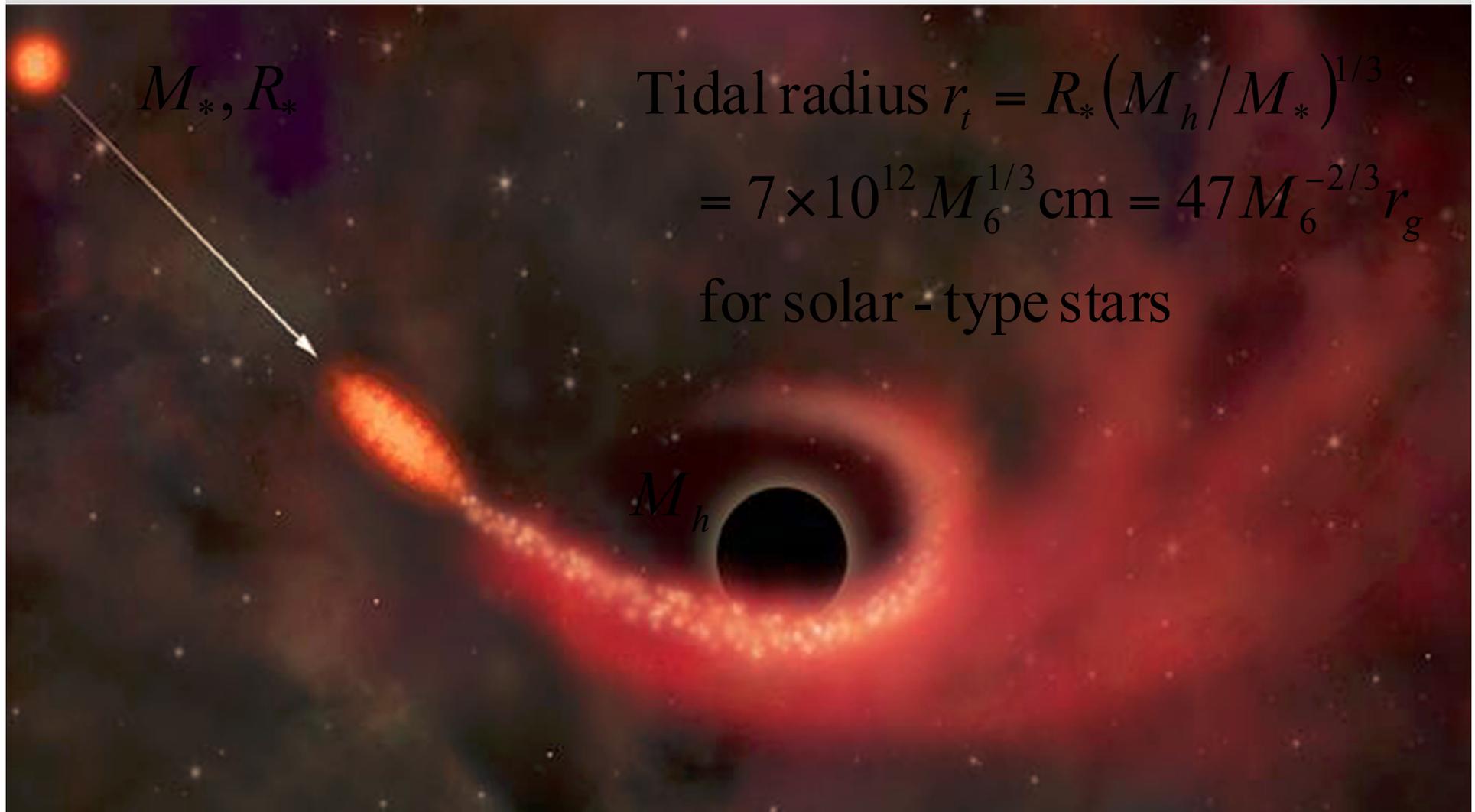


An aerial photograph of a university campus. In the foreground, there are several large, multi-story buildings with red-tiled roofs and stone or brick facades. A paved walkway with a few people is visible. The middle ground shows more campus buildings and trees with some autumn-colored foliage. In the background, there are large, rugged mountains under a clear blue sky.

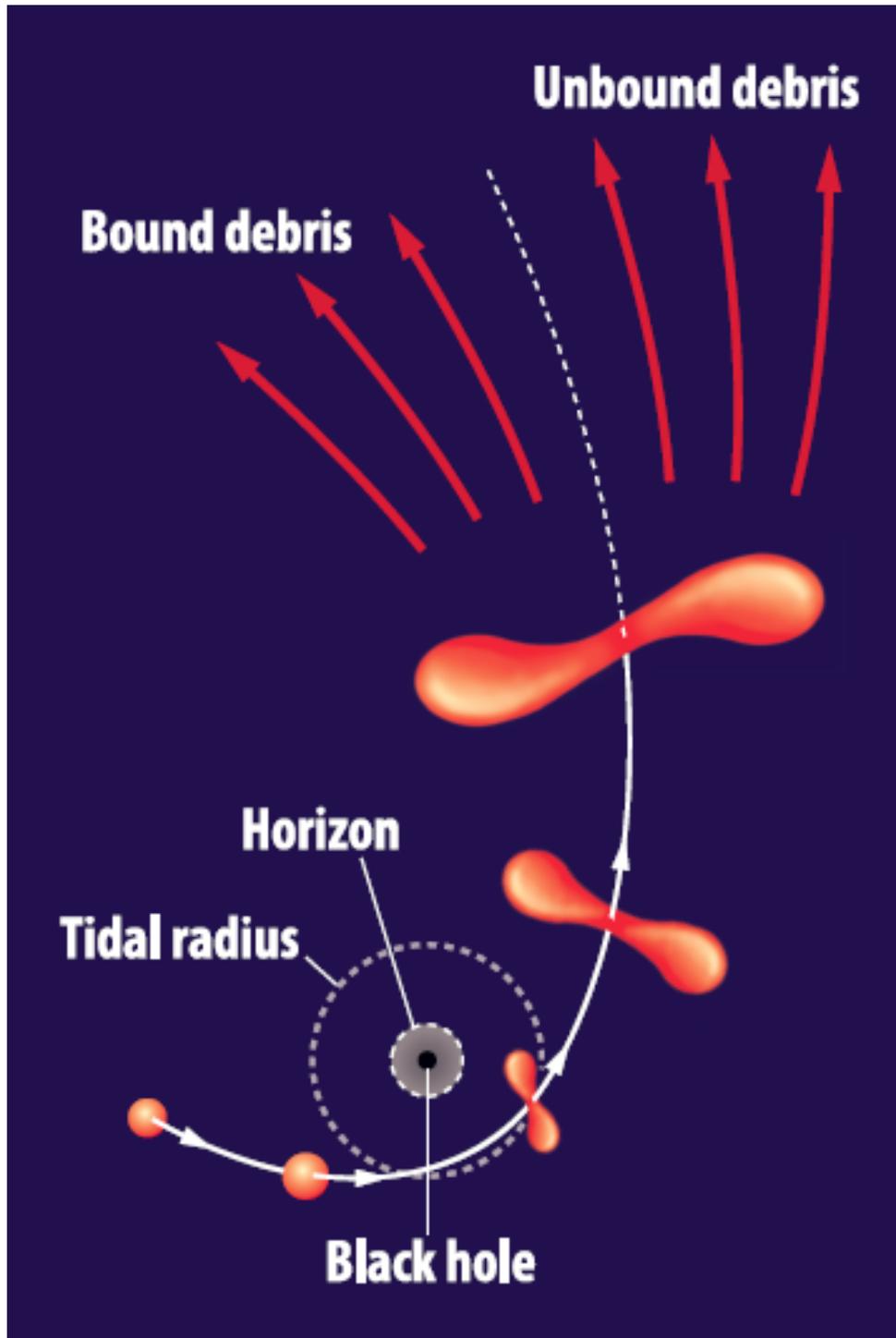
**WHAT CAN TIDAL DISRUPTION
EVENTS TEACH US ABOUT
BLACK HOLE ACCRETION?**

**Mitch Begelman
JILA, University of Colorado**

Tidal Disruption Event



A star ventures inside the tidal radius of a black hole and is torn apart



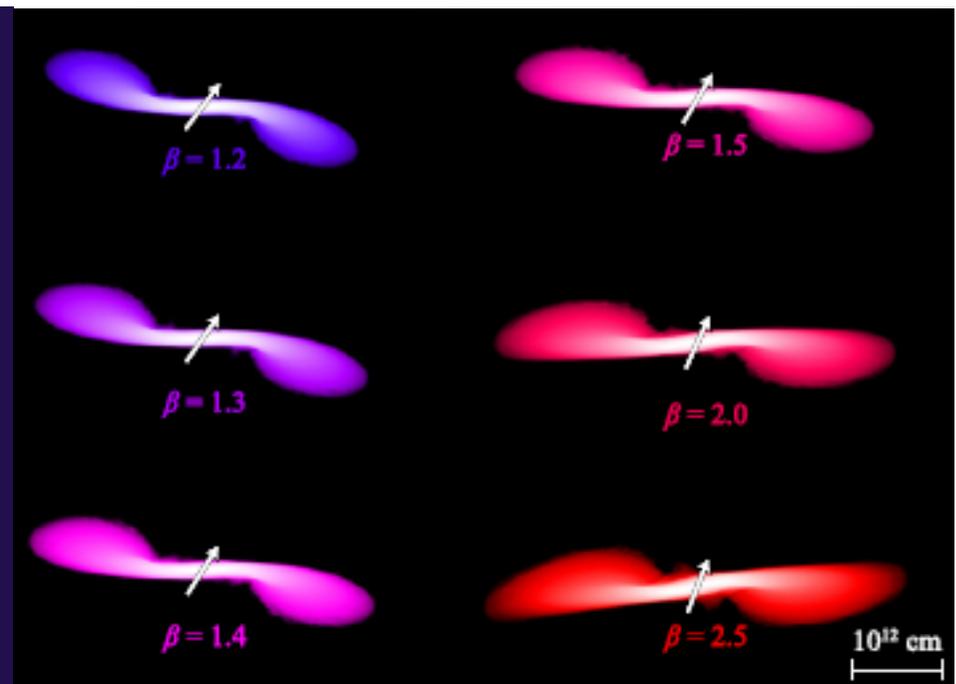
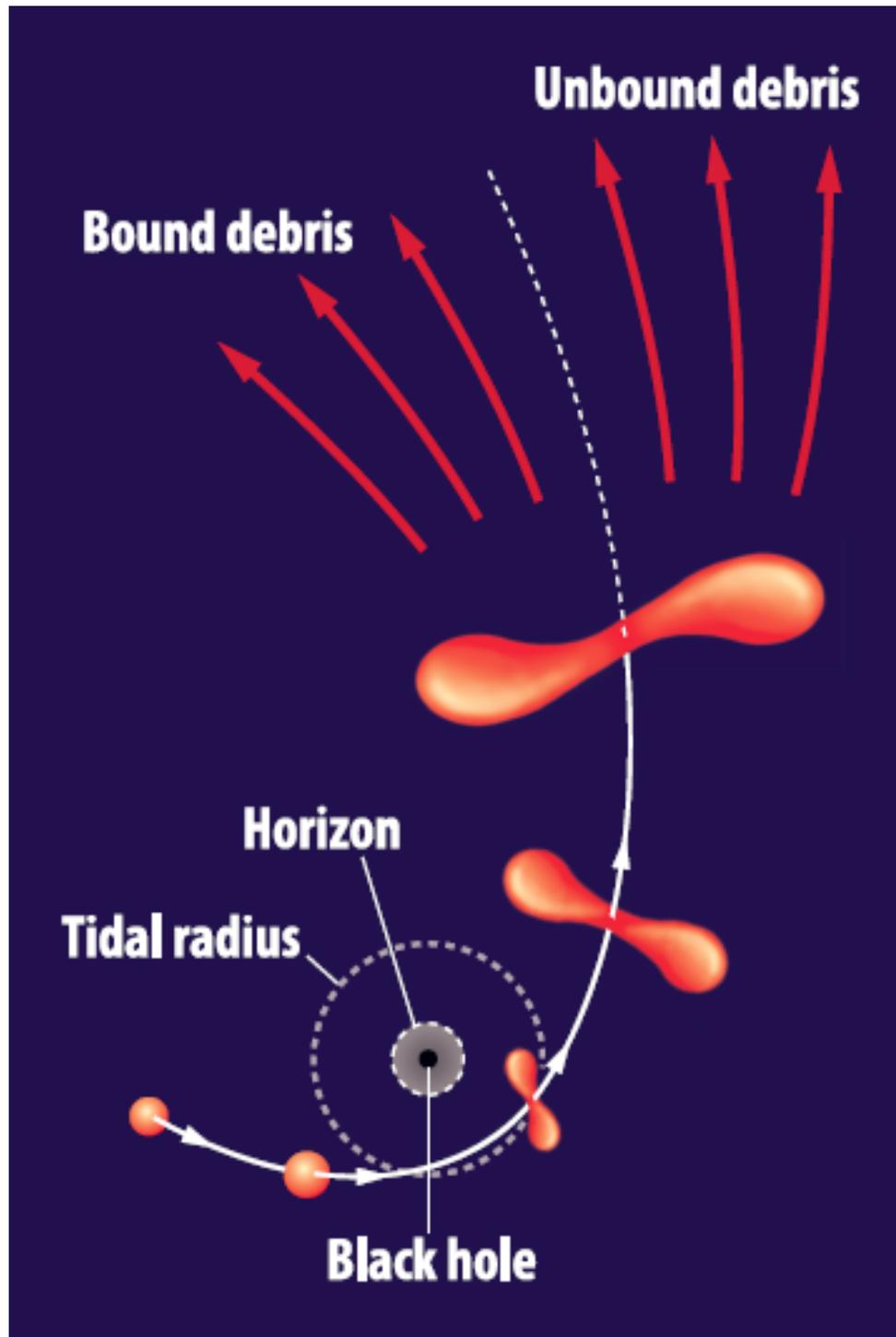
Tidal forces ...

