands is a power law, with the same slope as the overall spectrum from the layer (so, harder for higher  $\sigma$ ).



Text

- The low-energy cutoff scales as  $\propto \sqrt{\sigma}$ , the high-energy cutoff scales as  $\propto w$ , corresponding to a Larmor radius  $\sim 0.2 w$  (a *confinement criterion*).

Positron z-anisotropy



$L \sim 450 c/\omega_p$   
 $L \sim 900 c/\omega_p$   
 $L \sim 1800 c/\omega_p$   
 $L \sim 3600 c/\omega_p$

- Small islands show anisotropy along  $z$  (along the reconnection electric field). Large islands are nearly isotropic.

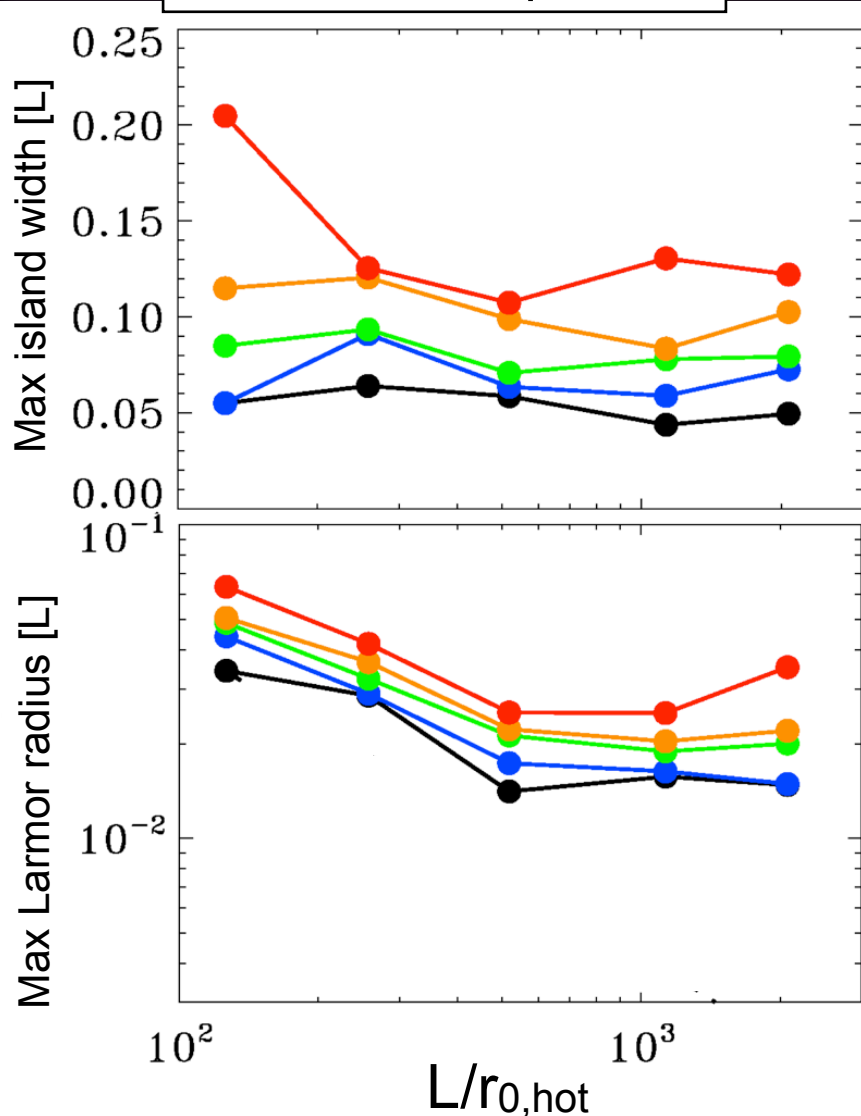
The transition happens at  
 $w \sim 50 \sqrt{\sigma} c/\omega_p$

# From microscopical scales to blazars

Let us measure the system length  $L$  in units of the post-reconnection Larmor radius:

$$r_{0,\text{hot}} = \sigma \frac{mc^2}{eB_0}$$

$\sigma=10$  electron-positron



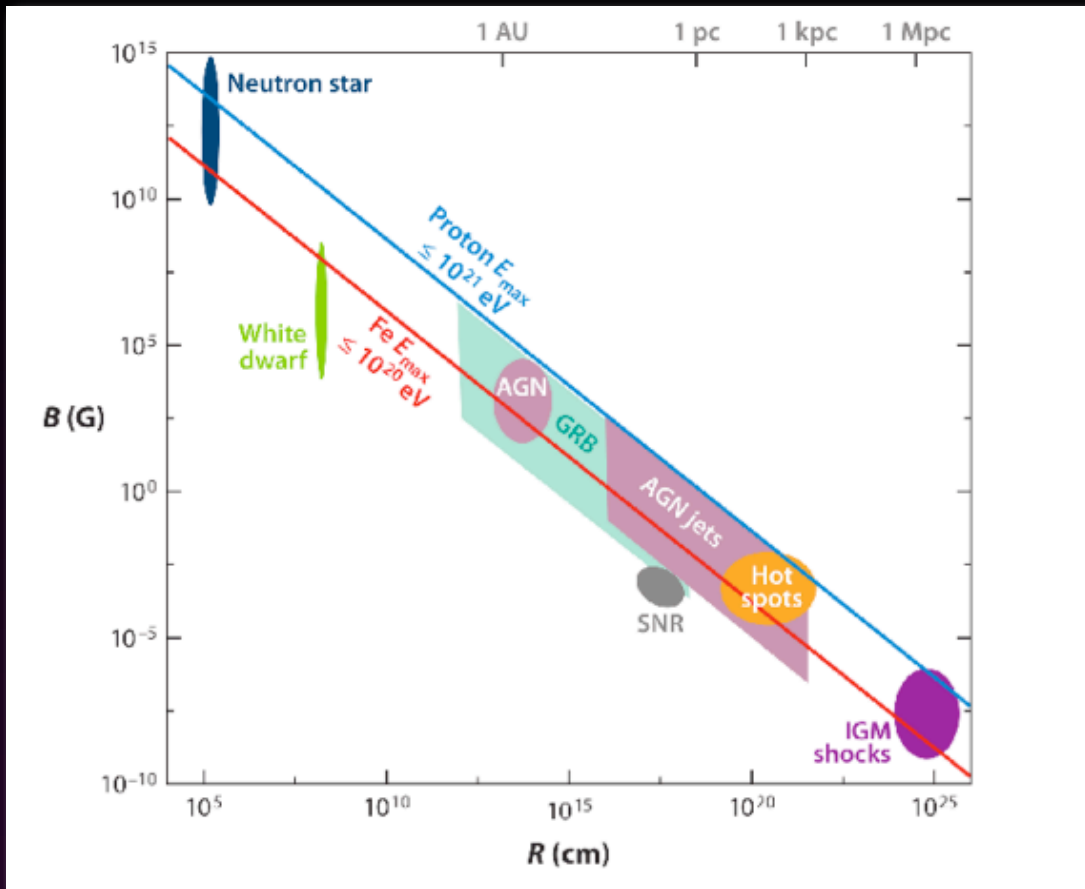
Relativistic reconnection is a **self-similar** process, in the limit  $L \gg r_{0,\text{hot}}$ :

- The width of the biggest (“monster”) islands is a fixed fraction of the system length  $L$  ( $\sim 0.1-0.2 L$ ), regardless of  $L/r_{0,\text{hot}}$ .

- At large  $L$  ( $L/r_{0,\text{hot}} \gtrsim 300$ ), the Larmor radius of the highest energy particles is a fixed fraction of the system length  $L$  ( $\sim 0.03-0.05 L$ ), regardless of  $L/r_{0,\text{hot}}$ .

→ **Hillas criterion of relativistic reconnection**

# UHECRs from reconnection in blazars?



From PIC simulations of relativistic reconnection in blazars:

- the max energy particles have Larmor radius

$$r_{L,\max} \sim 0.04 L$$

$$r_{L,\max} \sim 0.2 w_{\max}$$

- From the typical timescale  $t_f \sim 10^5$  s of blazar major flares, one can infer the size  $w_{\max}$  of the largest plasmoids, and so  $r_{L,\max}$ .
- The highest energy ions will have (if the jet Doppler factor  $\delta \sim 10$ )

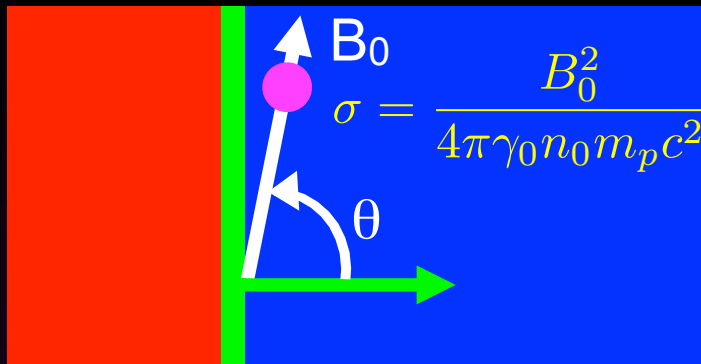
$$E_{\text{UHECR}} \sim 5 \times 10^{18} Z \Gamma_1 \delta_1 B_0 t_{f,5} \text{ eV}$$

Alternatives?



