

Extending a Galaxy Cluster Population Model to Group-scale Masses

A Story of Baryonic Component Covariance

Trevor Ponman
@Schloss Ringberg
2003



August (Gus) Evrard



Arthur F. Thurnau Professor
Departments of Physics and Astronomy
Michigan Center for Theoretical Physics
University of Michigan

Collaborators

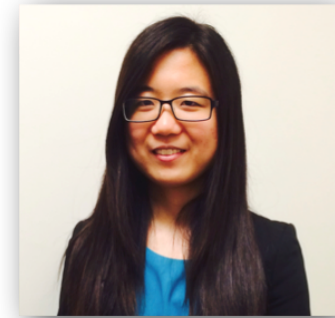
- X-ray follow-up of DES clusters



Devon Hollowood +
Tesla Jeltema (UCSC)



Alberto Bermeo +
Kathy Romer (Sussex)



Arya Farahi + Xinyi Chen (Michigan)



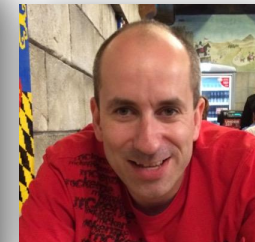
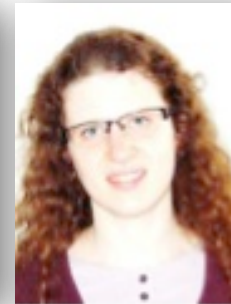
- property scaling relations and covariance (LoCuSS + Bahamas/MACSYS)



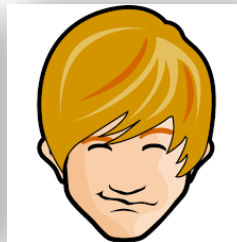
Sarah Mulroy + Graham Smith (Birmingham)
LoCuSS



