SU(2) Gauge fields & Early Universe Particle Production

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MPA

IAP Sep 2019

• Inflation: Universe at highest observable energy!



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Free & powerful particle accelerator in the Sky to catch Physics Beyond SM

impossible for experiments on Earth either because they are too *heavy* or too *weakly coupled!*



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Challenges:

- Breaking the conformal symmetry
- Respecting gauge symmetry
- Spatial isotropy and homogeneity



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Or
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Spatial isotropy and homogeneity

U(1) vacuum A_{μ}



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SU(2) Field Instead! to the gauge theory: $\frac{\kappa}{384} (F\tilde{F})^2$ Or $\frac{\lambda}{8f} \varphi F\tilde{F}$

Adding new terms

A.M. and M. M. Sheikh-Jabbari, 2011

 $A_{\mu} = A_{\mu}^{a} T_{a} \quad [T_{b}, T_{c}] = i \epsilon_{abc} T_{a}$ $A_{\mu}^{a}(t) = \begin{cases} 0 & \mu = 0\\ \psi(t)e_{i}^{a} & \mu = i \end{cases}$ Isomorphy of so(3) and su(2) algebras

Gauge fields & Physics of Inflation?!

- Can gauge fields contribute to the physics of inflation & be compatible with its symmetries?
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A. M. and M. M. Sheikh-Jabbari, Phys. Rev. D 84 (2011) [*arXiv:1102.1932*] A. M. and M. M. Sheikh-Jabbari, Phys. Lett. B723 (2013) [*arXiv:1102.1513*]

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Yes!

Energy

 $E < 10^{14} GeV$

Star

It opens a new window on an unexplored direction in physics of the early Universe and particle cosmology!

Since 2011, many aspects and different realization of non-Abelian and SU(2) gauge fields in inflation have been studied

My collaborators at MPA are Eiichiro Komatsu, Kaloian Lozanov, Leila Mirzagholi, and Ira Wolfson.

Here is an incomplete list of colleagues that contribute to the better understanding of the rich phenomenology of this setup:

M.M. Sheikh-Jabbari, P. Adshead, M. Wyman, E. Martinec, M. Peloso, J. Soda, E. Dimastrogiovanni, A. Agrawal, T. Fujita, E. Sfakianakis, C. Unal, M. Fasiello, M. Noorbala, R. Caldwell, B. Thorne, E. McDonough, D. Spergel, S. Alexander, A. Liu, M. Hazumi, N. Katayama, M. Shiraishi, J. Bielefeld, C. Devulder, N. A. Maksimova, R. Namba, I. Obata, V. Domcke, Y. Ema, K. Mukaida, Y. Watanabe, R. Sato, and ...

SU(2)-axion models acquire an isotropic and homogenous vacuum with a slow-varying energy density during inflation.





SU(2)-axion models acquire an isotropic and homogenous vacuum with a slow-varying energy density during inflation.

This vacuum **violates** both **P** & **CP**!

Particles with spin, e.g. Fermions & Spin-2 fields are sensitive to this **non-trivial Vacuum during inflation**!

Pre-Hot Big Bang Particle Production! (during inflation) A. M. and M. M. Sheikh-Jabbari, 2011 P. Adshead, M. Wyman, 2012







New Spin – 2

Belongs to perturbed SU(2) field $\delta A_i^a \ni B_{ij} \delta_i^a$

Is Chiral $B_R \neq B_L$ and linearly coupled to GWs.









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I) Particle Physics of Inflation,

II) Observed matter asymmetry, &

III) Particle nature of DM

IV) Primordial GWs the only missing prediction of inflation, to be observed!

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Fundamental discrete Symmetries and their violation had key rule in understanding SM, e.g.C and P violation in weak interactions,CP violation to explain baryon asymmetry which needs beyond SM physics.

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SU(2)-axion inflation Spontaneously breaks P and CP and relates all of these seemingly unrelated Phenomena in early and late cosmology!