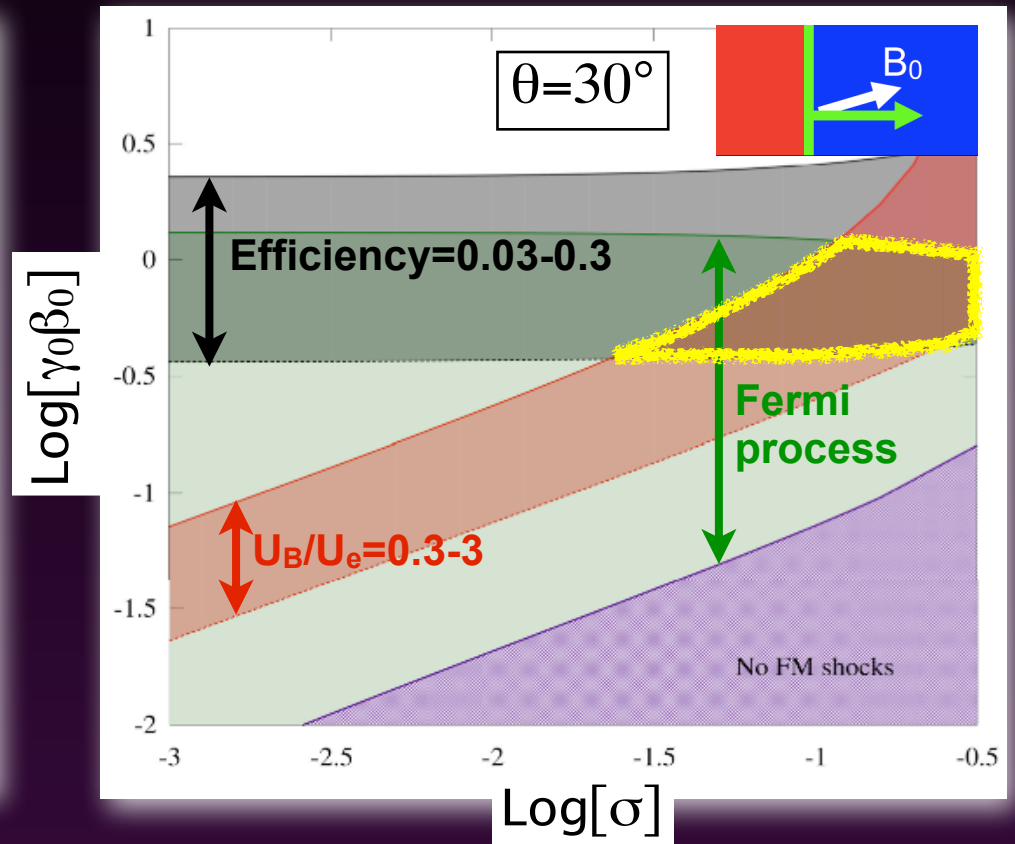
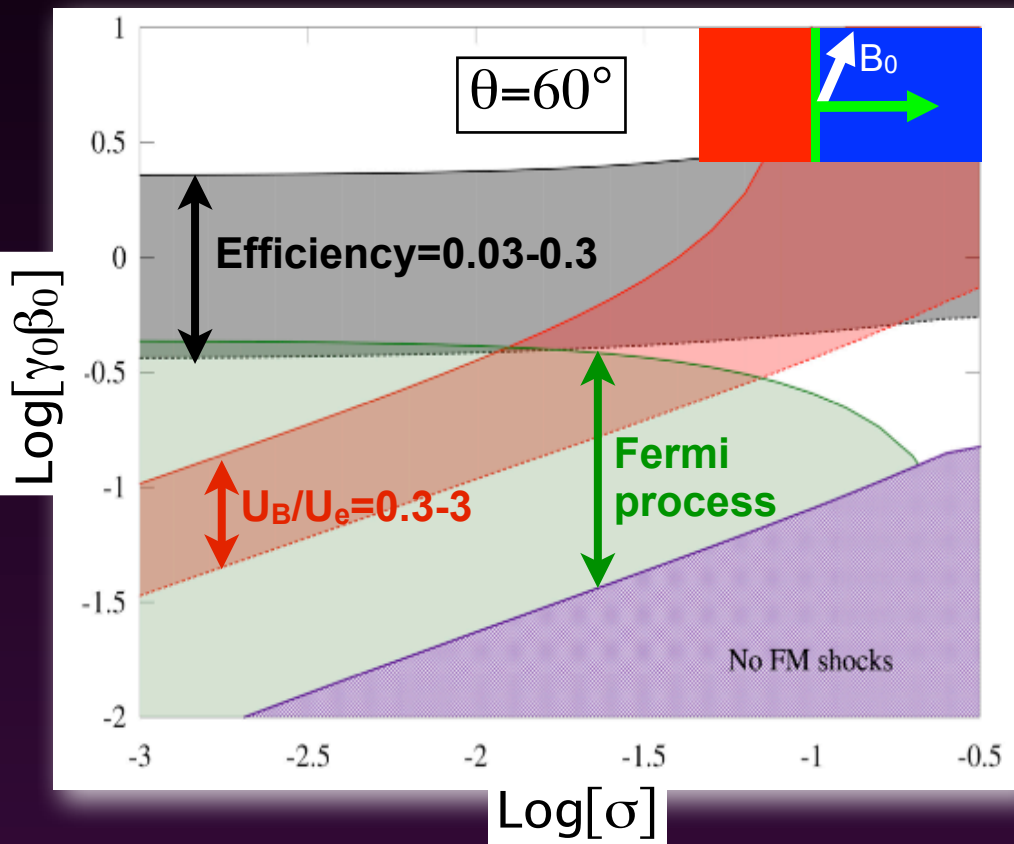
# Internal shocks in relativistic jets

Magnetized ( $\sigma > 10^{-3}$ ) quasi-perp relativistic shocks are poor particle accelerators:



$\sigma$  is large  $\rightarrow$  particles slide along field lines  
 $\theta$  is large  $\rightarrow$  particles cannot outrun the shock unless  $v > c$  (“superluminal” shock)  
 $\rightarrow$  Fermi acceleration is generally suppressed