... unbind ~half the debris

... throw the other half into highly eccentric orbits

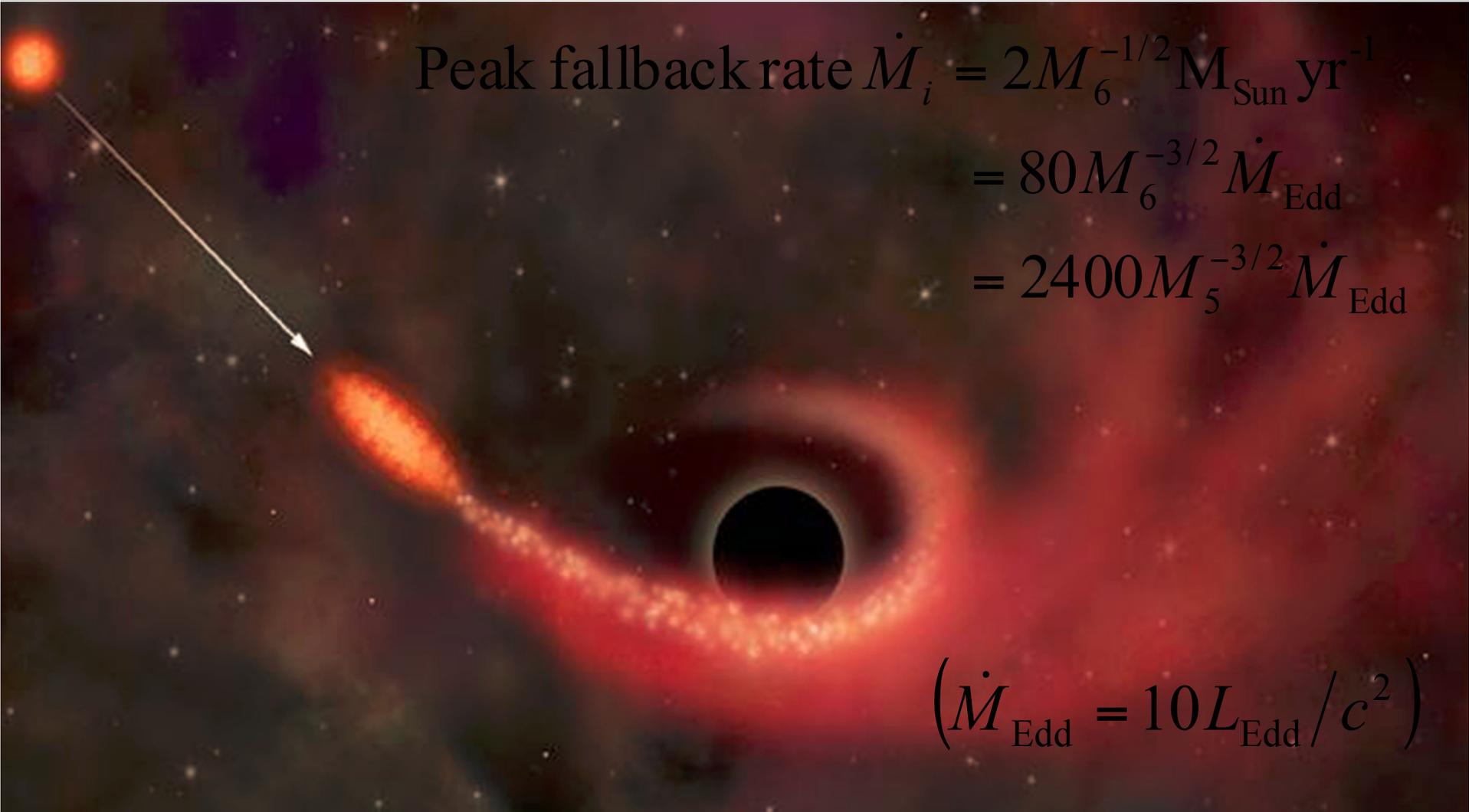
Semi-major axis:

$$\begin{aligned}
 r_i &\geq \frac{r_t}{2} \left(M_h / M_* \right)^{1/3} \\
 &= 4 \times 10^{14} M_6^{2/3} \text{ cm} \\
 &= 2400 M_6^{-1/3} r_g
 \end{aligned}$$



Simulations by Guillochon
& Ramirez-Ruiz 2013

Initial rise time for fallback $t_i = 0.1M_6^{1/2}\text{yr}$



Peak fallback rate $\dot{M}_i = 2M_6^{-1/2}M_{\text{Sun}}\text{yr}^{-1}$
 $= 80M_6^{-3/2}\dot{M}_{\text{Edd}}$
 $= 2400M_5^{-3/2}\dot{M}_{\text{Edd}}$

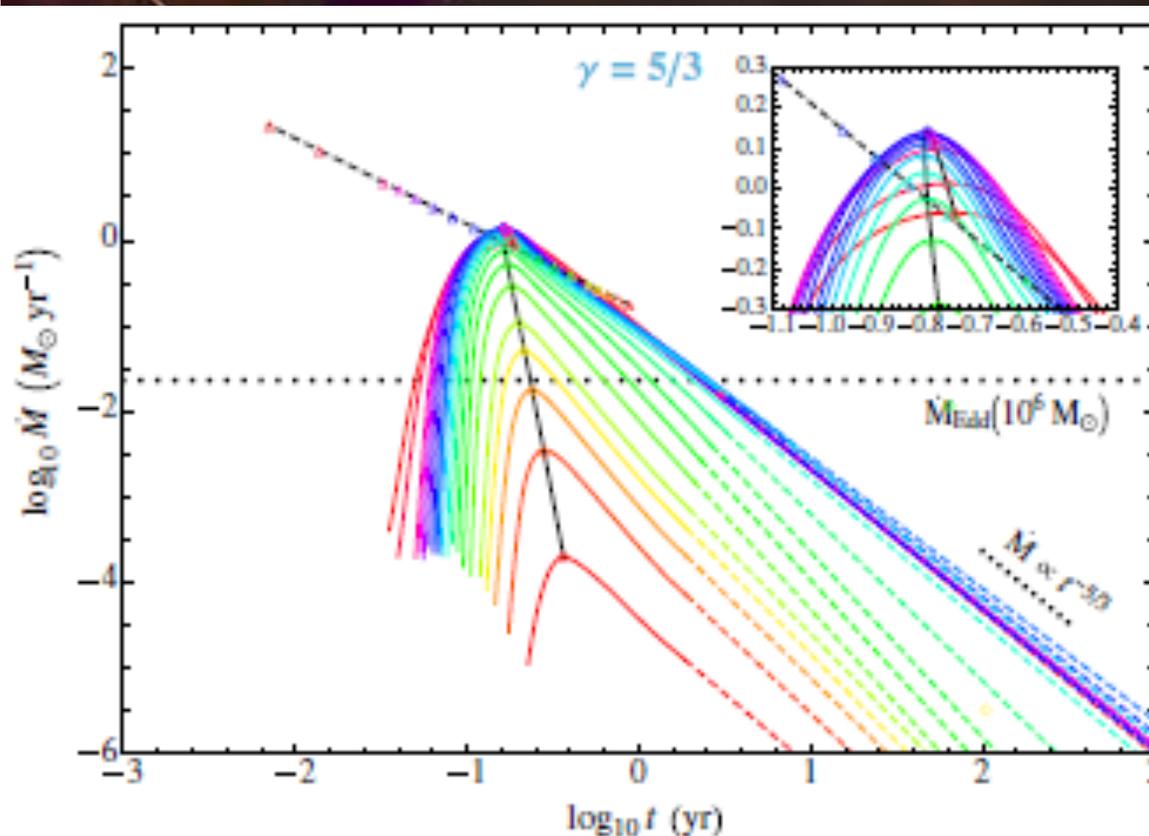
$$\left(\dot{M}_{\text{Edd}} = 10L_{\text{Edd}}/c^2\right)$$

Initial rise time for fallback $t_i = 0.1M_6^{1/2}\text{yr}$

Peak fallback rate $\dot{M}_i = 2M_6^{-1/2}M_{\text{Sun}}\text{yr}^{-1}$

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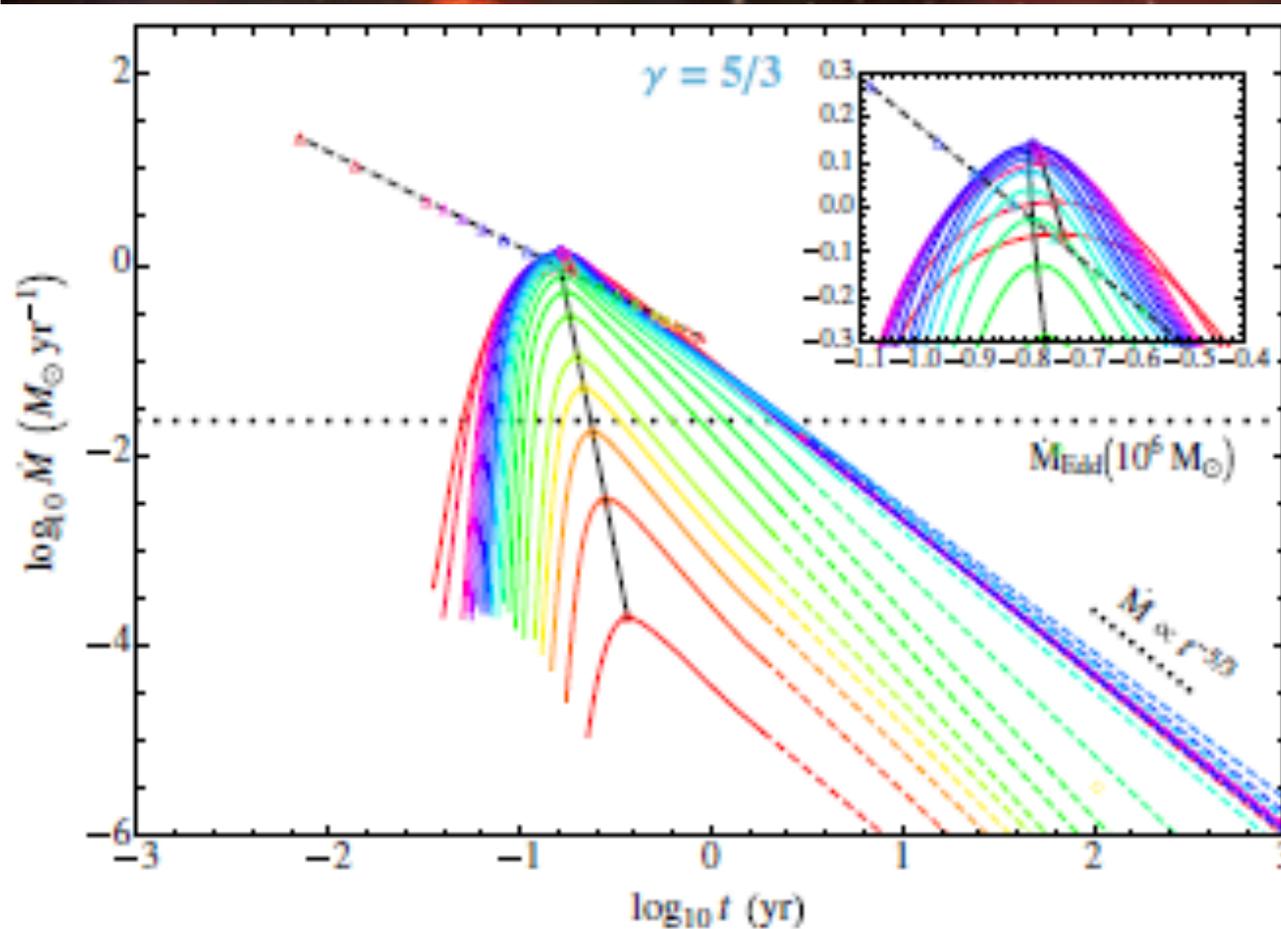