Part II

SU(2)-axion Model building

SU(2) Gauge fields and Inflation

• **Gauge-flation**A. M. and M. M. Sheikh-Jabbari, Phys. Rev. D 84 (2011) [*arXiv:1102.1932*]
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$$S_{Gf} = \int d^4x \sqrt{-g} \left(-\frac{R}{2} - \frac{1}{4}F^2 + \frac{\kappa}{384}(F\tilde{F})^2 \right)$$

• Chromo-natural P. Adshead, M. Wyman, Phys. Rev. Lett. (2012) [arXiv:1202.2366]

$$S_{Cn} = \int d^4x \sqrt{-g} \left(-\frac{R}{2} - \frac{1}{4}F^2 - \frac{1}{2} \left((\partial_\mu \varphi)^2 - \mu^4 \left(1 + \cos(\frac{\varphi}{f}) \right) \right) - \frac{\lambda}{8f} \varphi F \tilde{F} \right)$$

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• Inspired by them, several different models with SU(2) fields have been proposed and studied.

An incomplete list of models with SU(2) gauge field:		$lpha_H$	α_s
1.	A. M. and M. M. Sheikh-Jabbari, Phys. Lett. B723 (2013) [arXiv:1102.1513]	0	0
2.	P. Adshead, M. Wyman, Phys. Rev. Lett.(2012) [arXiv:1202.2366]	0	0
3.	A. M. JHEP 07 (2016) 104 [arXiv:1604.03327]	0	0
4.	C. M. Nieto and Y. Rodriguez Mod. Phys. Lett. A31 (2016) [arXiv:1602.07197]	1	0
5.	E. Dimastrogiovanni, M. Fasiello, and T. Fujita JCAP 1701 (2017) [arXiv:1608.04216]	0	1
6.	P. Adshead, E. Martinec, E. I. Sfakianakis, and M. Wyman JHEP 12 (2016) 137 [arXiv:1609.04025]	1	0
7.	P. Adshead and E. I. Sfakianakis JHEP 08 (2017) 130 [arXiv:1705.03024]	1	0
8.	R. R. Caldwell and C. Devulder Phys. Rev. D97 (2018) [arXiv:1706.03765]	0	0
	-	1	1

• These models can be represented in the unified form

$$S = S_A(A_{\mu}, \phi) + \alpha_s \underbrace{S_s(\chi)}_{Scalar \text{ inflaton}} (A_{\mu}, H) + A_s \underbrace{S_s(\chi)}_{Scalar \text{ inflaton}} (B_{\mu}, H) + B_{\mu} \underbrace{S_H(A_{\mu}, H)}_{Higgs \text{ sector}} + B_{\mu} \underbrace{S_H(A_{\mu}, H)}_{Higgs \text{ s$$



Due to the SU(2) gauge field with a non-zero VEV, they all share these features

i) SU(2) gauge fields are FRW friendly: (respect isotropy & homogeneity)

$$A^{a}_{\mu}(t) = \begin{cases} 0 & \mu = 0\\ \psi(t)a(t)\delta^{a}_{i} & \mu = i \end{cases} \qquad e^{a}_{i} = a(t)\delta^{a}_{i} \text{ spatial part of tetrade}$$

ii) Breaking conformal symmetry & respecting the gauge symmetry

iii) Extra spin-2 degrees of freedom: $\delta A_i^a(t, \vec{x}) = \delta S_i^a + \overline{B_{ij}} \delta_i^a$ Scalar and vector d.o.f

iv) Spin-2 field is chiral & coupled linearly with gravity waves

Chiral primordial Gravitational waves

ackground Perturbation

SU(2) Gauge fields and Stochastical Anisotropies

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Isotropic Background

nisotropi

Kgrou

How stable is the isotropic ansatz against initial stochastical anisotropies, i.e. Bianchi geometry?