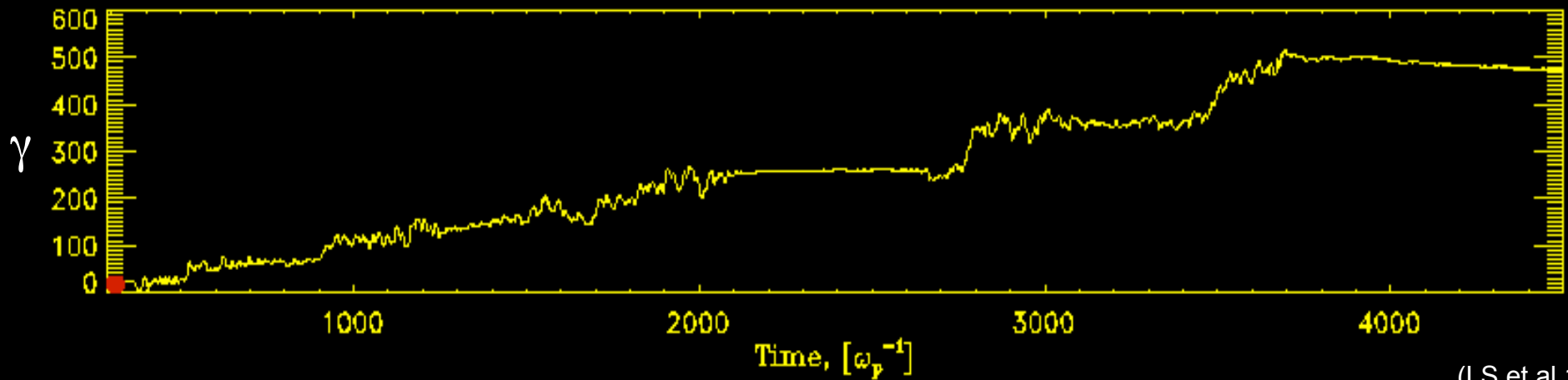
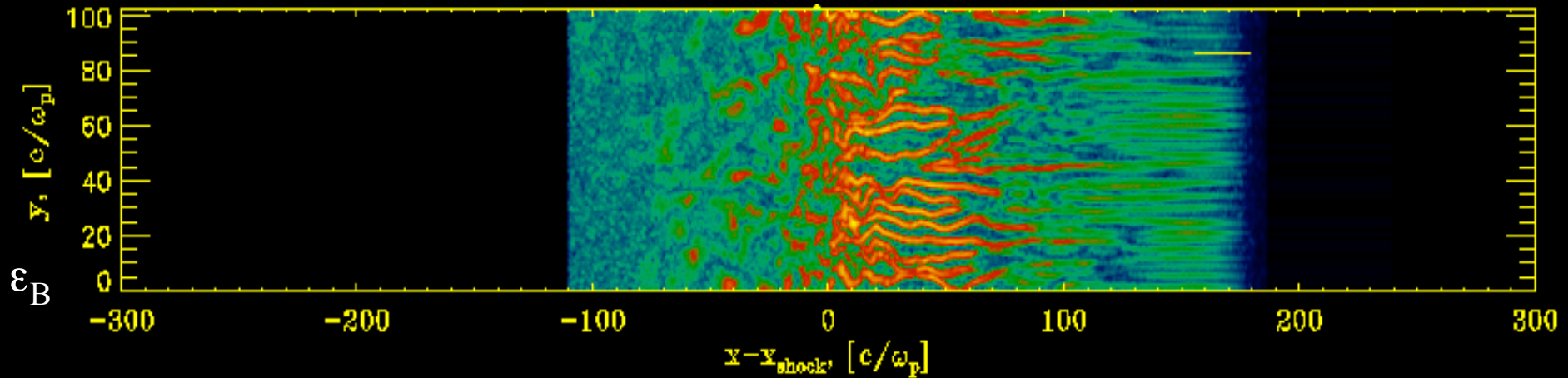
(LS, Petropoulou & Giannios 15)



Only trans-relativistic ( $\gamma_0 \sim$  a few) magnetized ( $\sigma > 0.03$ ) quasi-parallel shocks satisfy the constraints.

# External shocks in GRBs

Particle acceleration via the Fermi process in self-generated Weibel turbulence, for initially unmagnetized (i.e.,  $\sigma=0$ ) or weakly magnetized flows.



(LS et al 13)

By scattering off the small-scale Weibel turbulence, the acceleration rate is slow:  $\dot{\gamma} \propto t^{1/2}$

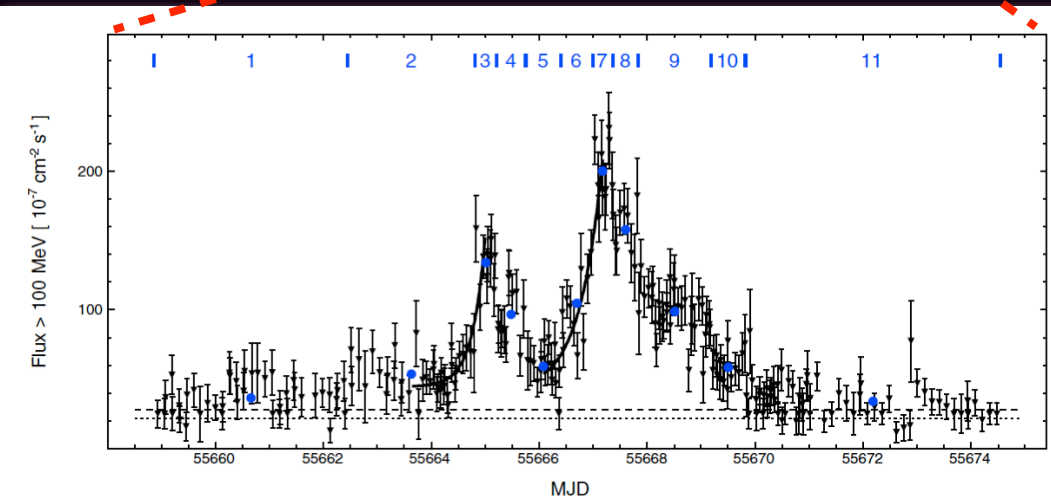
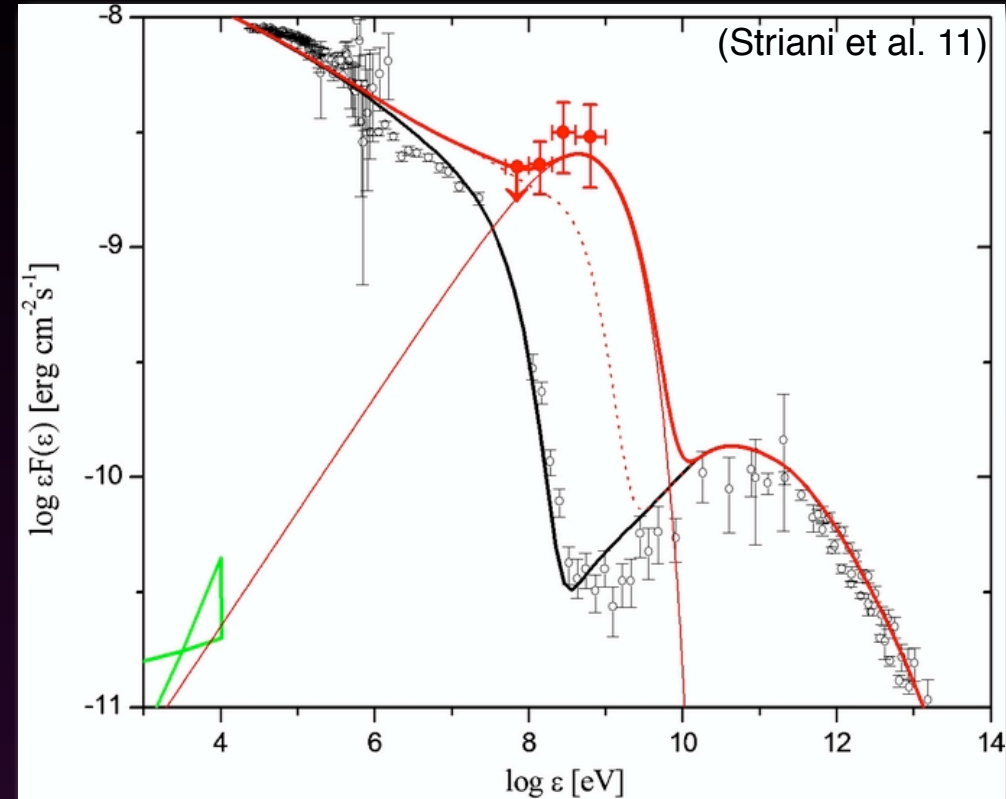
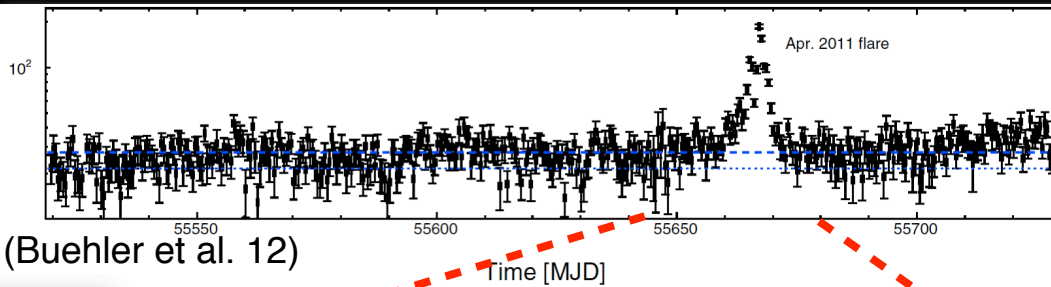
→ Maximum proton Lorentz factor:  $\gamma_{\text{age},i}^{\text{up}} \simeq 1.7 \times 10^8 E_{0,54}^{3/4} n_0^{-1/2} R_{17}^{-7/4}$

(Plotnikov, Pelletier & Lemoine 12, LS et al 13, Reville & Bell 14)

# The Pevatron in our backyard

Lightcurve

Spectrum



Doubling time of  $\sim 8$  hrs, with peak photon flux  $\sim 30$  times larger than the average.

The flare spectrum below the GeV peak and the lack of X-ray detections require  $p < 2$ .