Simulations by Guillochon
& Ramirez-Ruiz 2013

Fallback decays as $\dot{M} \propto t^{-5/3} - t^{-2.2}$

\Rightarrow super - Eddington for $\sim 1 - 3$ yr

for $10^5 - 10^6 M_{\text{Sun}}$ BH



Tidal disruption leads to hyperaccretion:

- Mass supply rate exceeds Eddington limit:

$$\dot{M} \gg \dot{M}_{\text{Edd}}$$

- Energy released $\frac{GM\dot{M}}{r} \sim L_E$ at $r \sim 10\left(\dot{M} / \dot{M}_{\text{Edd}}\right)r_g$
= trapping radius where $\tau = \frac{c}{v}$

- Energy accumulates at $r < r_{\text{trap}}$

$$r_{\text{trap}} = \frac{\dot{M}\kappa}{4\pi c} = 10\left(\dot{M} / \dot{M}_{\text{Edd}}\right)r_g$$

HYPERACCRETION:

THE “SLIM DISK” APPROACH

$R > R_{\text{trap}}$: $\dot{M} = \text{const.}$
thin Keplerian disk

$R < R_{\text{trap}}$: $\dot{M} \propto R$
regulates $L \sim L_E$

Like an “ADIABATIC INLOW-
OUTFLOW SOLUTION” (ADIOS)
– Blandford & Begelman 1999

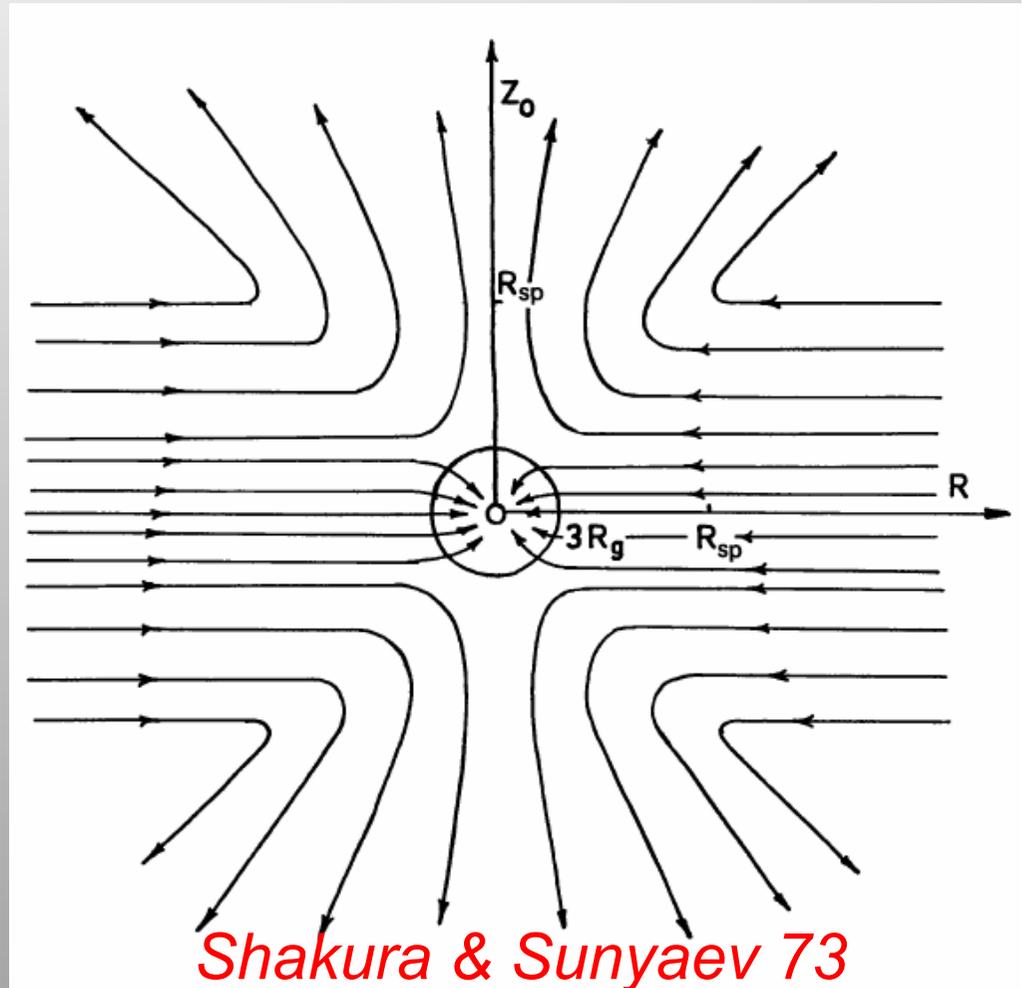


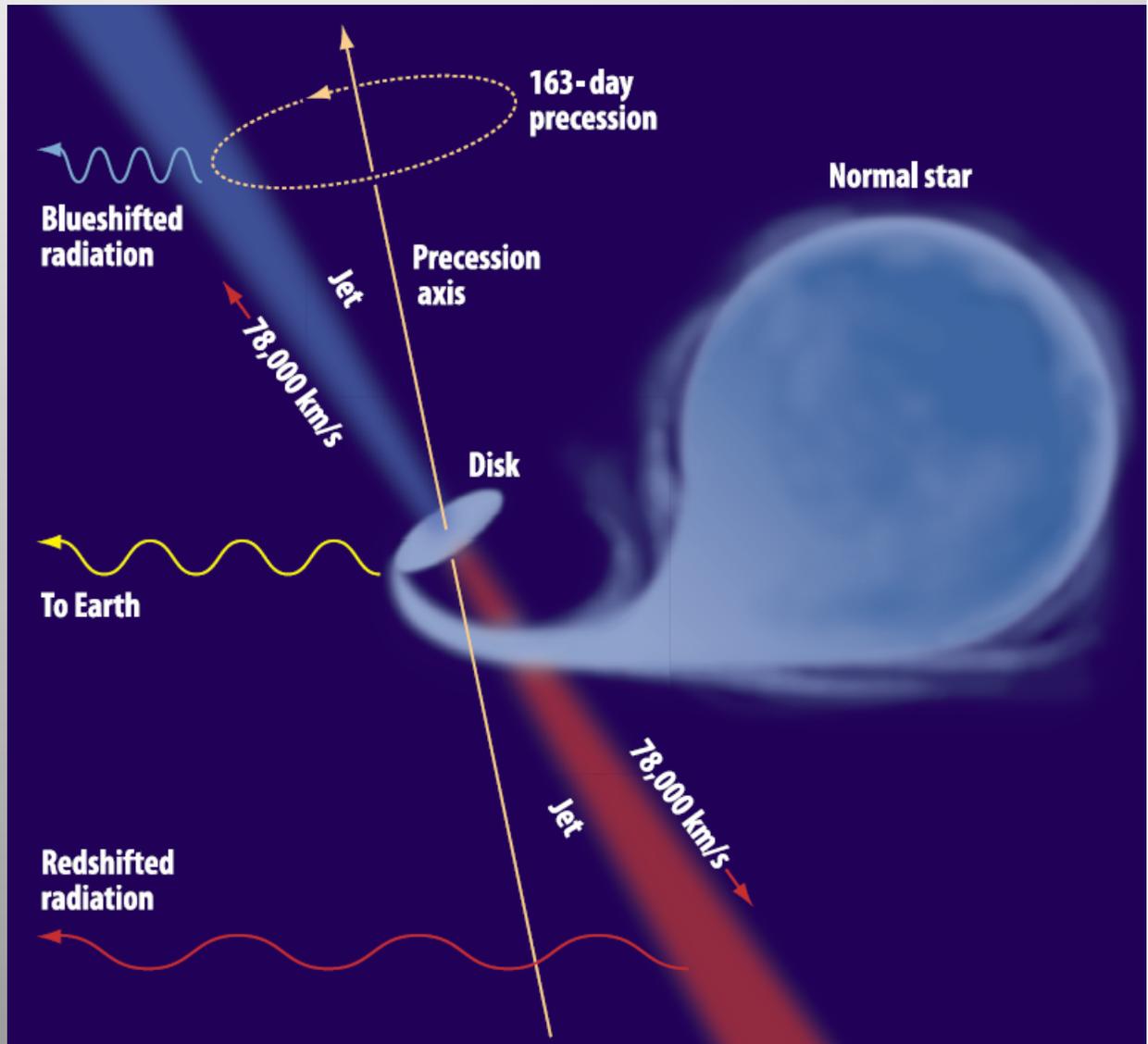
Fig. 8. Lines of matter flow at supercritical accretion (the disk section along the Z-coordinate). When $R < R_{sp}$ spherization of accretion takes place and the outflow of matter from the collapsar begins

SS433: A CLASSIC CASE OF HYPERACCRETION

$$\dot{M}_{in} \sim 10^3 \dot{M}_E$$

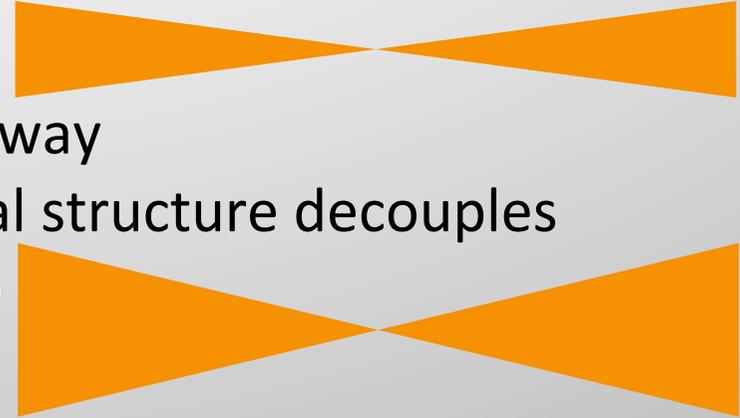
$$R_{trap} \sim 10^3 R_g$$

Strong wind
from large R



DISKLIKE ACCRETION

- Thin disk
 - \sim all dissipated energy radiated away
 - \sim circular Keplerian orbits, vertical structure decouples
 - energy transport: internal torque
- Slim disk
 - gas retains enough pressure to affect radial balance
 - energy transport: torque + advection
- Radiatively inefficient disk
 - Due to low density or high optical depth (Eddington limit)
 - must dispose of extra energy, mass, or angular momentum to avoid becoming unbound
 - Inflow-outflow, circulation, turbulent transport, winds
 - Accretion may be inhibited

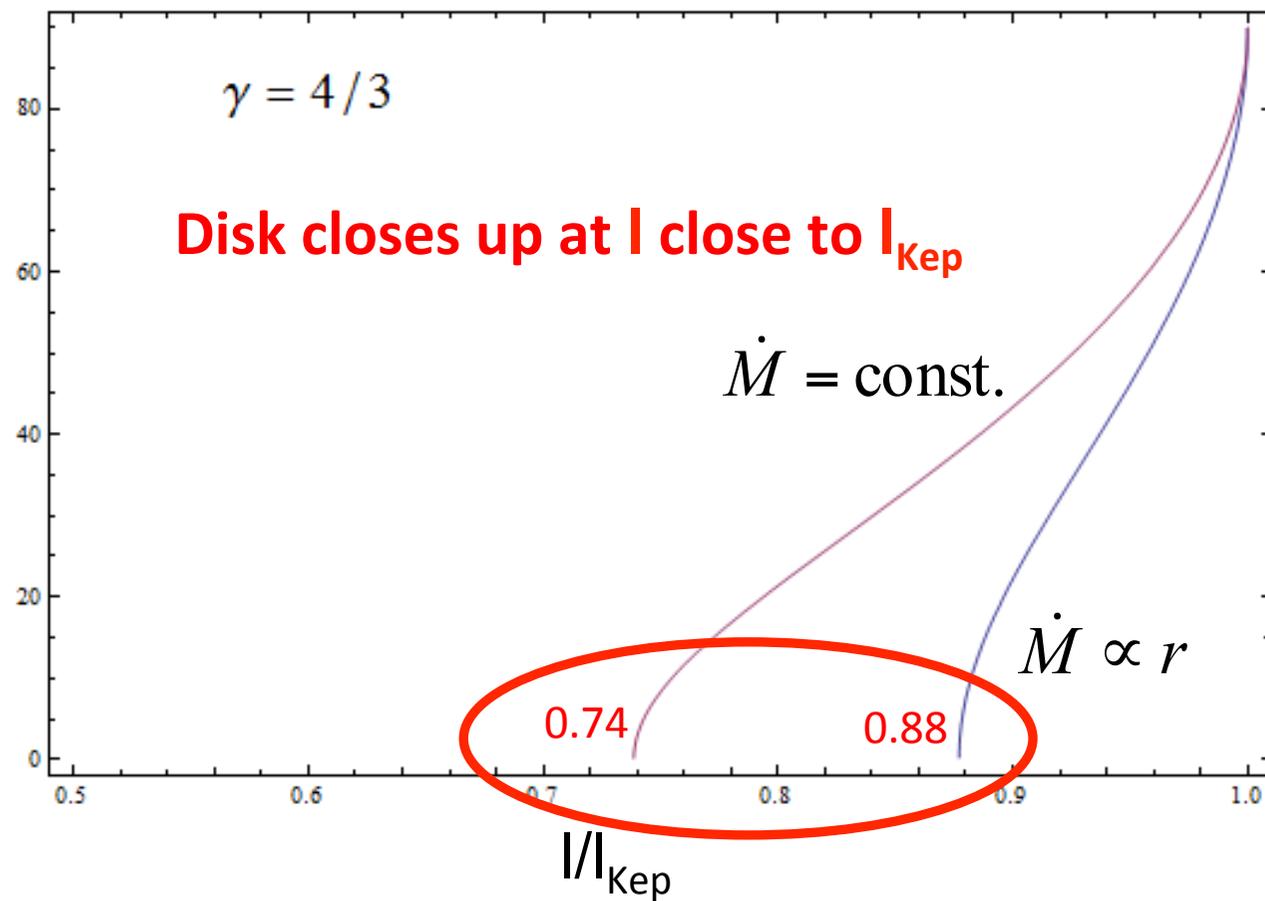


Slim disks: 1D models of 2D (axisymmetric) flows

What happens if we add the second dimension?