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 $\lambda(t)$ Parametrizes the amount of anisotropy in the gauge field Isotropic solution is the attractor! $(2 + \lambda^6)(\frac{\lambda''}{\lambda} + 3\frac{\lambda'}{\lambda}) - 6\frac{{\lambda'}^2}{{\lambda}^2} + (\lambda^6 - 1)(2 + \lambda^2\gamma) \simeq 0$;

> A. M. and M.M. Sheikh-Jabbari, J. Soda, JCAP 1201 (2012) 016 [*arXiv:1109.5573*] A. M. and E. Erfani, JCAP03 (2014) 016 [*arXiv:1311.3361*]

SU(2) Gauge fields and Stochastical Anisotropies

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 $\lambda(t)$ Parametrizes the amount of anisotropy in the gauge field

The only exception is with massive SU(2) models when different colors of the SU(2) field has different masses! $(2 + \lambda^6)(\lambda\lambda'' + 3\lambda\lambda') - 6\lambda'^2 + \lambda^2(\lambda^6 - 1)(2 + \lambda^2\gamma) - \lambda^2(M_1^2 - M_2^2\lambda^6) \simeq 0$



UU

isotrop

Part III

Pre-Hot Big Bang Particle Production

Spin-2 fields production

• Spin-2 field $\delta A_i^a(t, \vec{x}) = B_{ij}(t, \vec{x}) \delta_i^a$ is governed by (δ_c and $\frac{m^2}{H^2}$ are two positive, given by BG)

$$B_{\pm}^{\prime\prime} + \left[k^2 \mp \delta_C k \mathcal{H} + \frac{m^2}{H^2} \mathcal{H}^2 - \frac{a^{\prime\prime}}{a}\right] B_{\pm} \approx 0$$

$$\omega_{\sigma}^2(\tau, k) \text{ effective frequency}$$

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 $\omega_{\sigma}^{2}(\tau, k)$ effective frequency

- due to the <u>derivative interaction</u>, $\omega_{\sigma}^2(\tau, k)$ is
- 1) <u>chiral</u>
- 2) violates <u>adiabaticity conditions</u> for a short period before horizon exit



• Spin-2 field $\delta A_i^a(t, \vec{x}) = B_{ij}(t, \vec{x}) \delta_i^a$ is governed by (δ_c and $\frac{m^2}{m^2}$ are two positive, given by BG)

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 $\omega_{\sigma}^{2}(\tau, k) \text{ effective frequency} \text{ Deviation from adiabaticity} \\ \cdot \text{ Spin-2 field } \delta A_{i}^{a}(t, \vec{x}) = B_{ij}(t, \vec{x})\delta_{i}^{a} \text{ is governed by } (\delta_{c} \text{ and } \frac{m^{2}}{H^{2}} \text{ are two positive, given by BG})$

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$$\frac{k}{aH} = \frac{\delta_C = 40}{\delta_C = 10/\sqrt{2}}$$

Production

• Spin-2 field $\delta A_i^a(t, \vec{x}) = B_{ij}(t, \vec{x}) \delta_i^a$ is governed by (δ_c and $\frac{m^2}{H^2}$ are two positive, given by BG)

$$B_{\pm}^{\prime\prime} + [k^2 \mp \delta_C k \mathcal{H} + \frac{m^2}{H^2} \mathcal{H}^2 - \frac{a^{\prime\prime}}{a}] B_{\pm} \approx 0$$

- Polarization B_+ has a short time of particle production before horizon crossing.
- Polarization B₋ is (almost) always very close to its vacuum state, negligible pair production.

A. M. and E. Komatsu, 2018

 $n_B \sim \frac{H^3}{6\pi^2} \delta_c^3 \ e^{\frac{(2-\sqrt{2})\pi}{2}\delta_c}$

very important: $BR \approx g_A n_B \sim \delta_c^3 e^{\frac{(2-\sqrt{2})\pi}{2}\delta_c}$

Backreaction of the spin-2 field can be

• The B_{\pm} fields are massive $\left(\frac{m^2}{\mu^2} > 8\right)$ & decay after horizon crossing.