Flux decay of  $\sim 10$  hrs is controlled by synchrotron cooling + GeV peak frequency  
→ **PeV** electrons radiating in  $\sim$  mG magnetic fields

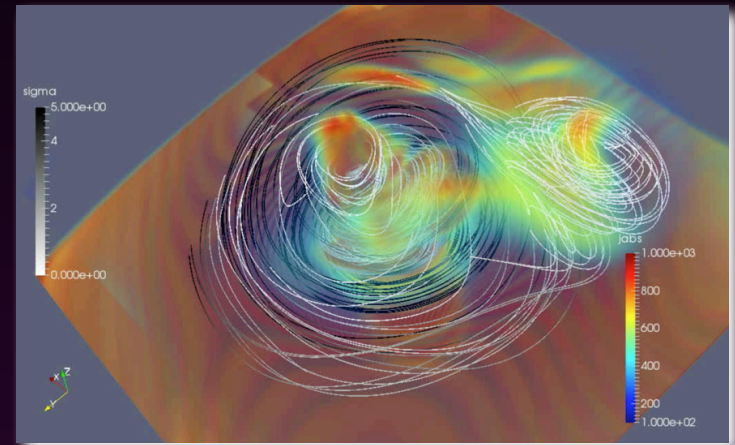
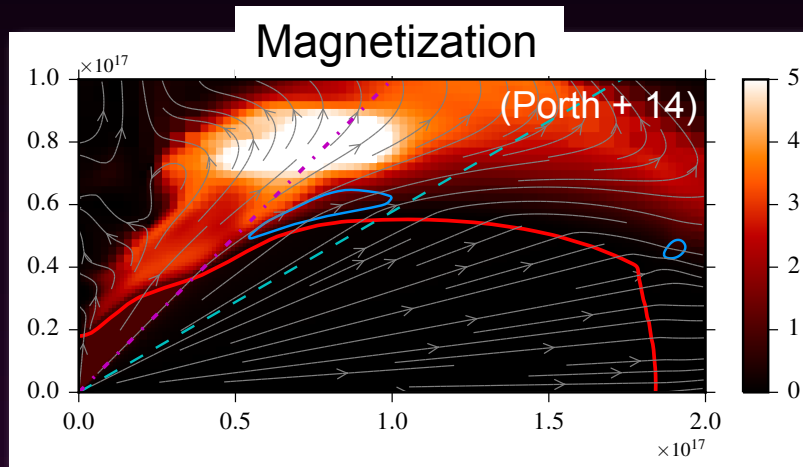
# The GeV flares in the Crab Nebula

## Constraints:

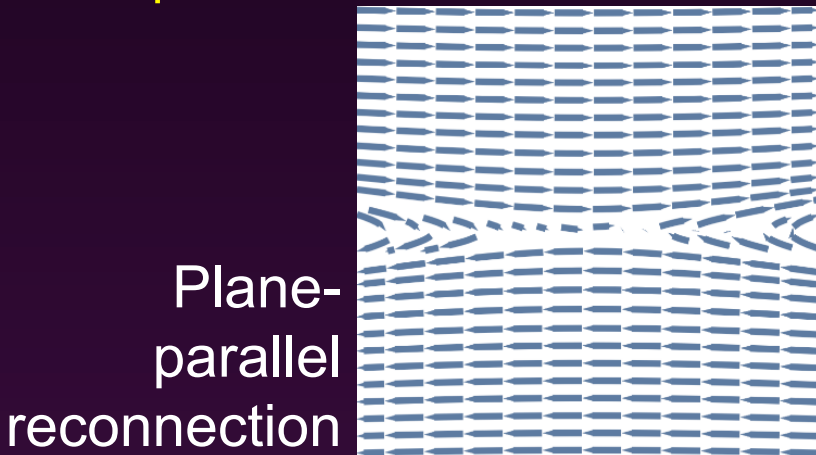
- Particle acceleration by  $E \sim B$  (energy gain and losses on Larmor radius scale).
- Particle acceleration on macroscopic scales  $\gg$  skin depth. Evolution on  $\sim$  dynamical time.
- Few particles are accelerated (with hard spectrum) beyond the synchrotron burnoff limit.

## Where?

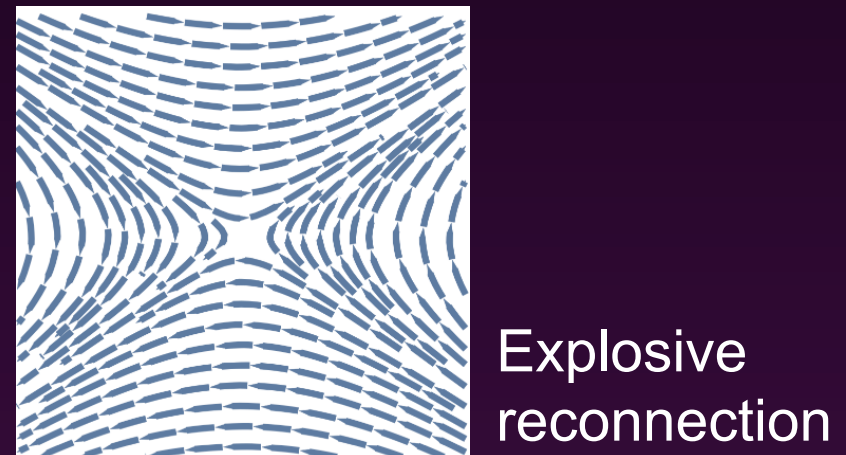
High-sigma regions  $\rightarrow$  intermediate latitudes.