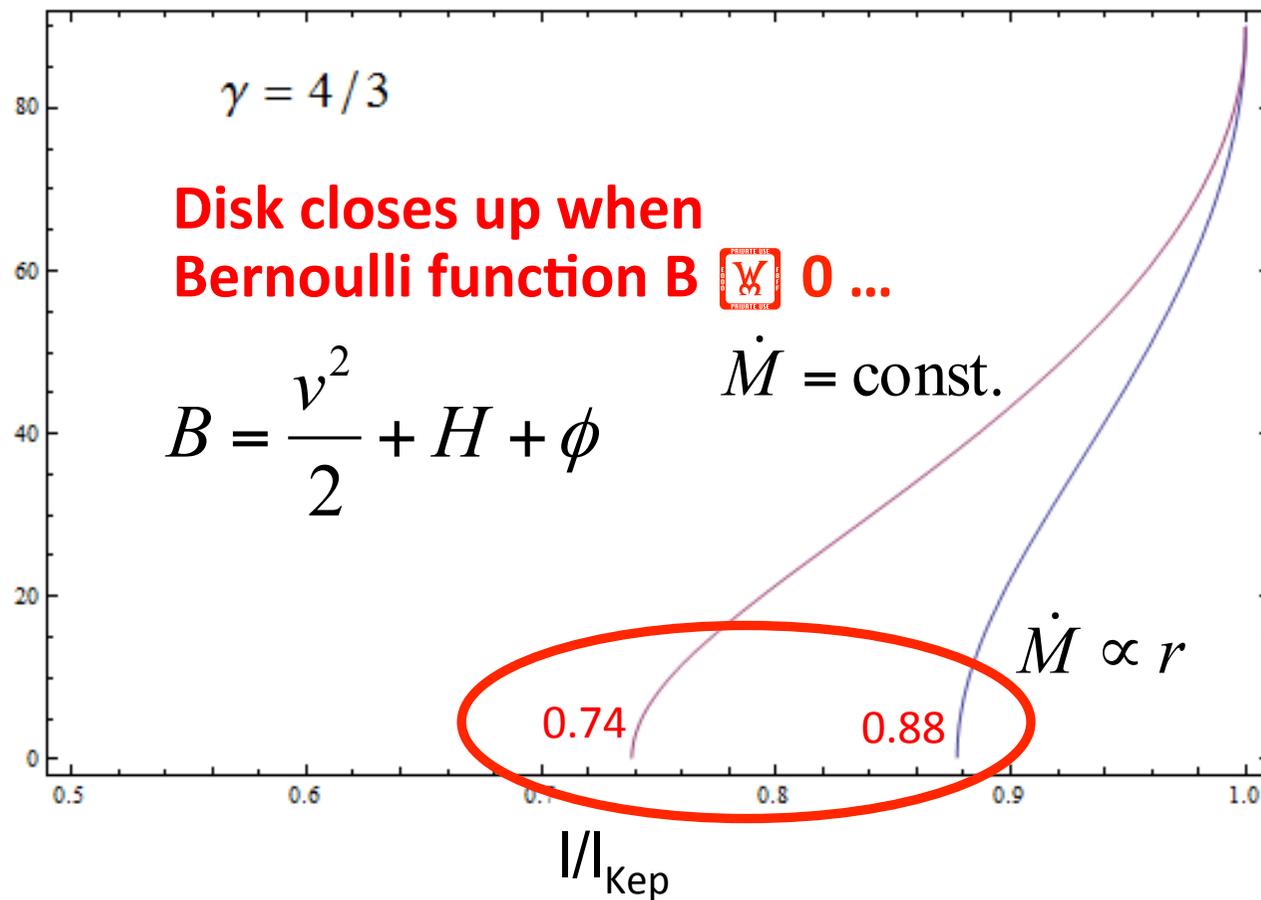
2D Slim Disk Models

OPENING
ANGLE
ABOUT
AXIS



- Gyrentropes: $s(l)$
- Quasi-Keplerian

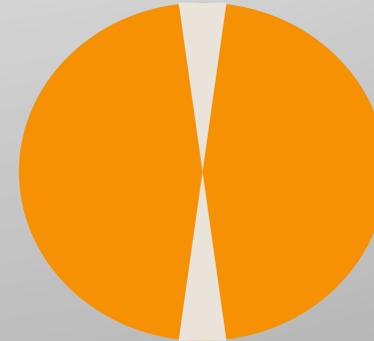
OPENING
ANGLE
ABOUT
AXIS



... which occurs if specific angular momentum is
too small compared to Keplerian

STARLIKE ACCRETION

- Dynamical conditions don't allow a bound disk-like flow



- Flow reduces B instead by *steepening* density/pressure profiles  leads to runaway accretion

Predict:

Sub-Keplerian angular momentum

+

Super-Eddington accretion rate



Failure of self-regulation:

Either violently unstable or star-like flow that produces super-Eddington jet (or accretion from low binding energy orbit)

WHAT ACTUALLY HAPPENS?

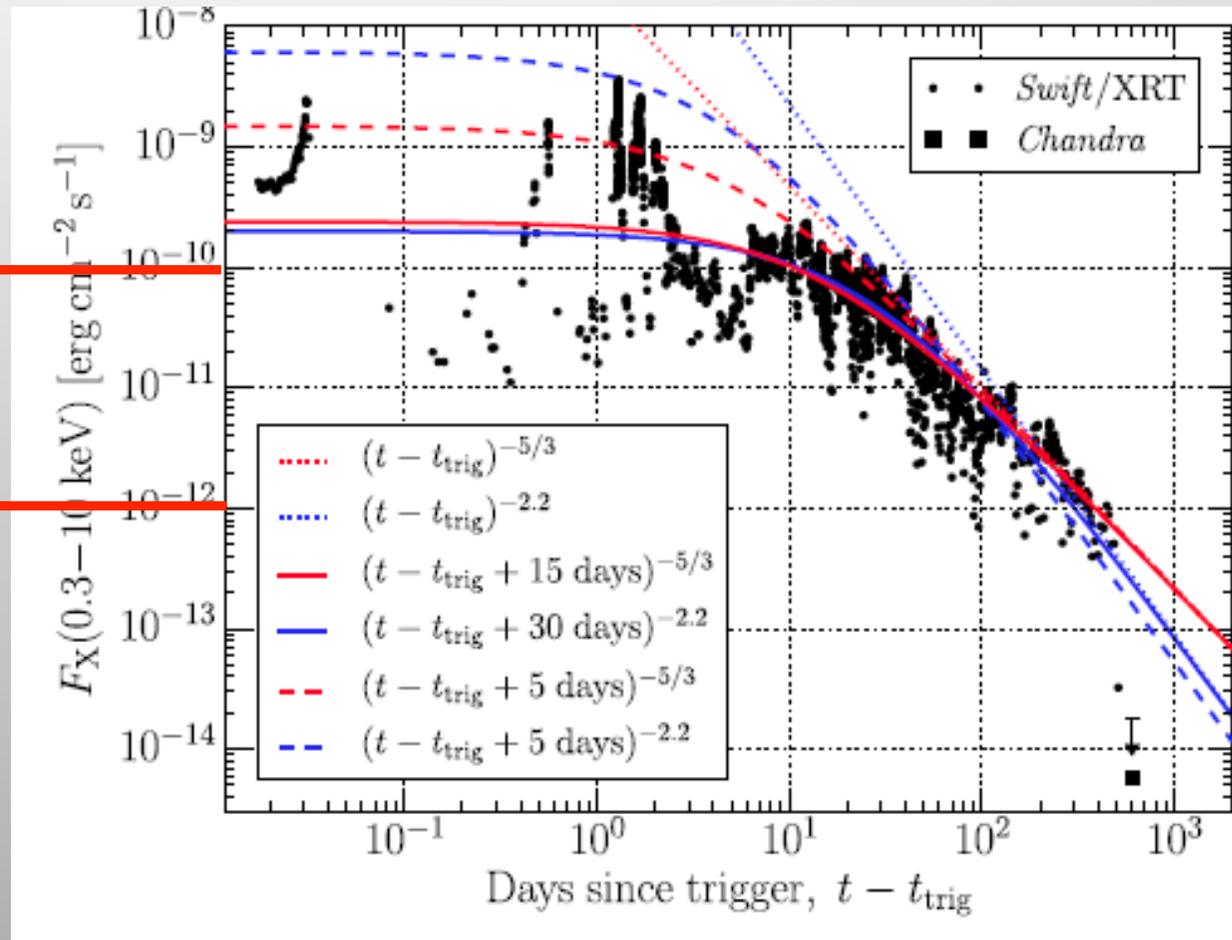
This is the situation in a
super-Eddington TDE

Super-Eddington TDE Swift J1644+57

$\sim 100L_{\text{Edd}}$

$\sim L_{\text{Edd}}$

Tchekhovskoy et al. 2014



- Swift + Chandra light curves
- L corrected for beaming
- Radio emission suggests jet

Super-Eddington TDE Swift J1644+57

- Angular momentum of debris cloud
 - $R_{\text{circularization}} \sim 10^{13} (M/M_{\odot})^{-1/3} (M_{\text{BH}}/10^6 M_{\odot})^{1/3} \text{ cm}$
- Radius of debris cloud
 - Set by radiation trapping condition $\tau \sim c/v_K$
 - $R_{\text{debris}} \sim 10^{15} (M/M_{\odot})^{2/5} (M_{\text{BH}}/10^6 M_{\odot})^{1/5} \text{ cm}$
- Hardly rotating
 - $L/L_K \sim (R_{\text{circ}}/R_{\text{deb}})^{1/2} \sim 0.1 (M_{\text{BH}}/10^6 M_{\odot})^{2/15}$ initially

Model as evolving sequence of star-like (low l) flows with $B \sim 0$

Zero Bernoulli Accretion Flow

(Coughlin & MCB 2013)

- Weakly bound envelope
- Narrow rotational funnel
- Density gradient and accretion rate depend on L/L_K

ZERO Bernoulli Accretion Flow

(Coughlin & MCB 2013)

ZEBRA

- Weakly bound envelope
- Narrow rotational funnel
- Density gradient and accretion rate depend on L/L_K

ZEBRA MODELS:

Equations:

$$\frac{1}{\rho} \frac{\partial p}{\partial r} = -\frac{\partial \phi}{\partial r} + \frac{\ell^2 \csc^2 \theta}{r^3}$$

$$\frac{1}{\rho} \frac{\partial p}{\partial \theta} = -\frac{\partial \phi}{\partial \theta} + \frac{\ell^2 \csc^2 \theta \cot \theta}{r^2}$$

$$\phi + \frac{\ell^2 \csc^2 \theta}{2r^2} + \frac{\gamma}{\gamma - 1} \frac{p}{\rho} = 0$$

General solution: | *any* function of

$$\phi r^2 \sin^2 \theta$$

Self-similar:

Keplerian potential

(, , q depend on a)

$$\rho(r, \theta) = \rho_0 \left(\frac{r}{r_0} \right)^{-q} (\sin^2 \theta)^\alpha,$$

$$p(r, \theta) = \beta \frac{GM_h \rho_0}{r} \left(\frac{r}{r_0} \right)^{-q} (\sin^2 \theta)^\alpha,$$

$$\ell^2(r, \theta) = aGM_h r \sin^2 \theta,$$

ZEBRA MODELS:

Equations:

$$\frac{1}{\rho} \frac{\partial p}{\partial r} = -\frac{\partial \phi}{\partial r} + \frac{\ell^2 \csc^2 \theta}{r^3}$$

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Self-similar:

Keplerian potential

(, , depend on a)

**I const. on
paraboloids**

$$\rho(r, \theta) = \rho_0 \left(\frac{r}{r_0} \right)^{-q} (\sin^2 \theta)^\alpha,$$

$$p(r, \theta) = \beta \frac{GM_h \rho_0}{r} \left(\frac{r}{r_0} \right)^{-q} (\sin^2 \theta)^\alpha,$$