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• That sourced the Gravity waves $\delta g_{ij}(t, \vec{x}) = a h_{ij}(t, \vec{x})$ as $(h_{ij} \equiv a \gamma_{ij})$

$$h_{\pm}^{\prime\prime} + \left[k^2 - \frac{a^{\prime\prime}}{a}\right] h_{\pm} \approx \frac{2\psi}{M_{Pl}} \mathcal{H}^2 \Pi_{\pm} \left[B_{\pm}\right]$$

• Gravitational waves have two uncorrelated terms







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• Gravitational waves have two uncorrelated terms

$$h_{\pm} = h_{\pm}^{vac} + h_{\pm}^{s}$$

The ratio of the power spectra of sourced to vacuum gravitational waves

is

$$\frac{P_T^S}{P_T^{vac}} \approx \left(\frac{\psi}{M_{Pl}}\right)^2 \times \left(\frac{n_B}{H^3}\right) \quad \text{A.}$$
$$n_B \sim \frac{H^3}{6\pi^2} \delta_c^3 e^{\frac{(2-\sqrt{2})\pi}{2}\delta_c}$$

In the presence of the primordial <u>SU(2) gauge fields</u>

- i) The tensor power spectrum is not entirely specified by the scale of inflation!
- ii) Sizable tensor to scalar ratio without large field = violation of Lyth bound!
- iii) The tensor power spectrum is partially chiral and parity odd correlations

 $\langle TB \rangle$ and $\langle EB \rangle$ are non-zero!

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- ii) Sizable tensor to scalar ratio without large field = violation of Lyth bound!
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Spin-2 backreaction puts constraints on ratio of the power spectra of sourced to vacuum gravitational waves $\frac{P_T^s}{P_T^{vac}} \sim O(1)$

$$\frac{P_T^S}{P_T^{vac}} \approx \left(\frac{\psi}{M_{Pl}}\right)^2 \times \left(\frac{n_B}{H^3}\right)$$
$$n_B \sim \frac{H^3}{6\pi^2} \delta_c^3 e^{\frac{(2-\sqrt{2})\pi}{2}\delta_c}$$

Observation!

The sourced tensor modes is Highly non-Gaussian.

Agrawal, Fujita, Komatsu 2018

That can be probe with future CMB missions., e.g. *Litebird*!





Maresuke Shiraishi, Front. Astron. Space Sci. 2019

Observation!

More than just CMB!

Comparison of the sensitivity curves for LiteBIRD, Planck, LISA, and .



Thorne, Fujita, Hazumi, Katayama, Komatsu & Shiraishi, 2018

Scalar & Fermion production (Schwinger effect)

Vacuum is much more than just nothingness!

It is a vast ocean of **virtual particles** which are creating and annihilating very quickly.

Virtual particles



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In the presence of background fields, i.e. Electric, or Gravitational background fields this virtual particles can be physical!

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Schwinger Particle Production

• Charged scalar fields coupled to the SU(2) gauge field BG

$$S_{\text{matter}} = \int d^4x \sqrt{-g} \left[(\mathbf{D}_{\mu} \boldsymbol{\varphi})^{\dagger} \mathbf{D}^{\mu} \boldsymbol{\varphi} - m^2 \boldsymbol{\varphi}^{\dagger} \boldsymbol{\varphi} \right]$$
$$\mathbf{D}_{\mu} \boldsymbol{\varphi} = (\mathbf{I}_{2 \times 2} \nabla_{\mu} + ig_A \mathbf{A}_{\mu}) \boldsymbol{\varphi}$$

• (Dark) massive fermion doublet

$$S_{\text{fermion}} = \int d^4 x \sqrt{-g} \left[i \bar{\tilde{\Psi}} D \tilde{\Psi} - m \bar{\tilde{\Psi}} \tilde{\Psi} + \beta \frac{\lambda \chi}{f} \nabla_\mu J_5^\mu \right]$$
$$D = D_\mu \otimes \gamma^\mu = \left[\mathbf{I}_2 \nabla_\mu - i g_A A_\mu^a \mathbf{T}_a \right] \otimes \gamma^\mu$$