## What process?



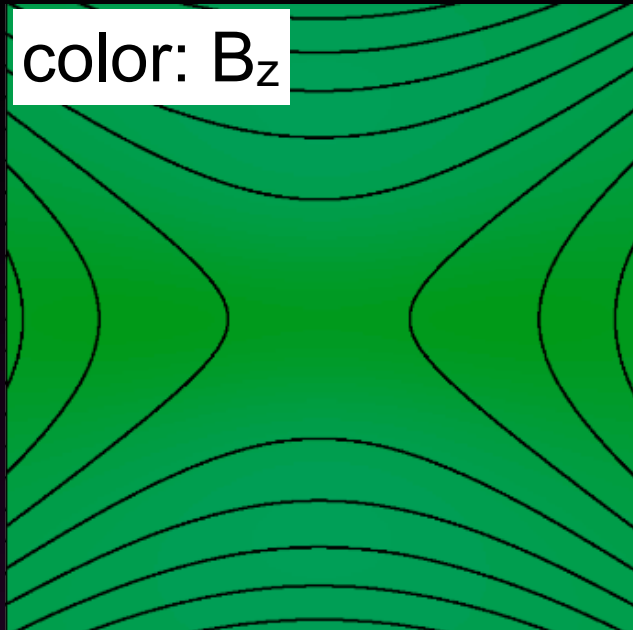
VS



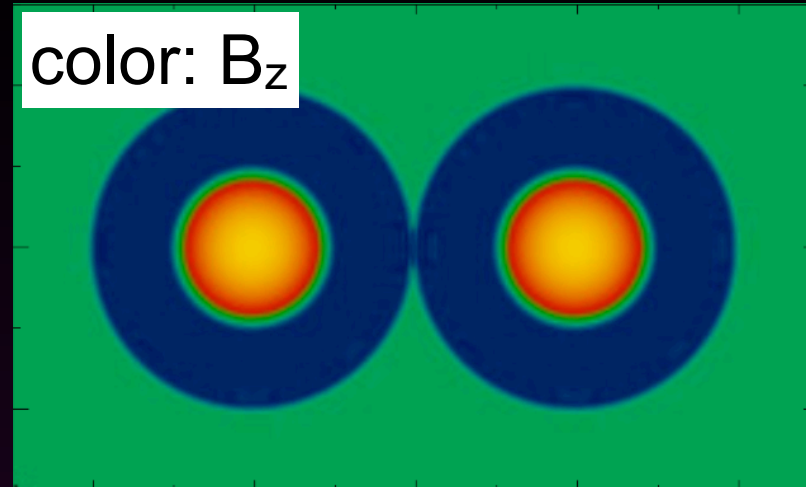


# Force-free magnetic field configurations

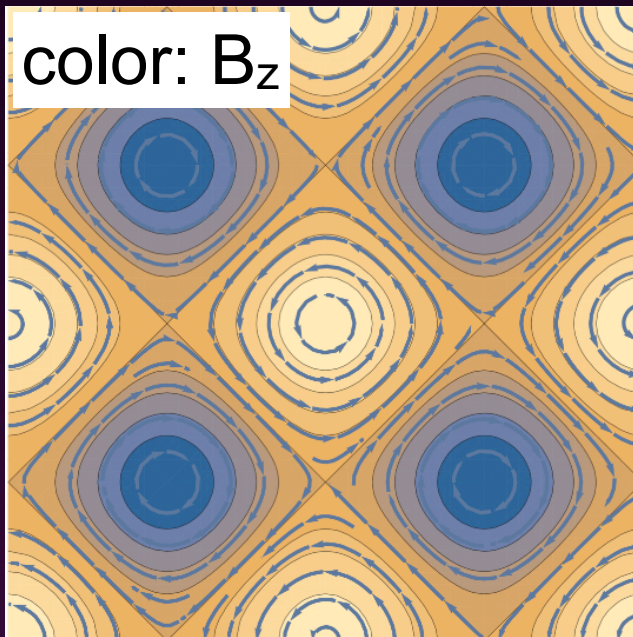
X-point collapse



Core-envelope flux tubes



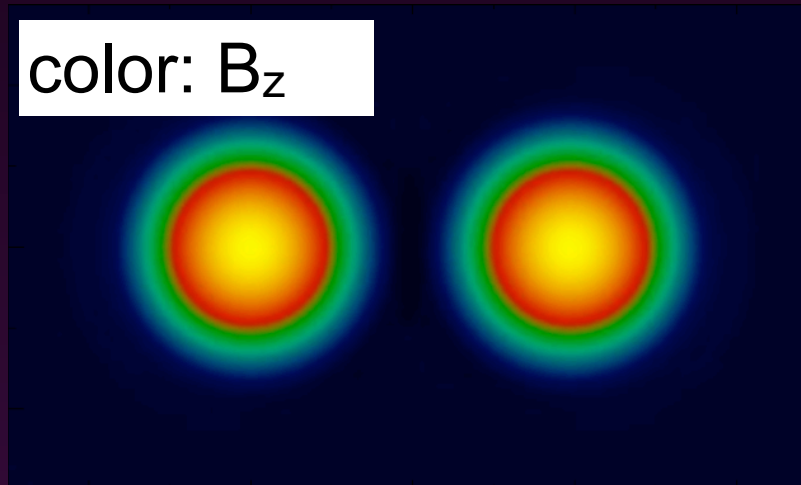
ABC structures



Lundquist flux tubes

$$\mathbf{B}_L(r \leq r_j) = J_1(r\alpha)\mathbf{e}_\phi + J_0(r\alpha)\mathbf{e}_z$$

color:  $B_z$

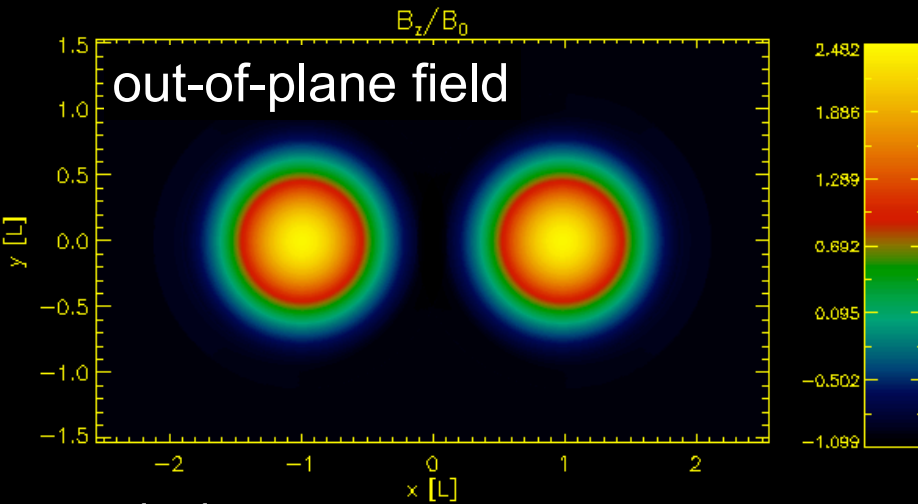


(Lyutikov, Sironi,  
Komissarov &  
Porth 16, submitted  
to a special issue  
of JPP)

# Merger of magnetized flux ropes

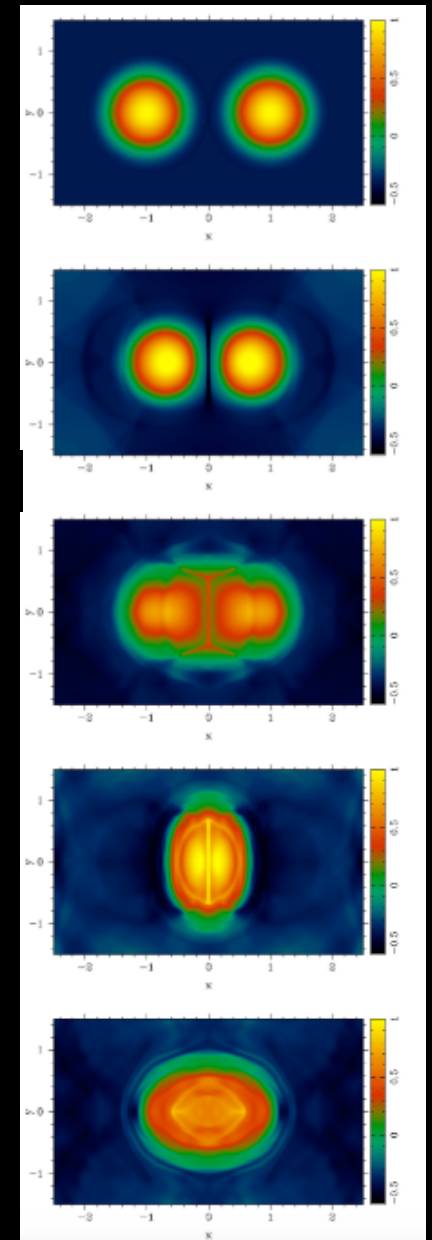
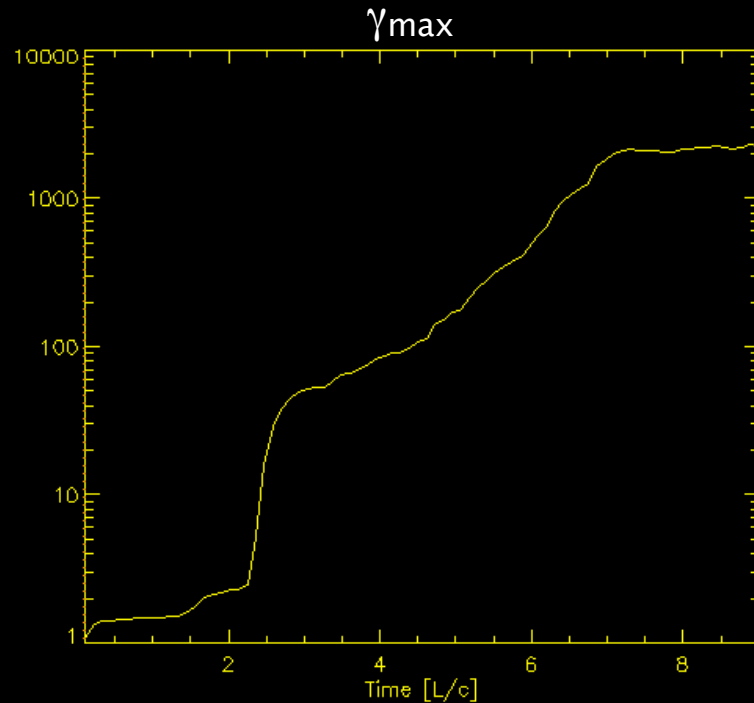
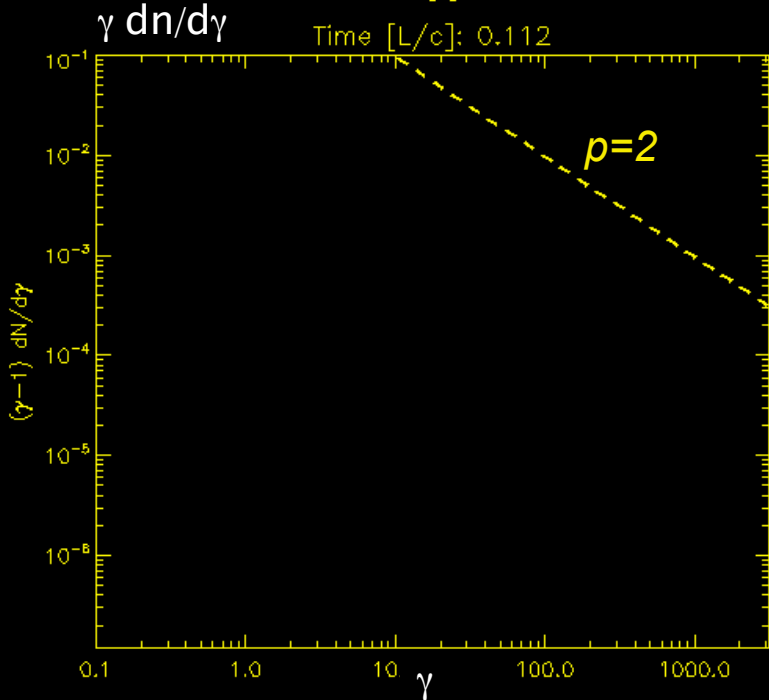
- Flux ropes are pushed together by hand, “eroding” the envelopes  
→ first episode of particle acceleration, dependent on the initial push.

force-free simulation  
at time=0, 2, 4, 6, 9



- Then, parallel currents are exposed, and they attract explosively, merging on a **dynamical timescale** → explosive particle acceleration.