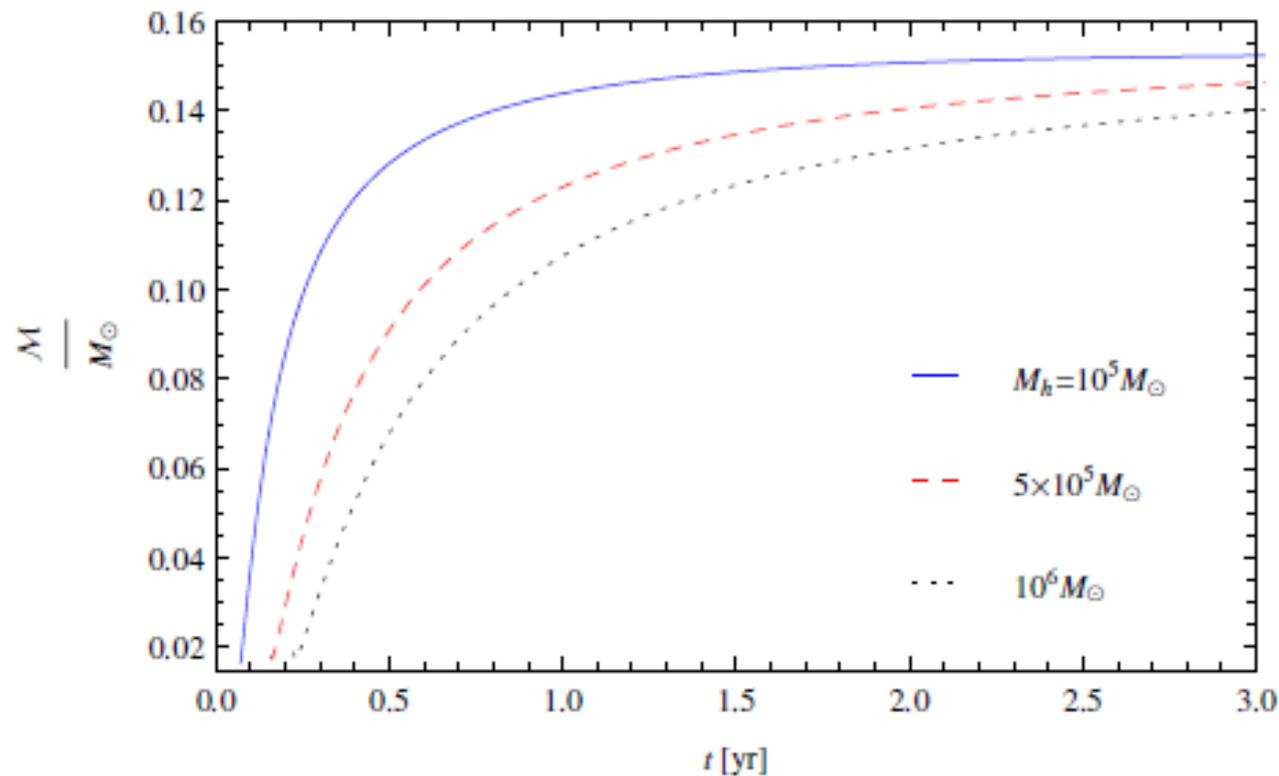
$$\ell^2(r, \theta) = aGM_h r \sin^2 \theta,$$

ZEBRA Evolution

- Accretion (from inner boundary)
 - Less l  steeper density slope  higher \dot{M}
 - $L \gg L_E$, no way to self-regulate
 - Energy must escape as jets, or ZEBRA blows up
- BH accretes mass, leaves behind ang. mom.
 - l increases with time, density profile flattens
 - \dot{M} declines, weaker jet
- Time-dependent model fits observed features of Swift J1644

Evolution of envelope mass

- Initially, fallback rate exceeds accretion rate: M incr.
- Later, accretion rate exceeds fallback rate but both decrease
- M levels off at $\sim 15\%$ of stellar mass

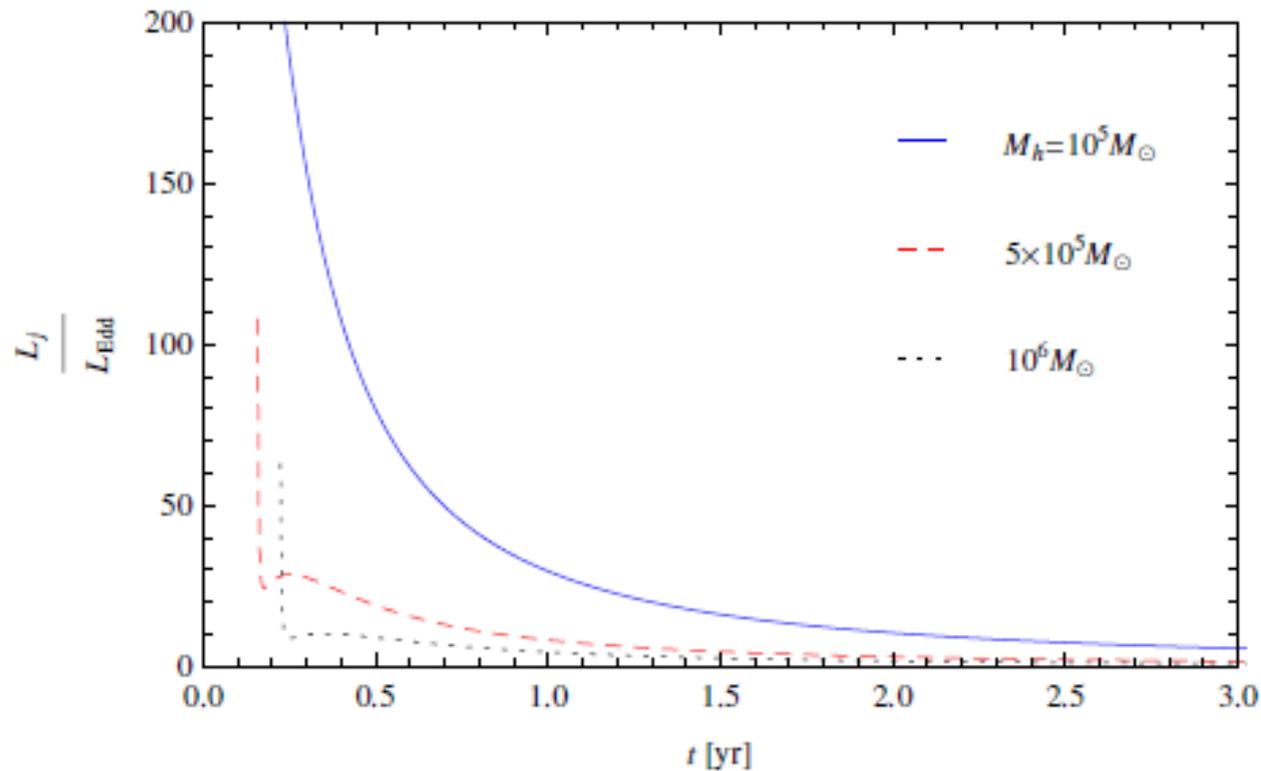


Envelope mass as a function of time, different BH masses

(Coughlin & MCB 2014)

Evolution of jet power

- Proportional to accretion rate w/ fixed efficiency
- Sensitive to density slope
- Reaches L_{Edd} at $\sim 500\text{d}$, when Swift J1644 X-ray flux plummets

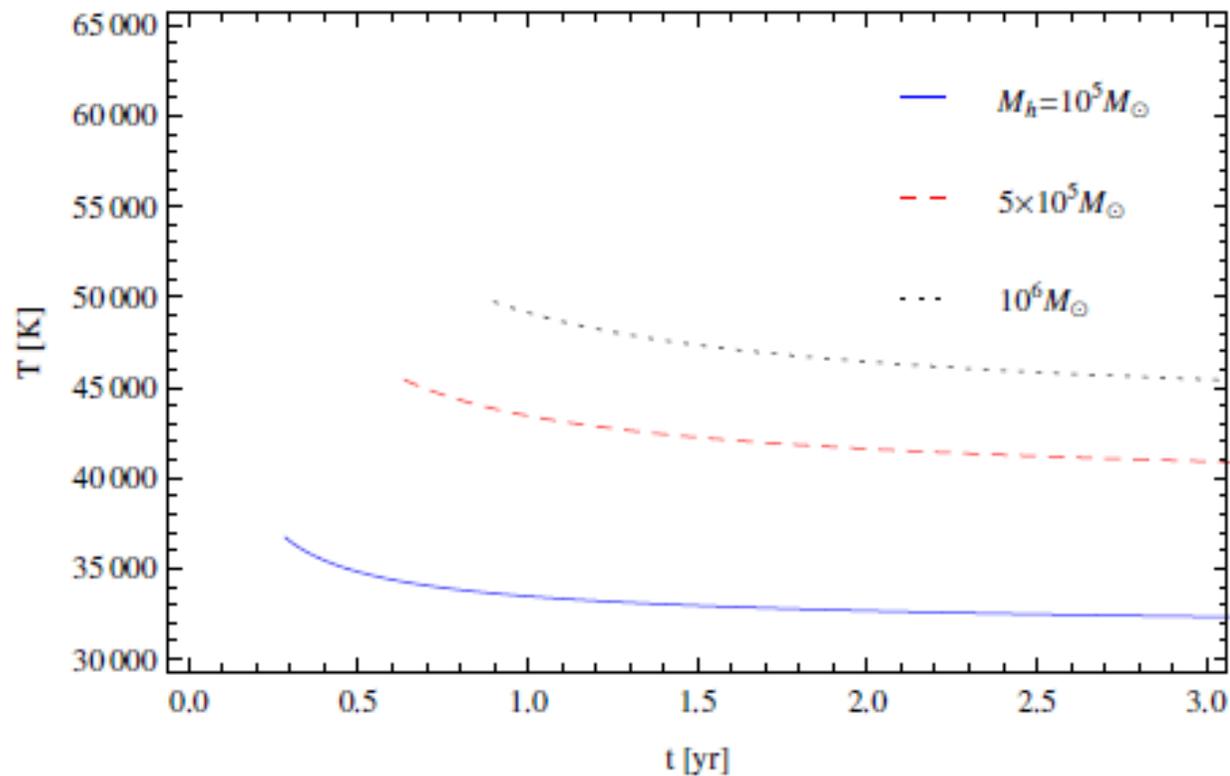


Jet power as a function of time, different BH masses

(Coughlin & MCB 2014)

Envelope effective temperature

- Envelope luminosity $\sim L_{\text{Edd}} \ll L_{\text{jet}}$
- $T_{\text{eff}} \propto M_*^{-1/5} M_h^{3/20}$
- Far UV



Effective temp. as
a function of time,
different BH
masses

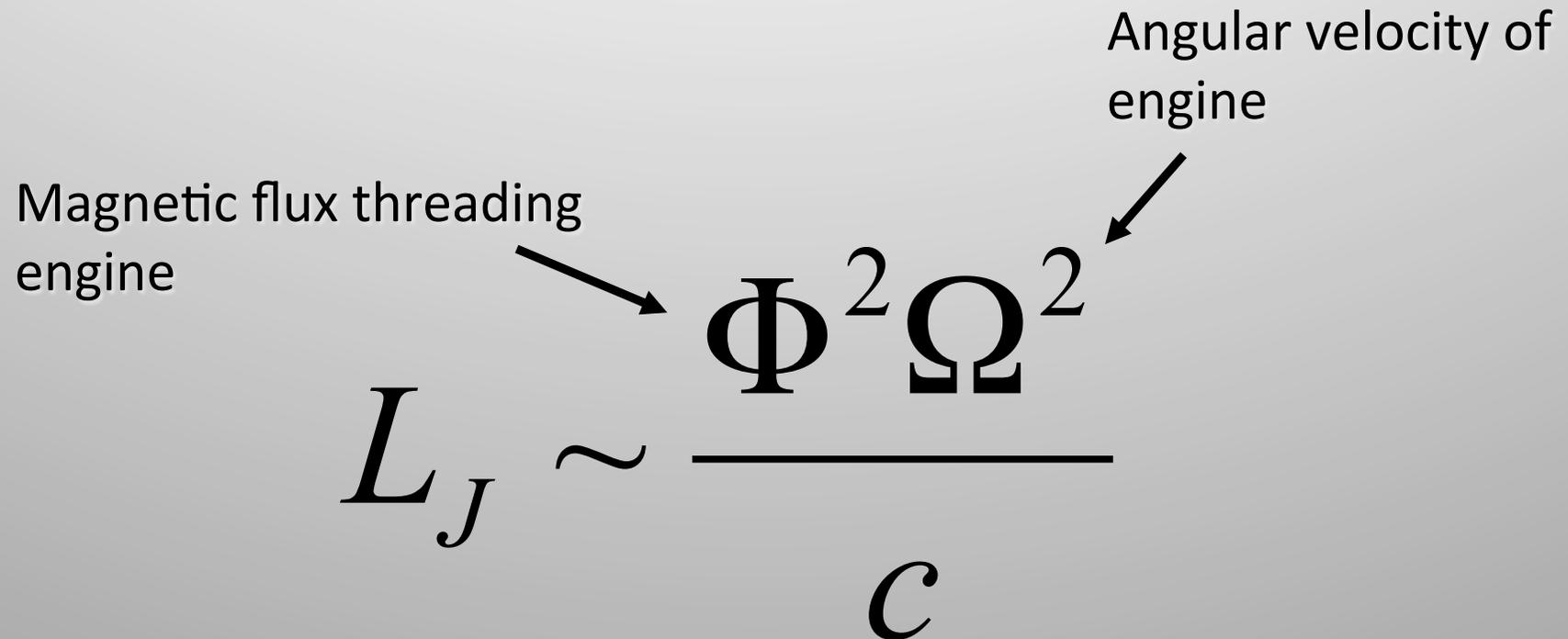
(Coughlin & MCB 2014)

Jets from Tidal Disruption Events

The Magnetic Flux/Spin Paradigm

Magnetic flux threading engine

Angular velocity of engine

$$L_J \sim \frac{\Phi^2 \Omega^2}{c}$$
The diagram features the equation $L_J \sim \frac{\Phi^2 \Omega^2}{c}$ centered on a light gray background. To the left of the equation, the text "Magnetic flux threading engine" is positioned above an arrow that points to the Φ^2 term. To the right, the text "Angular velocity of engine" is positioned above an arrow that points to the Ω^2 term. The variable c is located below the horizontal line of the fraction.