Schwinger Particle Production-scalar

• Charged scalar fields coupled to the SU(2) gauge field BG

$$S_{\text{matter}} = \int d^4x \sqrt{-g} \left[\left(\mathbf{D}_{\mu} \boldsymbol{\varphi} \right)^{\dagger} \mathbf{D}^{\mu} \boldsymbol{\varphi} - m^2 \boldsymbol{\varphi}^{\dagger} \boldsymbol{\varphi} \right]$$
$$\mathbf{D}_{\mu} \boldsymbol{\varphi} = \left(\mathbf{I}_{2 \times 2} \nabla_{\mu} + i g_A \mathbf{A}_{\mu} \right) \boldsymbol{\varphi}$$
The induced summer

The induced current







Takeshi Kobayashi, Niayesh Afshordi, JHEP10(2014)166

Schwinger Particle Production-scalar

• Charged scalar fields coupled to the SU(2) gauge field BG





SU(2) gauge field BG

L. Mirzagholi, A.M. D. Lozanov , arXiv:1905.09258 A. M arXiv:1909.11545

$$S_{\text{fermion}} = \int d^4x \sqrt{-g} \left[i \bar{\Psi} D \tilde{\Psi} - m \bar{\Psi} \tilde{\Psi} + \beta \frac{\lambda \varphi}{f} \nabla_{\mu} J_5^{\mu} \right]$$
$$D \equiv D_{\mu} \otimes \gamma^{\mu} = \left[\mathbf{I}_2 \nabla_{\mu} - i g_A A_{\mu}^a \mathbf{T}_a \right] \otimes \gamma^{\mu}$$

This vacuum violates both P & CP!

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$$S_{\text{fermion}} = \int d^4 x \sqrt{-g} \left[i \bar{\tilde{\Psi}} D \tilde{\Psi} - m \bar{\tilde{\Psi}} \tilde{\Psi} + \beta \frac{\lambda \varphi}{f} \nabla_{\mu} J_5^{\mu} \right]$$
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Massive Dirac fermions generate during inflation.

$$\nabla_{\mu}J_{5}^{\mu} = -\frac{2im}{a^{3}}\bar{\tilde{\Psi}}\gamma_{5}\tilde{\Psi} + \frac{2g_{A}^{2}}{16\pi^{2}}F_{\mu\nu}^{a}\tilde{F}_{a\mu\nu}$$

The efficiency of the process is proportional to the source of the CP breaking!

A. M arXiv:1909.11545

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SU(2) gauge field BG

A new non-thermal mechanism for generating massive (Dark) fermions!

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The spin-2 backreaction constraint.

A.M. and Komatsu, 2018

D. Lozanov, A.M., and Komatsu 2018

Summary and Outlook

The presence of the primordial <u>SU(2) gauge fields with a VEV in Inflation</u>

- * Spontaneous P violation leads to a rich phenomenology for the particles with spin coupled to it.
- Spin-2 particles: 1) gauge field includes an extra spin-2 field which is chiral, linearly coupled to GWs
- 2) Partially chiral GWs, with parity odd correlations $\langle TB \rangle$ and $\langle EB \rangle$!
- 3) The size of the spin-2 backreaction puts an upper bound on $\frac{P_T^s}{P_T^{vac}} \sim 0$
- 4) With a non-trivial topology $\langle R\tilde{R} \rangle \neq 0$ by SM gravitational anomaly provides a natural leptogenesis.

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- Spin-0 particles: less scalar particle production comparing to the U(1)
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- Spin-1/2 particles: 1) a new non-thermal mechanism for
- generating massive (Dark) fermions.
- 2) The energy fraction of the DM today puts an upper bound on their mass as M < 10 TeV!



Thank You,