(Lyutikov, LS, Komissarov & Porth 16)

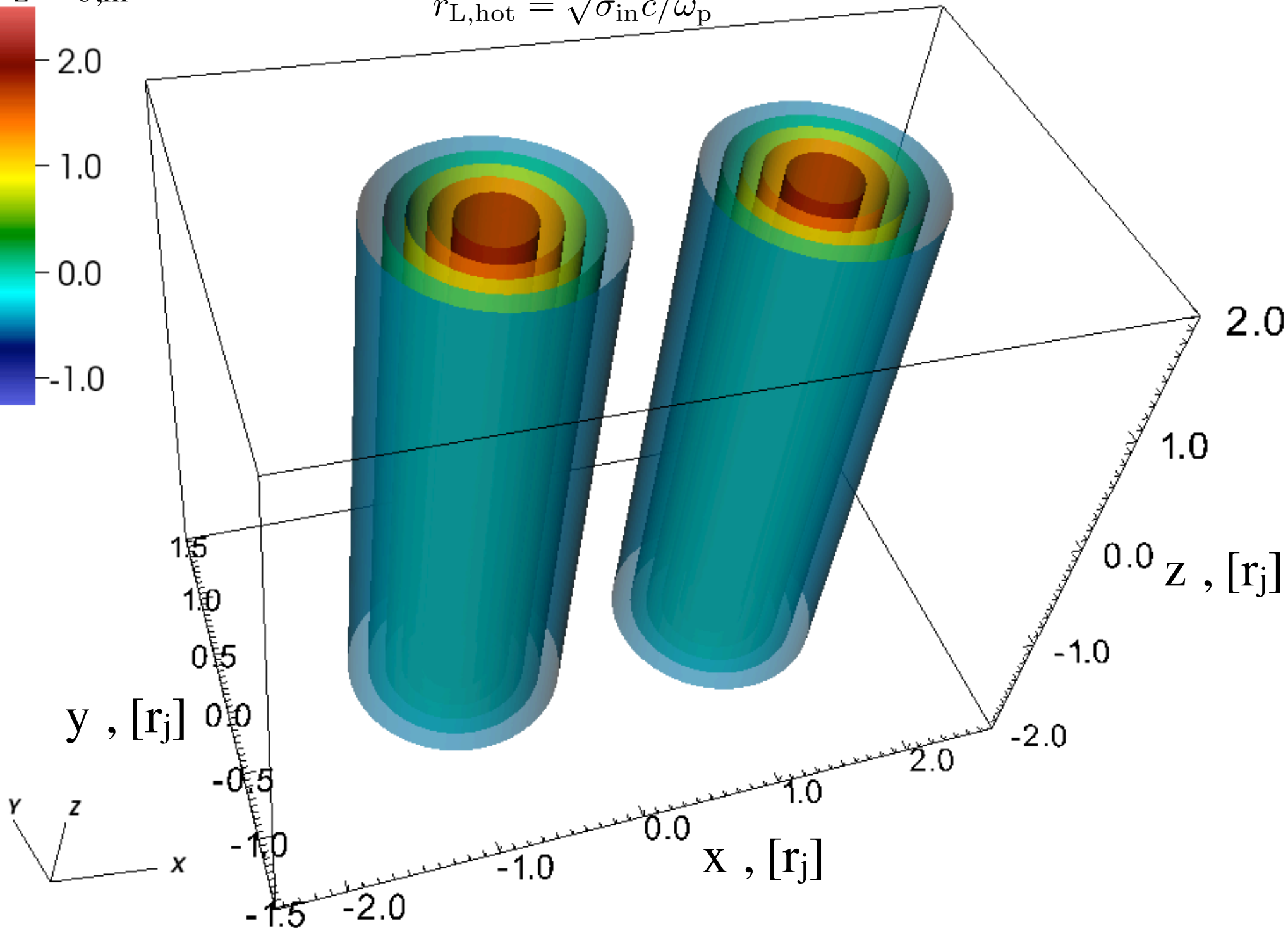
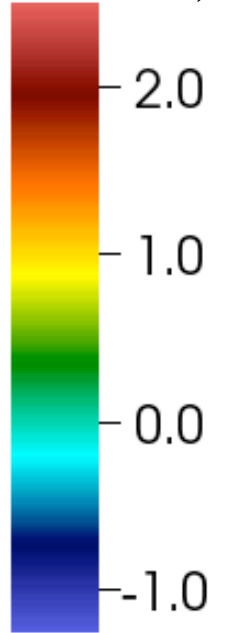