Jet power limited by amount of flux available

Do TDEs have enough flux?

Transient accretion events have access to a fixed amount of flux...

Tidal Disruption Event candidate Swift J1644+57:

Jet power: $L_j > 10^{45} \text{ erg s}^{-1} \sim 100 L_E$

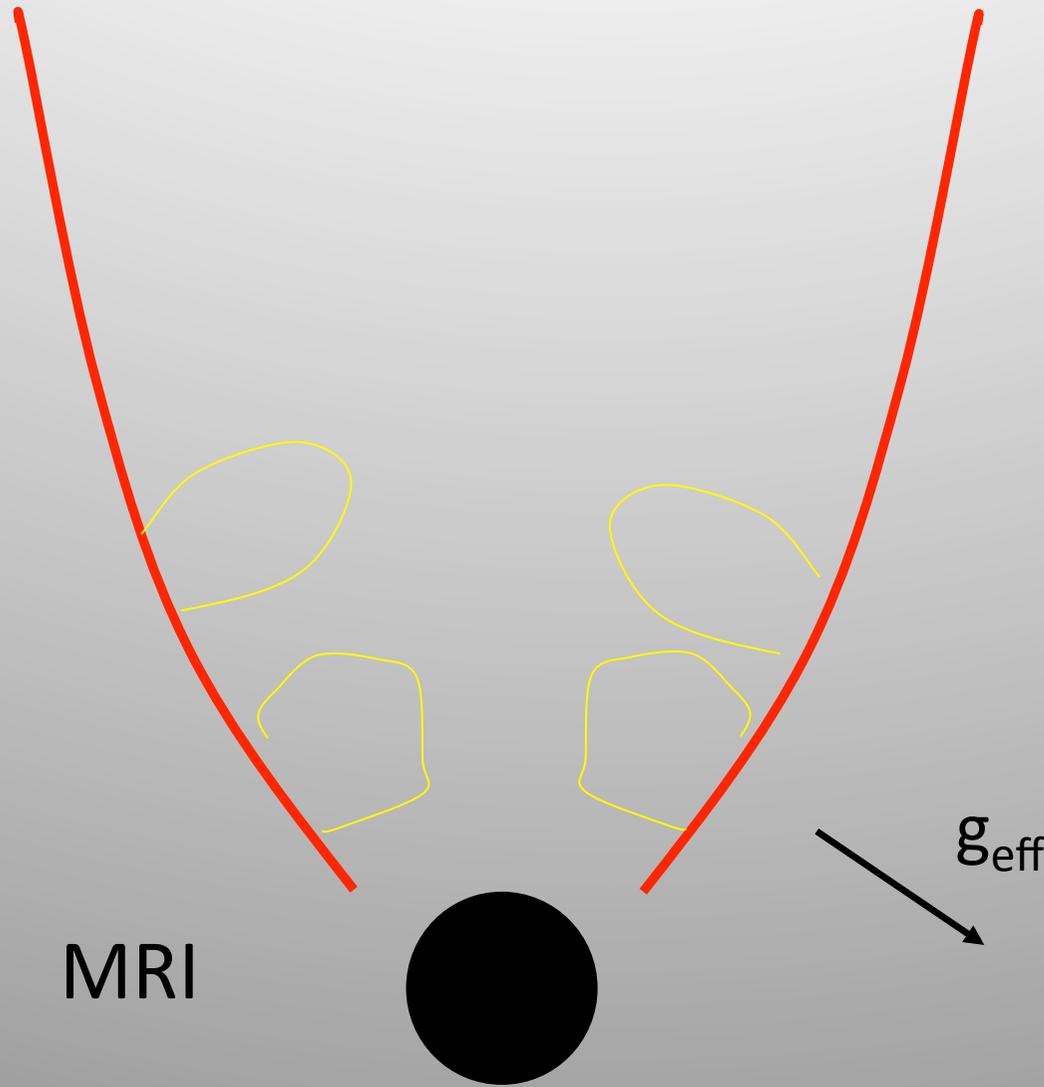
Flux needed: $\dot{M} > 10^{30} \text{ G-cm}^2$

Flux available: $\dot{M}_{\text{max}} \sim 10^{25} B_3 (R_{\text{in}}/R_{\text{out}})^2 \text{ G-cm}^2$