$\sigma_{\text{in}}=11$     $r_j/r_{\text{L,hot}}=61$     $ct/r_j=0.1$

$$r_{\text{L,hot}} = \sqrt{\sigma_{\text{in}} c / \omega_p}$$

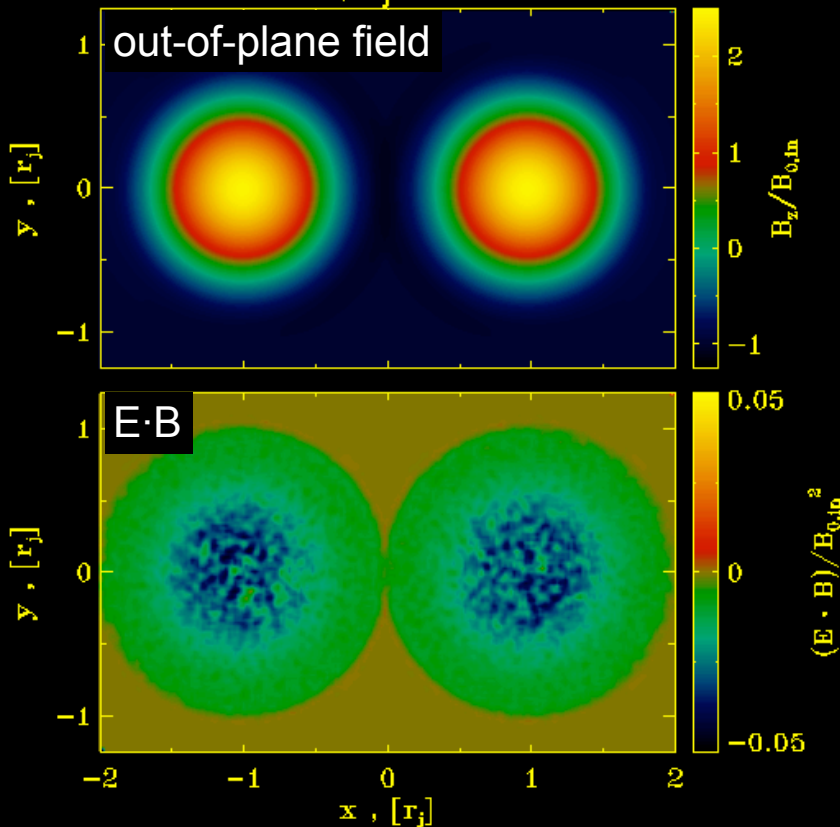
$B_z/B_{0,\text{in}}$



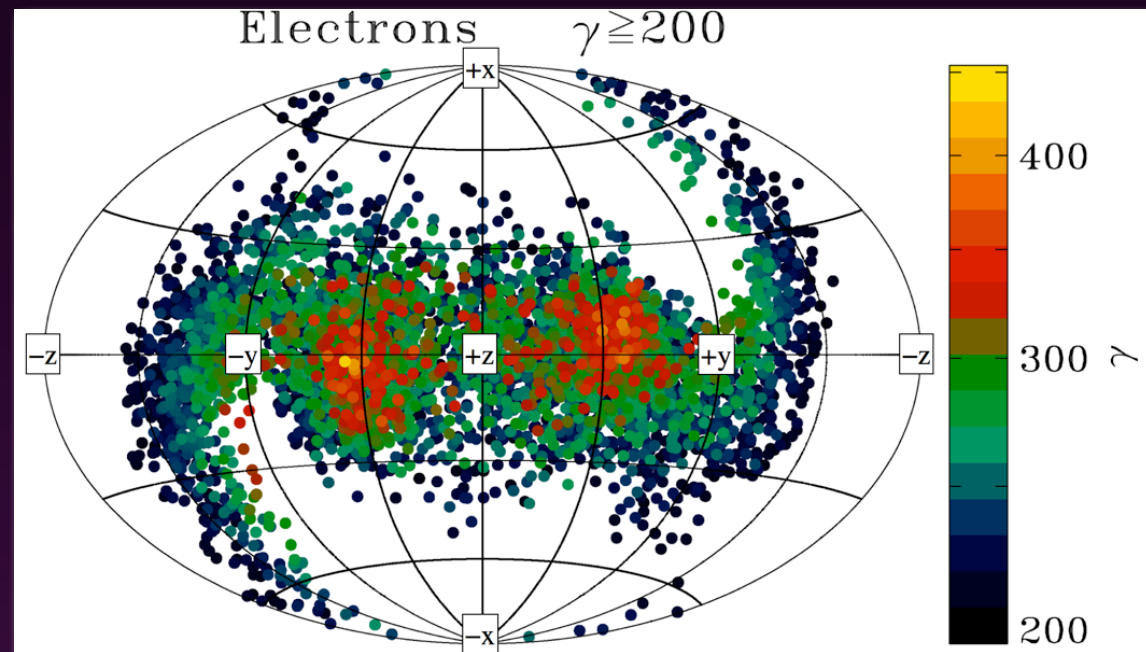
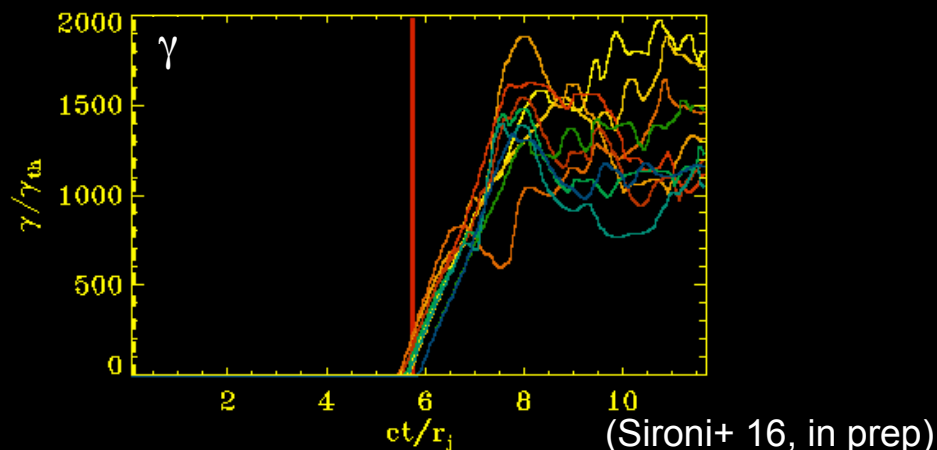
# Mechanism of particle acceleration

$\sigma_{in}=42$     $L/\sigma_{in}^{1/2}=62$   $c/\omega_p$     $kT/mc^2=cold$

$ct/r_j=0.0$

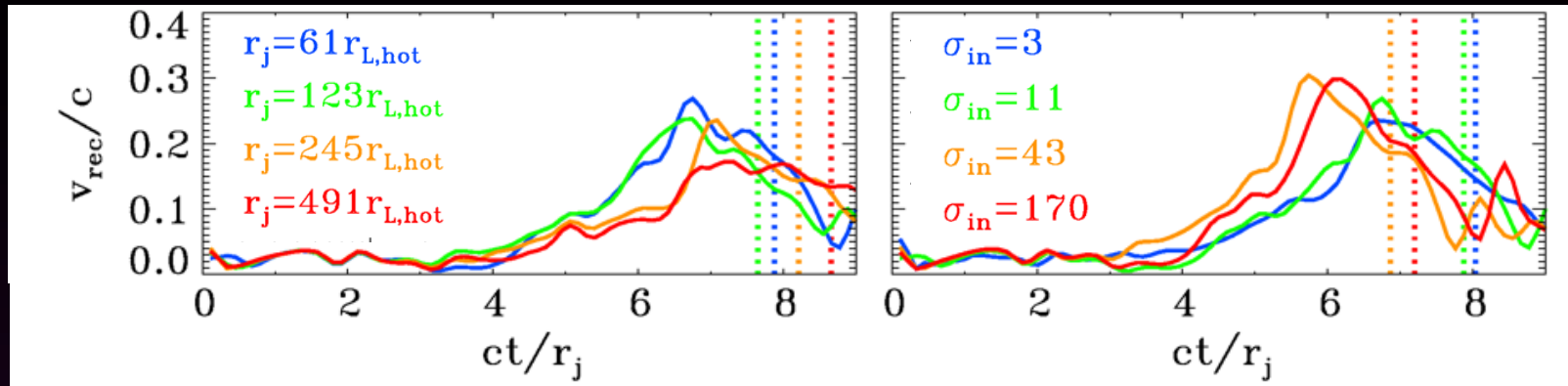


- Most of the particles that will reach high energies are injected near the most violent phase of evolution.
- Particle injection happens in regions where  $\mathbf{E} \cdot \mathbf{B} \neq 0$ , and particle acceleration is governed by the reconnection electric field.
- The highest energy particles are highly anisotropic (see also Cerutti+ 12, 13).

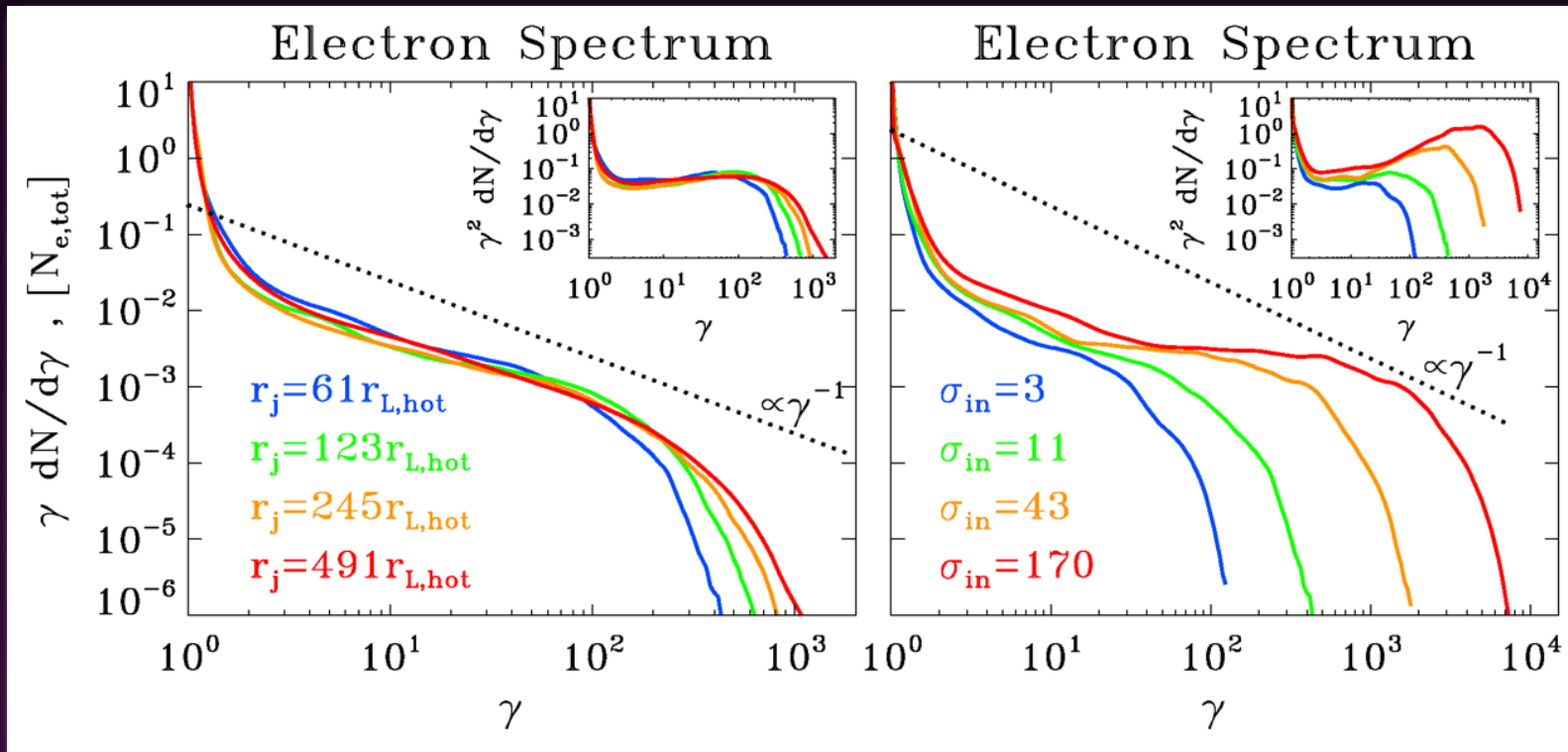


# Dependence on the flow parameters

- The reconnection rate is  $\sim 0.3 \rightarrow E/B \sim 0.3$ .



- For  $\sigma_{in} \geq 10$ , the power-law slope is hard:  $p \leq 2$ .
- The high energy cutoff grows linearly with the flux rope radius  $r_j$  and with the magnetization  $\sigma_{in} \rightarrow$  **acceleration on dynamical ( $\sim r_j$ ) length scales.**



# Beyond the synchrotron burnoff

Synchrotron burnoff limit:  
balance of acceleration by  $E \sim B$   
with synchrotron cooling gives

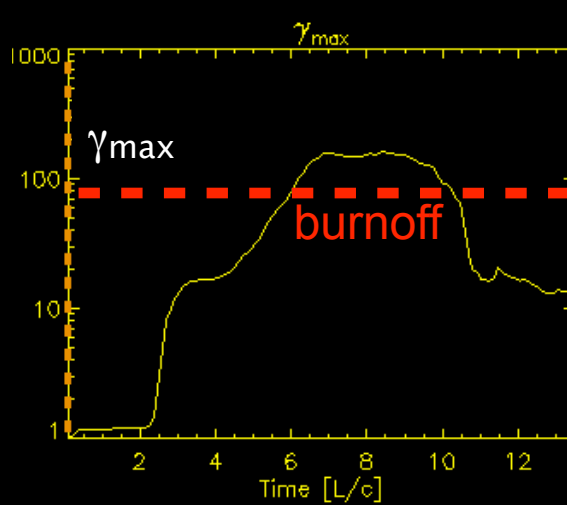
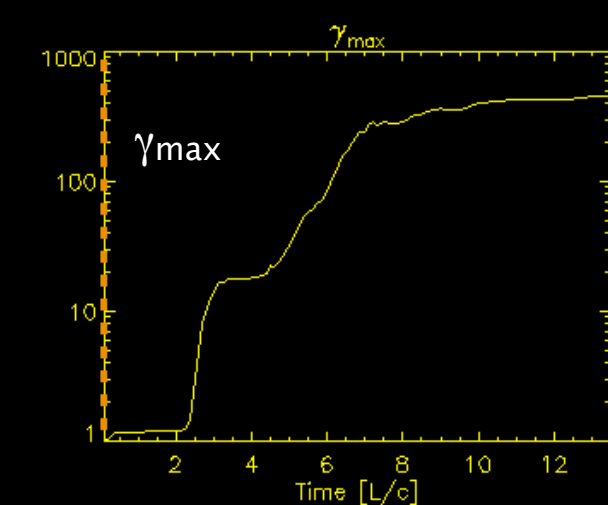
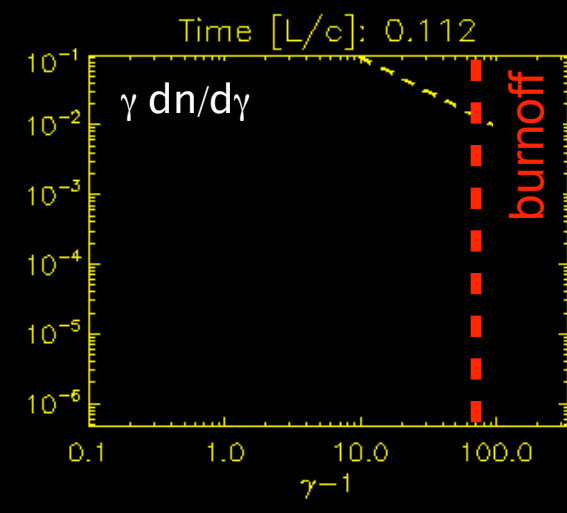
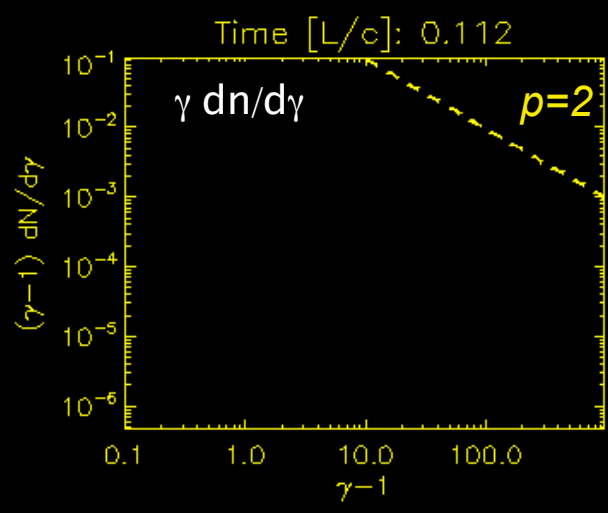
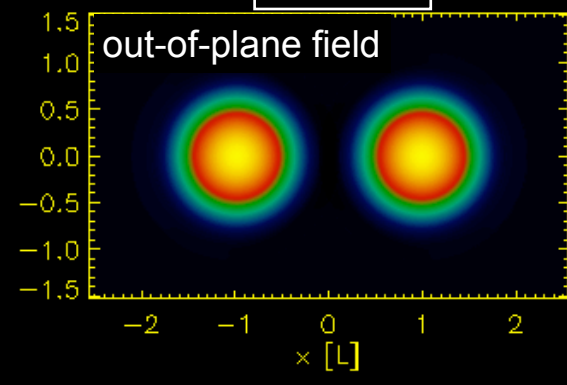
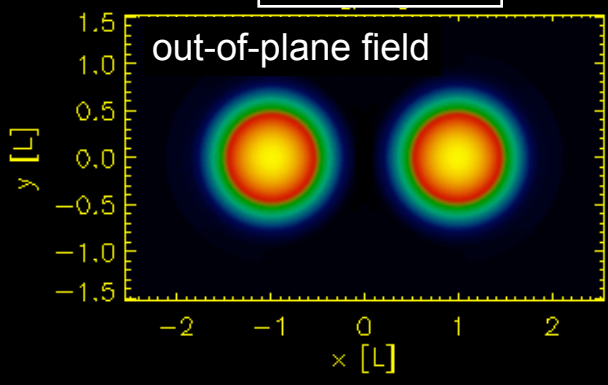
$$\gamma_{\max} \propto B^{-1/2}$$

$$h\nu_{\text{sync,max}} \sim 150 \text{ MeV}$$

# Beyond the synchrotron burnoff

no cooling

cooling



Synchrotron burnoff limit:  
balance of acceleration by  $E \sim B$   
with synchrotron cooling gives

$$\gamma_{\max} \propto B^{-1/2}$$

$$h\nu_{\text{sync,max}} \sim 150 \text{ MeV}$$

- Particles are accelerated in the (macroscopic) current sheet, where  $B$  is small, and they can be accelerated **beyond the synchrotron burnoff limit.**

(see also Cerutti+ 12,13 for plane-parallel reconnection).

# Summary

- Relativistic magnetic reconnection ( $\sigma \gtrsim 1$ ) is an efficient particle accelerator, in 2D and 3D. It produces non-thermal particles, in the form of a power-law tail with slope between -4 and -1 (harder for higher magnetizations), and maximum energy growing linearly with time.
- Plasmoids generated in the reconnection layer are in rough energy equipartition between particle and magnetic energy. They grow in size near the center at a rate  $\sim 0.1 c$ , and then accelerate outwards up to a four-velocity  $\sim \sqrt{\sigma}$ .
- “Monster” plasmoids of size  $\sim 0.2 L$  are generated once every  $\sim 2.5 L/c$ , their particle distribution is quasi-isotropic and they contain the highest energy particles, whose Larmor radius is  $\sim 0.04 L$  (*Hillas criterion of relativistic reconnection*). In blazar jets, reconnection can accelerate UHECRs.
- Explosive reconnection driven by large-scale stresses is fast ( $\sim$  few dynamical times), efficient and can produce hard spectra, in both 2D and 3D, as required by the Crab Nebula GeV flares.