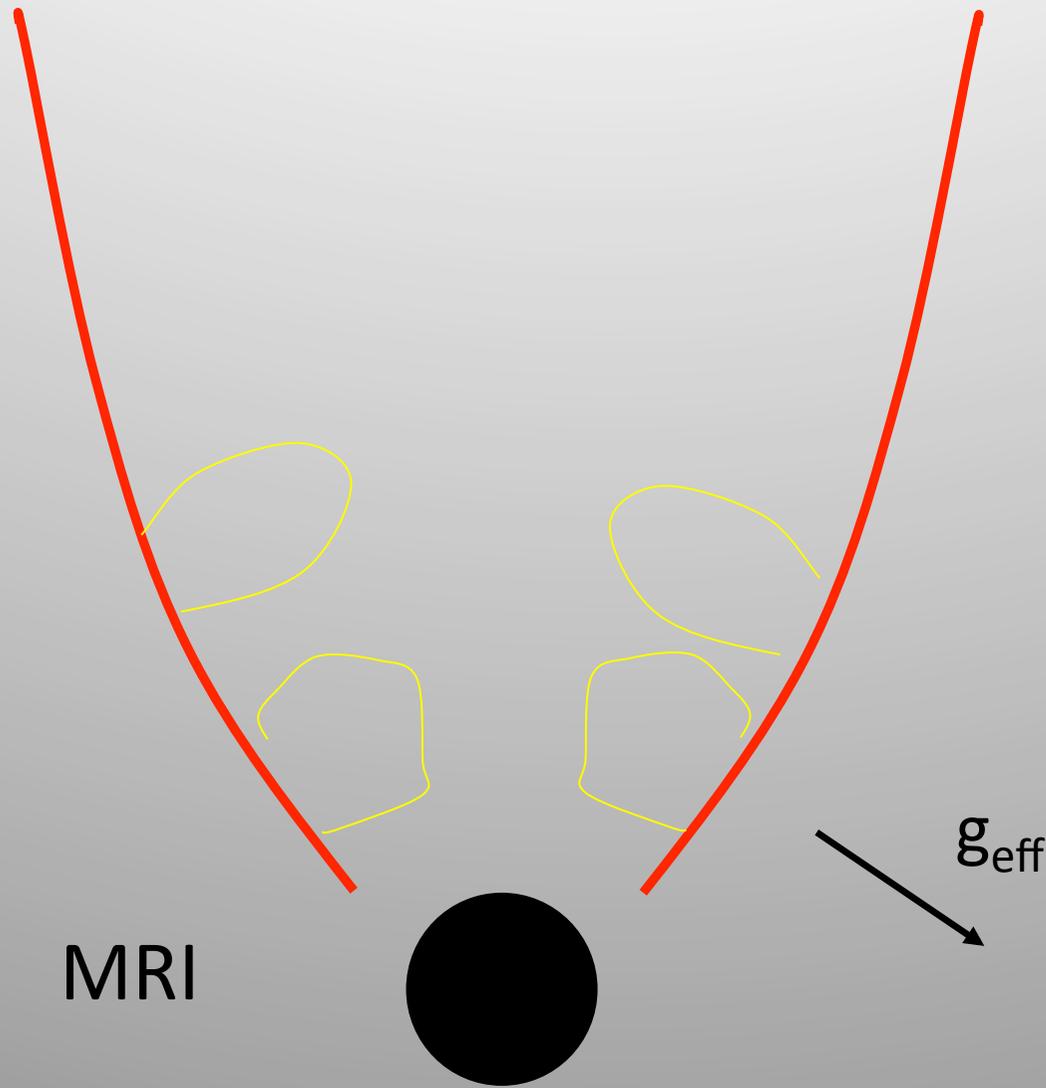
PROBABLY NOT

An Alternate Mechanism for TDE Jets

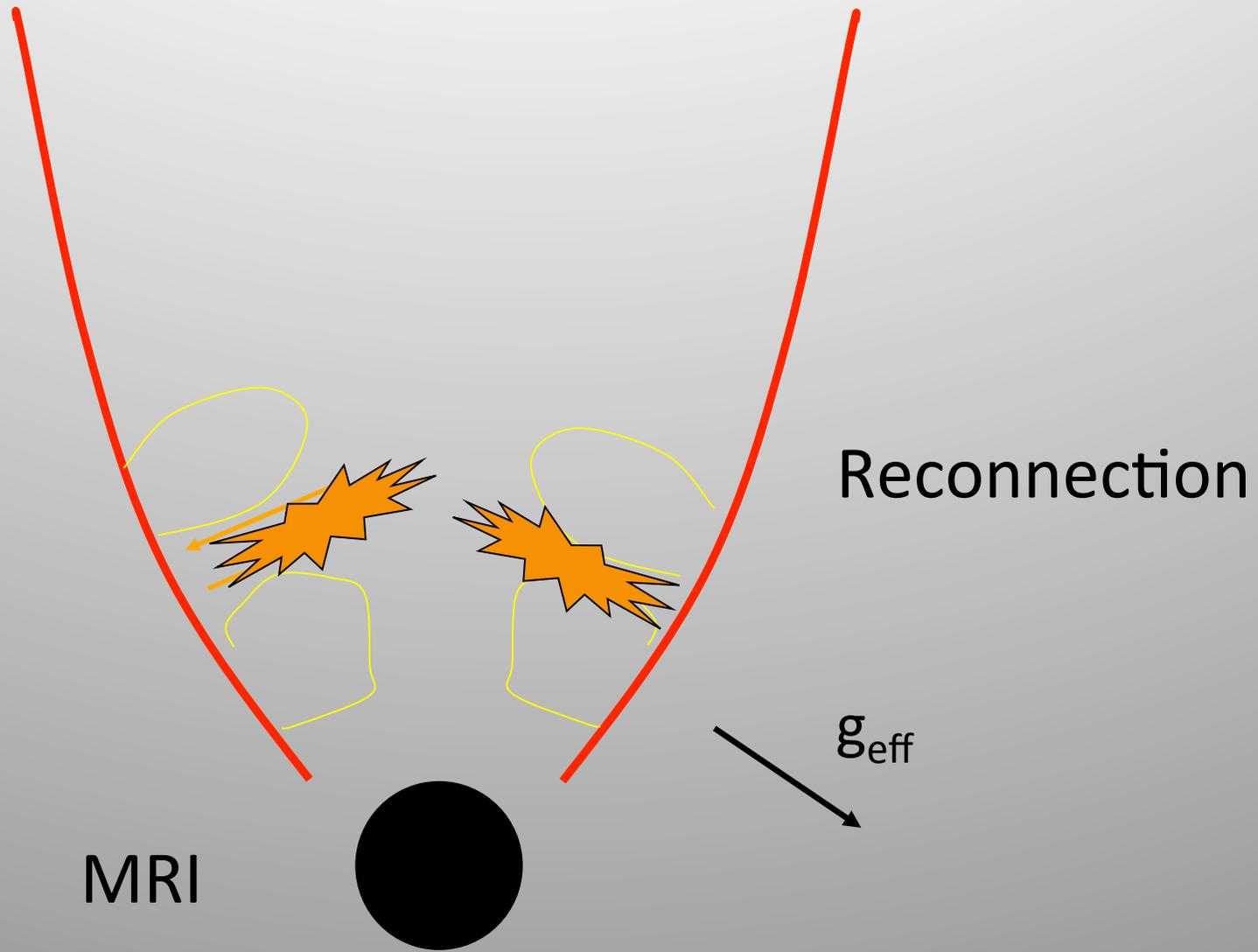
Buoyant loops of B form inward corona



... so jet ultimately powered by dissipation of turbulent B



Reconnection converts energy to radiation



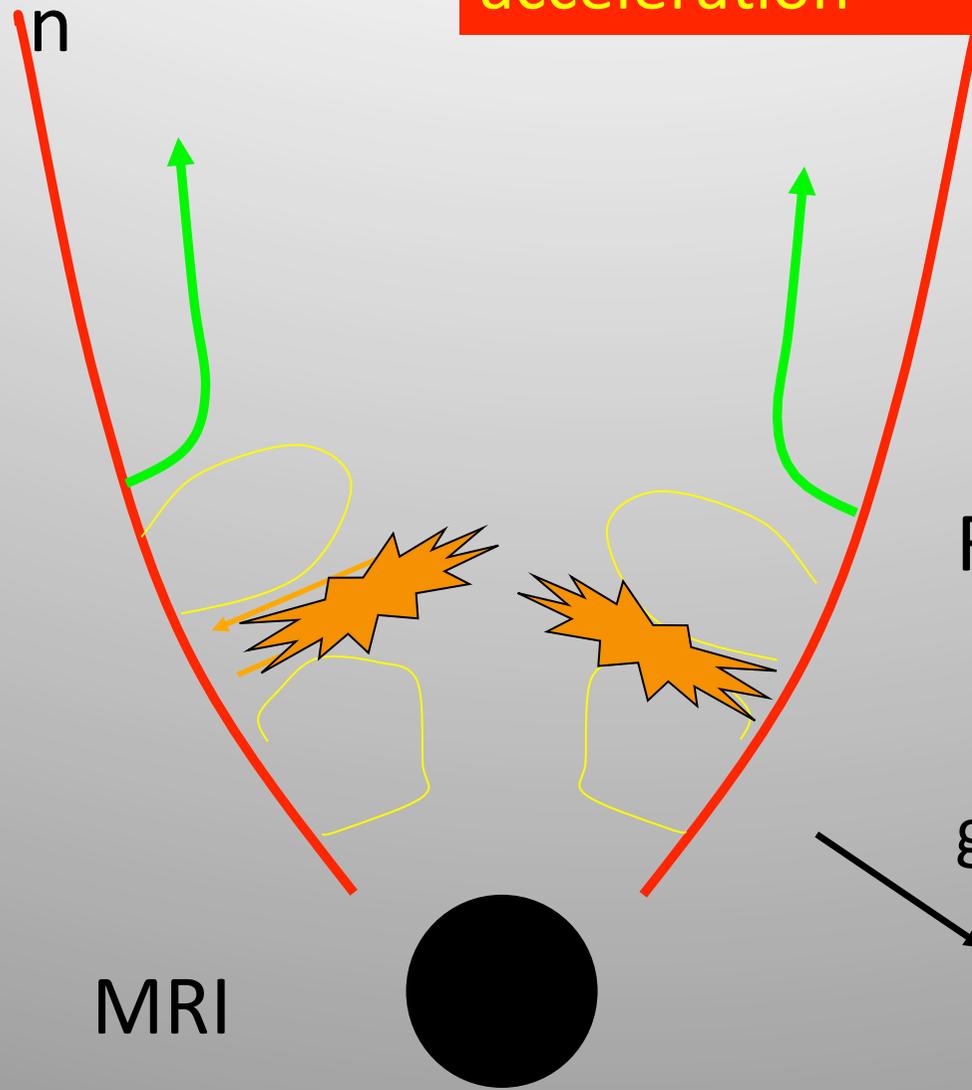
Entrainment
(by rad'n
force)

Mass-loading, collimation and
acceleration

Reconnection

MRI

g_{eff}



Entrainment
(by rad' n
force)

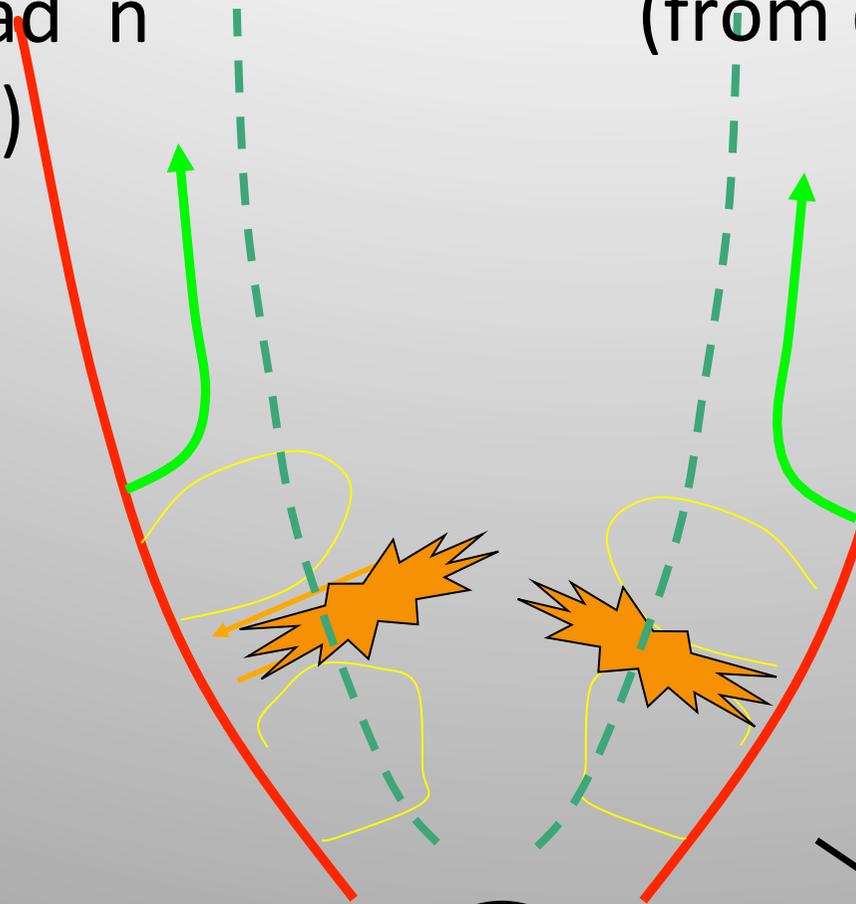
Self-shielding
(from drag) $\tau \sim \text{few}$

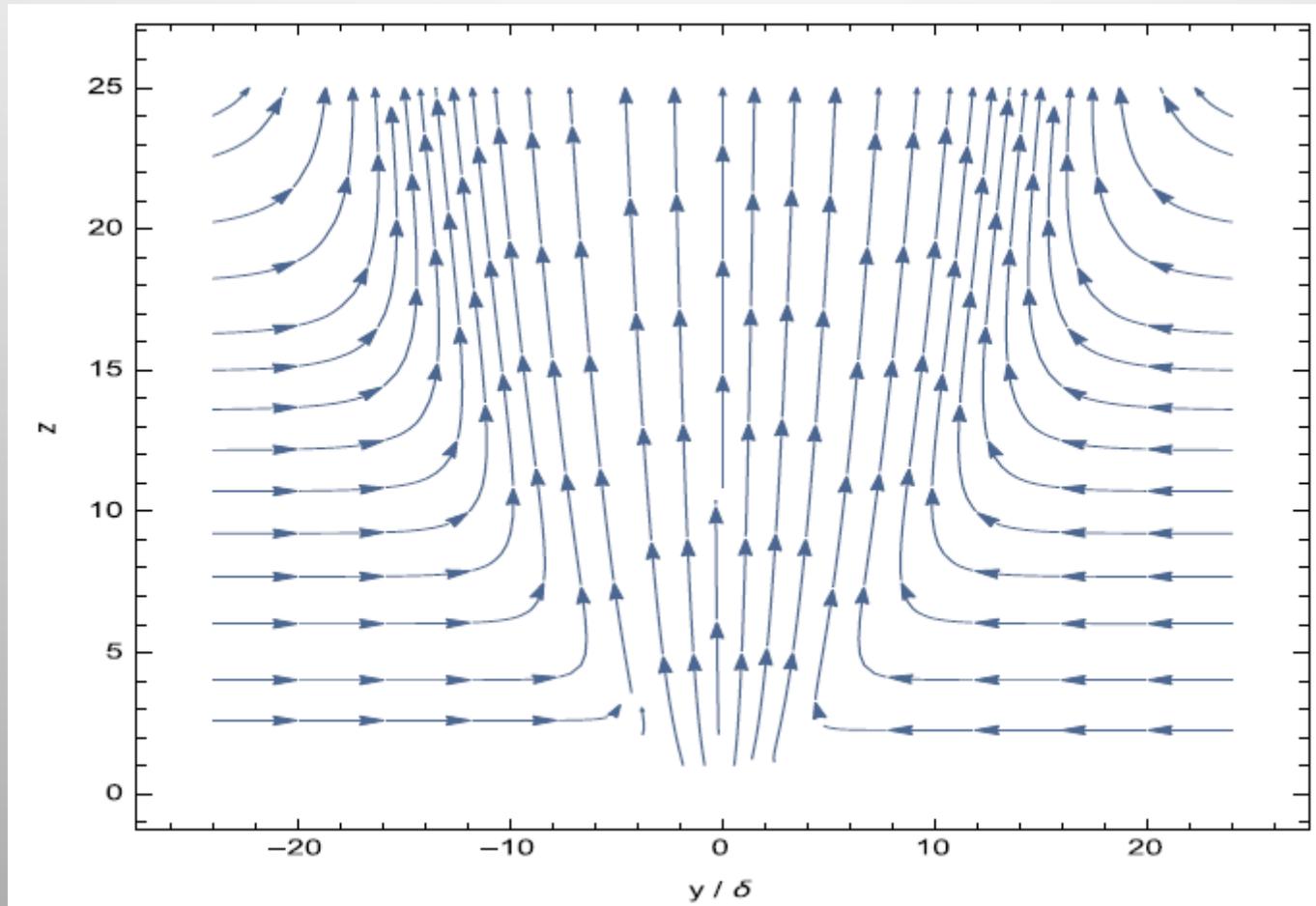
Reconnection

MRI

g_{eff}

Self-shielding from radiation drag





Relativistic radiation hydrodynamics: entrainment and acceleration by radiation stresses

(Coughlin & Begelman, in prep)

ZEBRA Jets

- Powered by dissipation of turbulent B (from MRI?), not net magnetic flux
- Reconnection  energy converted to radiation
- Acceleration by radiation pressure
- Collimation by rotational funnel
- Mass-loading determined by radiation drag
 - Jets “self-shield”
- L/L_E determines jet Lorentz factor

Broader Implications of ZEBRA Flows

- When do they form?

- Too much \dot{I} to fall directly in
- Too little $\dot{I}/\dot{I}_{\text{Kep}}$ to maintain disk-like flow
- Low radiative efficiency

- Where do they form?

- Tidal Disruption Events
- Collapsar Gamma-Ray Bursts
- Supermassive BH seeds accreting from cocoons (quasi-stars)

Do GRBs have enough flux?

Transient accretion events have access to a fixed amount of flux...

Tidal Disruption Event candidate Swift J1644+57:

Jet power: $L_j > 10^{45} \text{ erg s}^{-1} \sim 100 L_E$

Flux needed: $\dot{M} > 10^{30} \text{ G-cm}^2$

Flux available: $\dot{M}_{\text{max}} \sim 10^{25} B_3 (R_{\text{in}}/R_{\text{E}})^2 \text{ G-cm}^2$

Collapsar Gamma-Ray Burst:

Jet power: $L_j > 10^{50} \text{ erg s}^{-1} \sim 10^{11} L_E$

Flux needed: $\dot{M} > 10^{28} \text{ G-cm}^2$

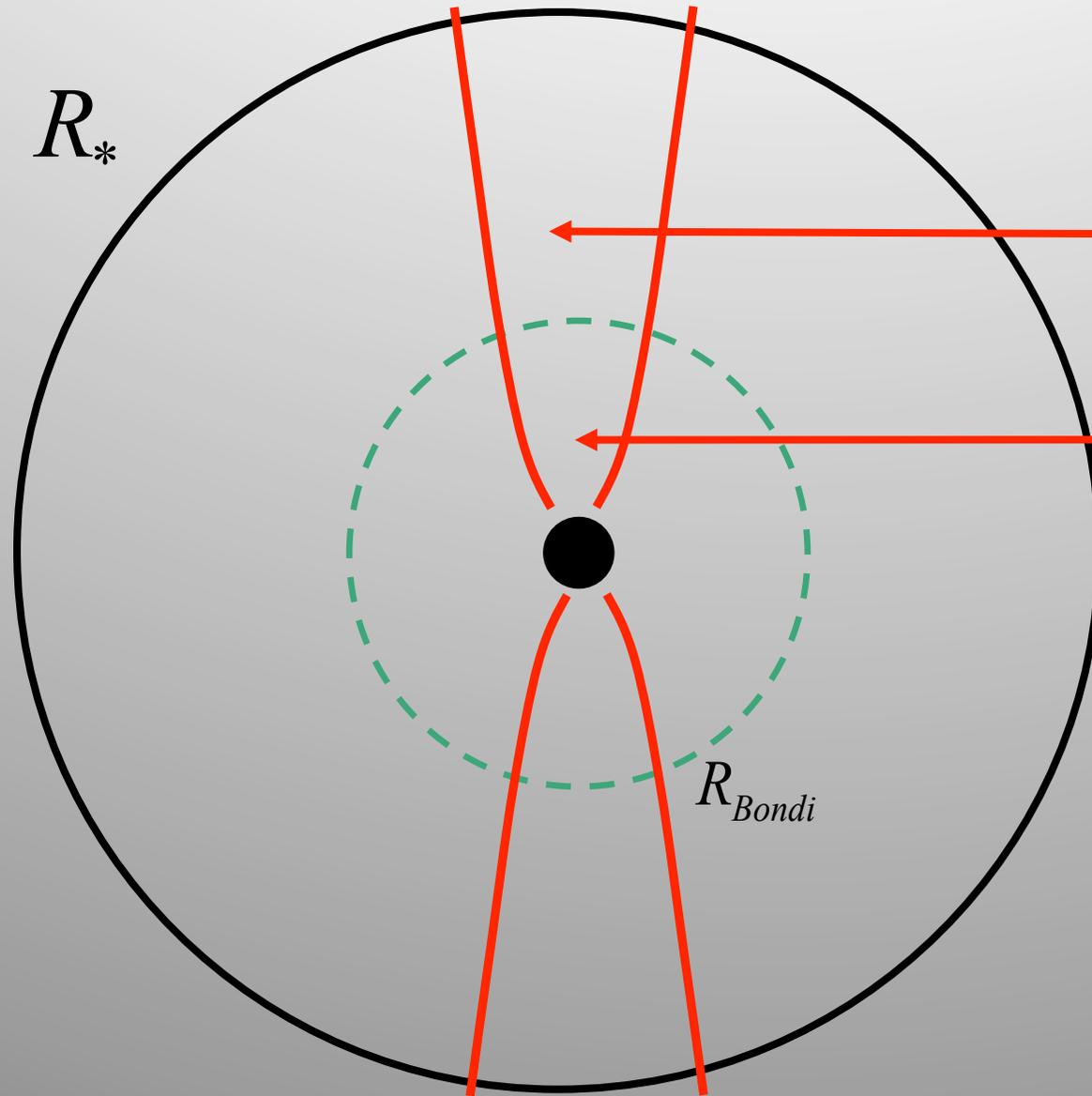
Flux available: $\dot{M}_{\text{max}} \sim 10^{25} B_3 (R_{\text{in}}/R_{\text{E}})^2 \text{ G-cm}^2$

Generalize ZEBRAs to self-gravitating envelopes:

| *any* function of $\phi r^2 \sin^2 \theta$

General solution: | *any* function of

$$\phi r^2 \sin^2 \theta$$

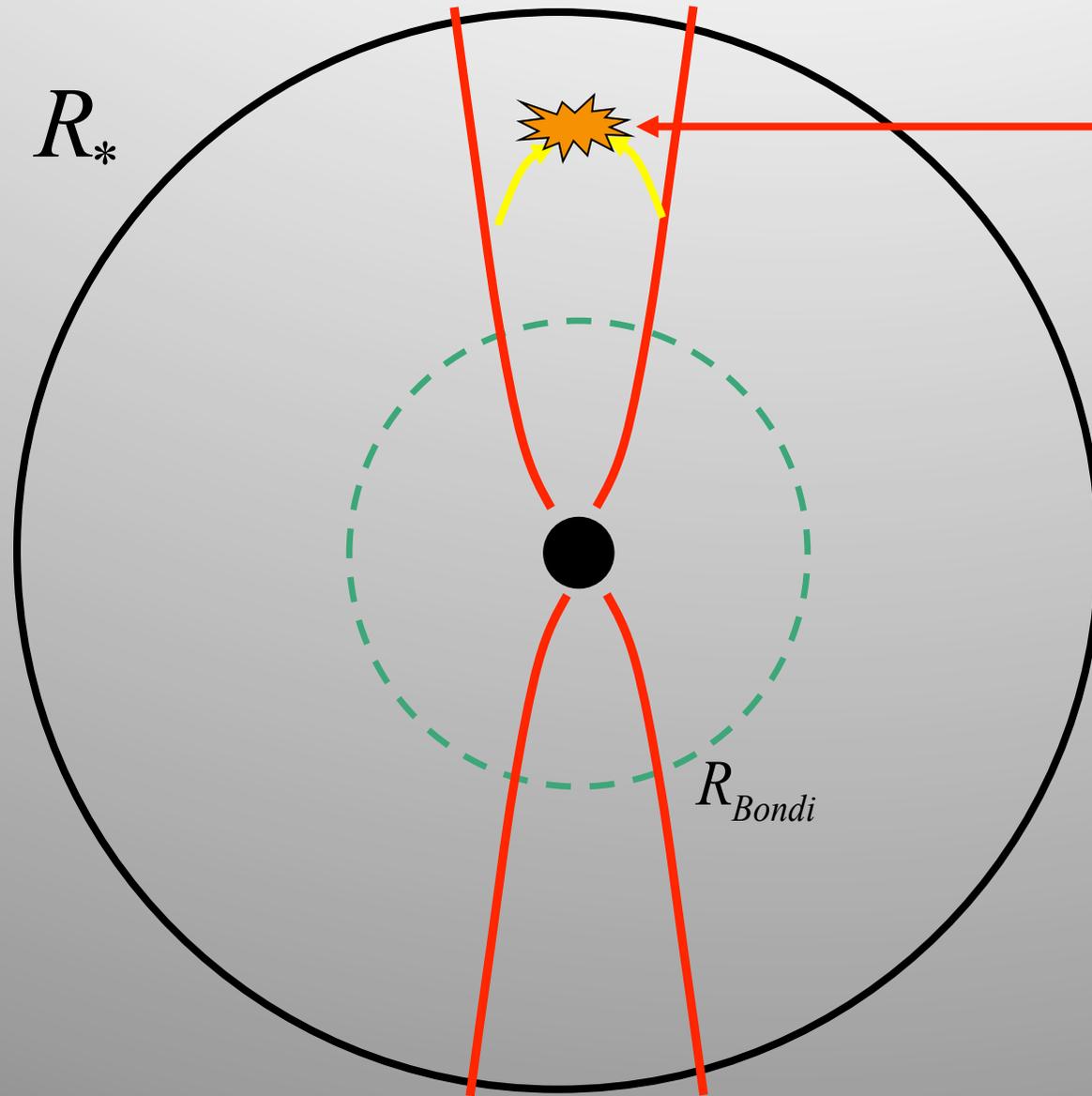


Flat pressure
grad: collimation

Steep pressure
grad: expansion

General solution: | *any* function of

$$\phi r^2 \sin^2 \theta$$



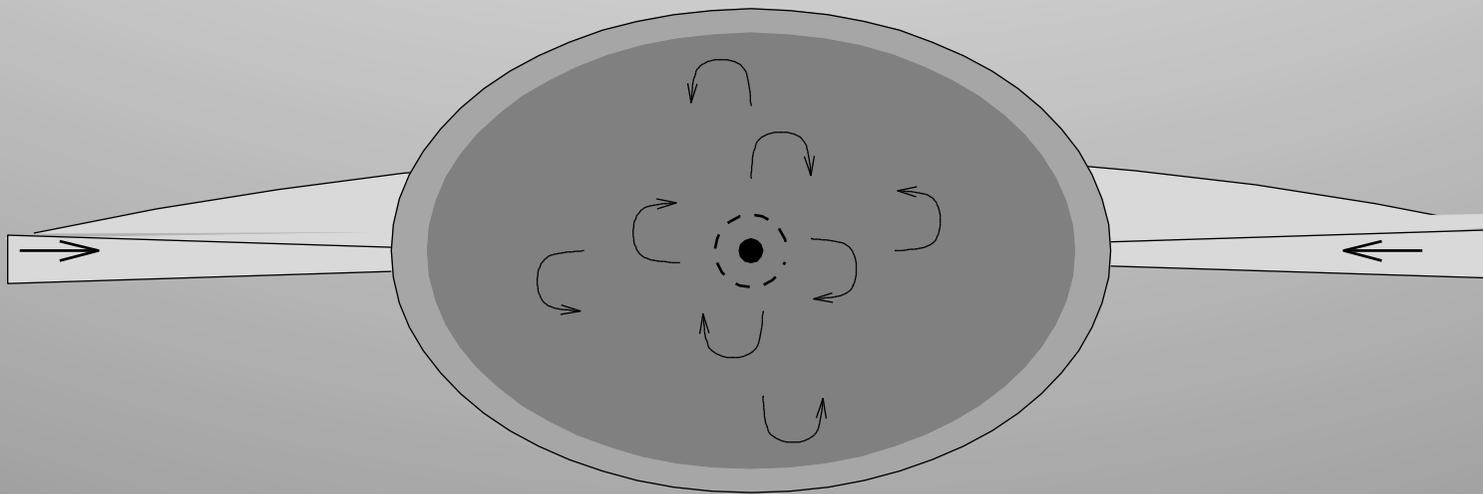
Recollimation
shock, entropy
production

Consequences for GRB Jets

- Dissipation at recollimation shock could explain jet entropy needed for thermal origin of prompt emission
- Lorentz factor $\sim (L/L_E)^{\text{small power}} (\sim 1/4??)$
 - Extreme $L/L_E \sim 10^{11}$   $\sim 100 - 1000$

“QUASISTAR”

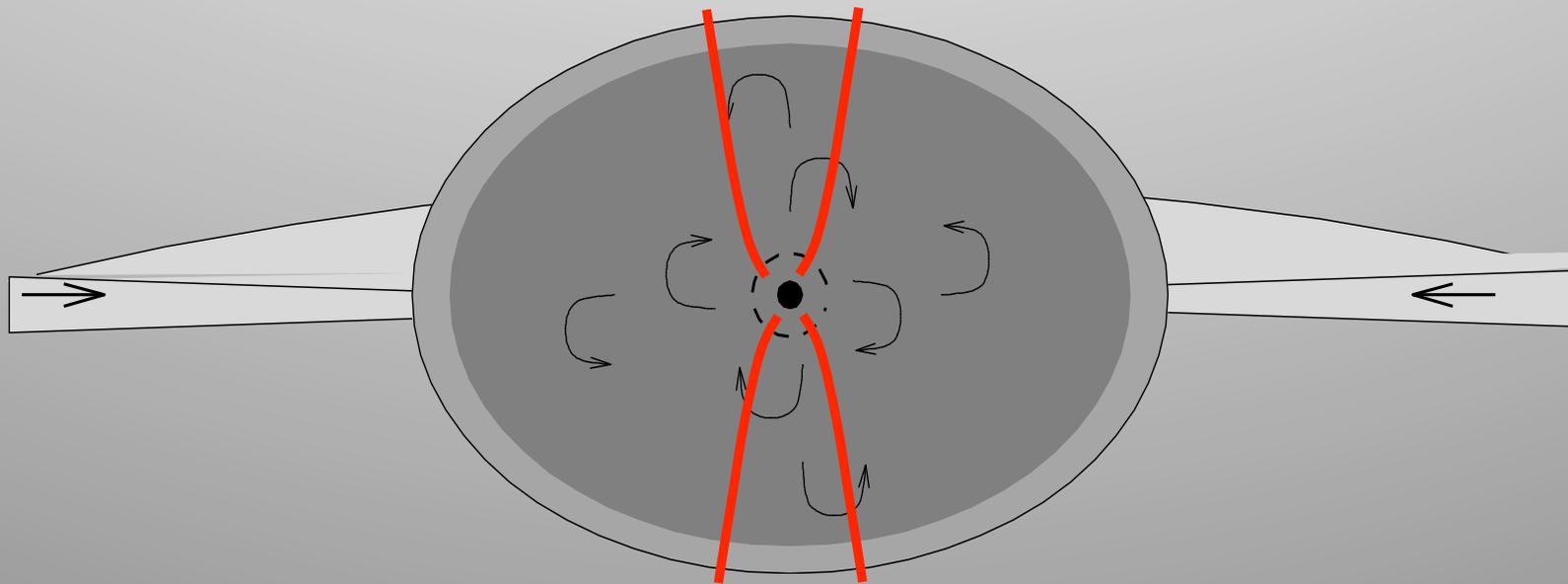
- Remnant envelope around newly formed SMBH seed
- Black hole accretes from envelope, releasing energy
- Envelope absorbs energy and expands
- Accretion rate decreases until energy output = Eddington limit – supports the “star”



Begelman, Volonteri & Rees 2006; Begelman, Rossi & Armitage 2008

QUASISTAR JETS?

- Similar situation to collapsar after expansion
- Self-gravity more important: envelope $> \sim 100$ x BH mass
- Importance of magnetic flux unknown
- Detectability of quasistars at $z \sim 5-10$?



So what can tidal disruption events teach us about black hole accretion?

- Rotating accretion flows need not resemble disks
- Not all hyperaccreting systems can regulate their energy outputs to the Eddington limit
- Not all jets need be magnetically propelled