Ian McCarthy (LJMU) +
Amandine Le Brun (Saclay)
Bahamas



Scott Kay + David Barnes
(Manchester)
MACSYS

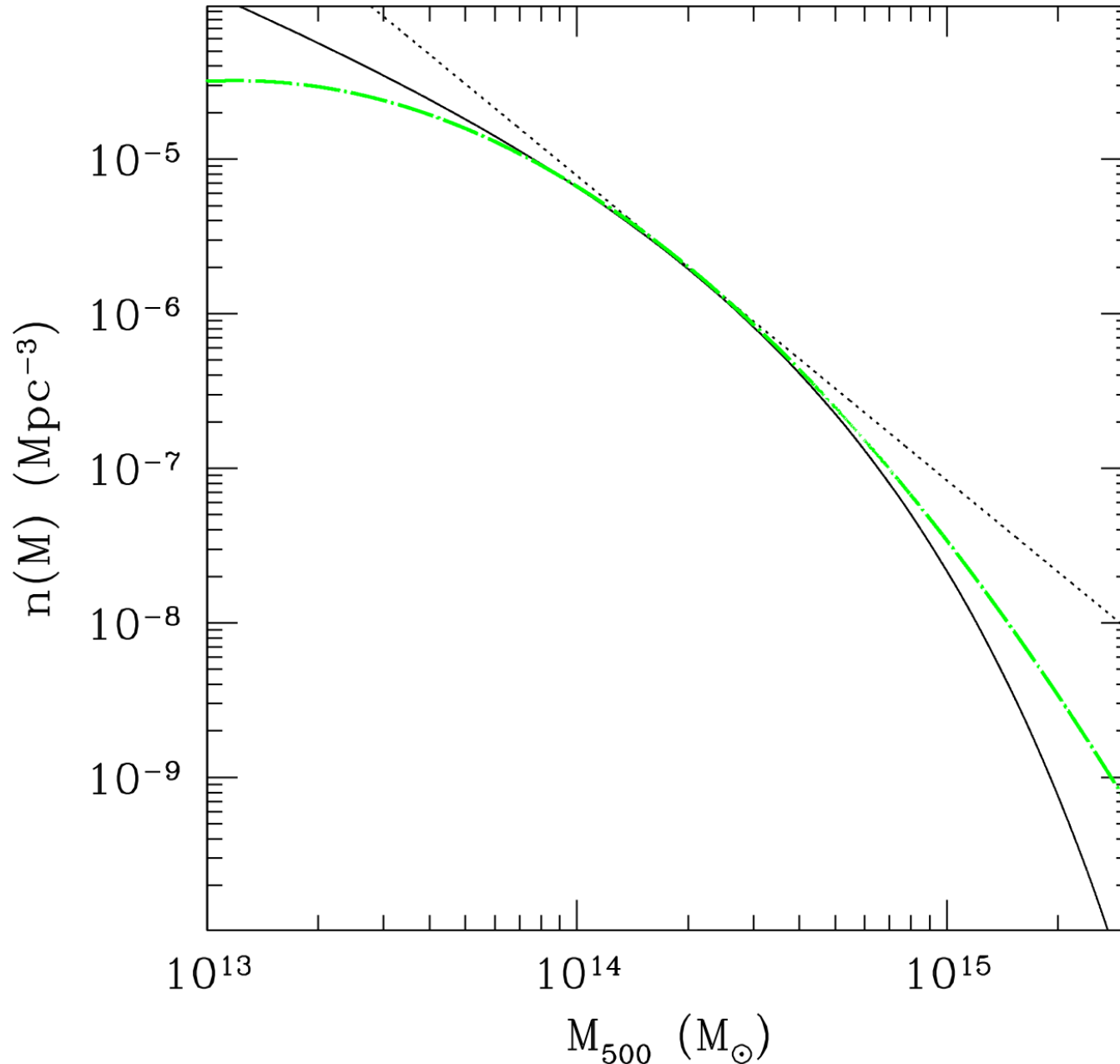


- analytical model for **multi-property counts** of massive halos
Swiss army knife for interpreting sample behavior
- Bahamas+MACSIS simulations
log-normal form of mass-observable (MOR) PDFs
running of slope and scatter with mass
open (groups) to ~closed (clusters) “baryon box” behavior
- LoCuSS sample observations
evidence of closed baryon box nature for massive clusters
- X-ray analysis of DES+SDSS redMaPPer samples (preliminary)
~log-normal PDFs with sample size approaching 10^3

a model for multi-property cluster counts

Evrard, Arnault, Huterer, Farahi 2014

simple idea: shape of the mass function is $\sim$ polynomial in log-space

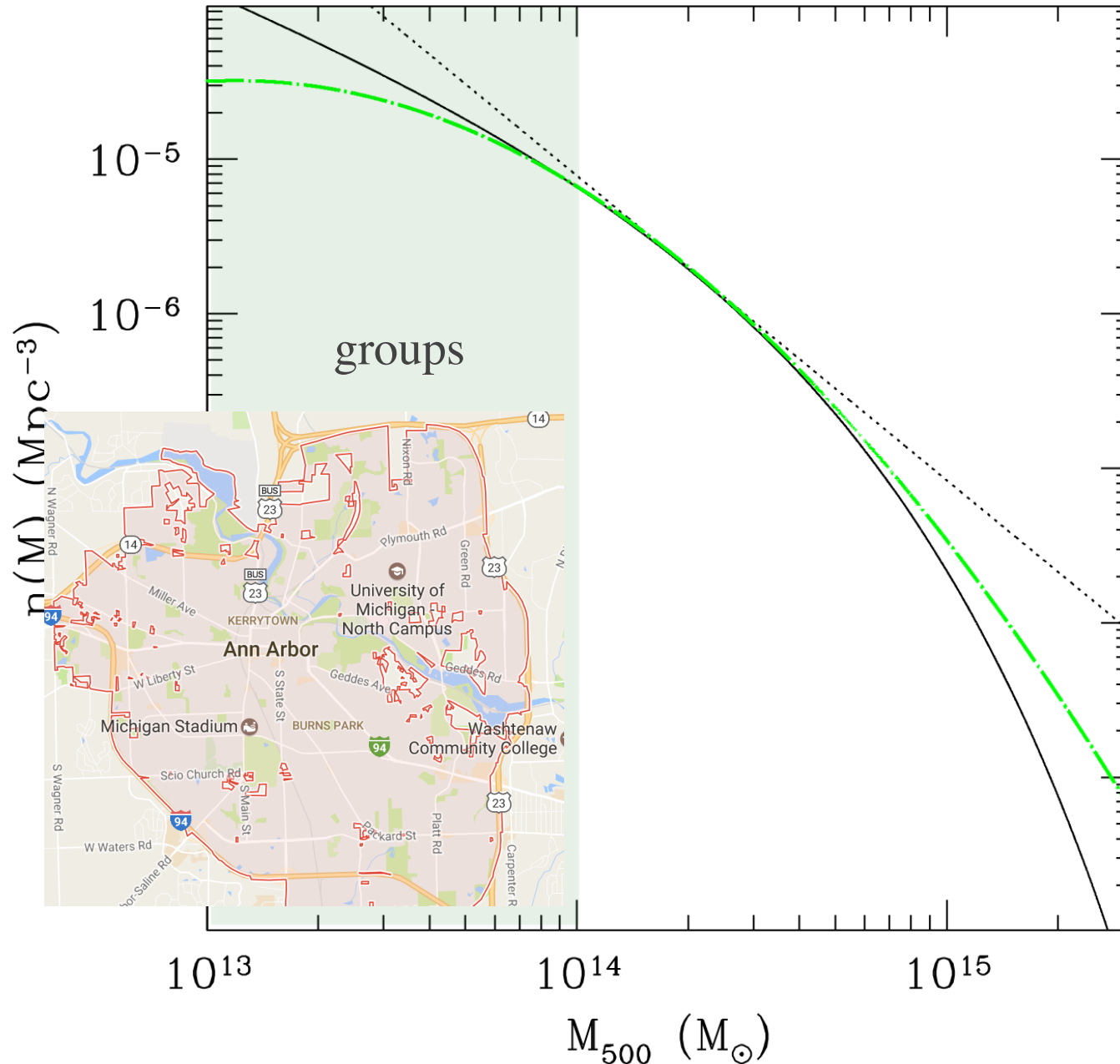


Tinker MF ($z=0.2$)
log-quadratic
(running power-law)

$$\log(n_1(M)) = \log(A) - \beta_1 \log(M/M_p) - \beta_2/2 (\log(M/M_p))^2$$

pivot mass:
 $M_p = 2 \times 10^{14} M_{\text{sun}}$

simple idea: shape of the mass function is $\sim$ polynomial in log-space

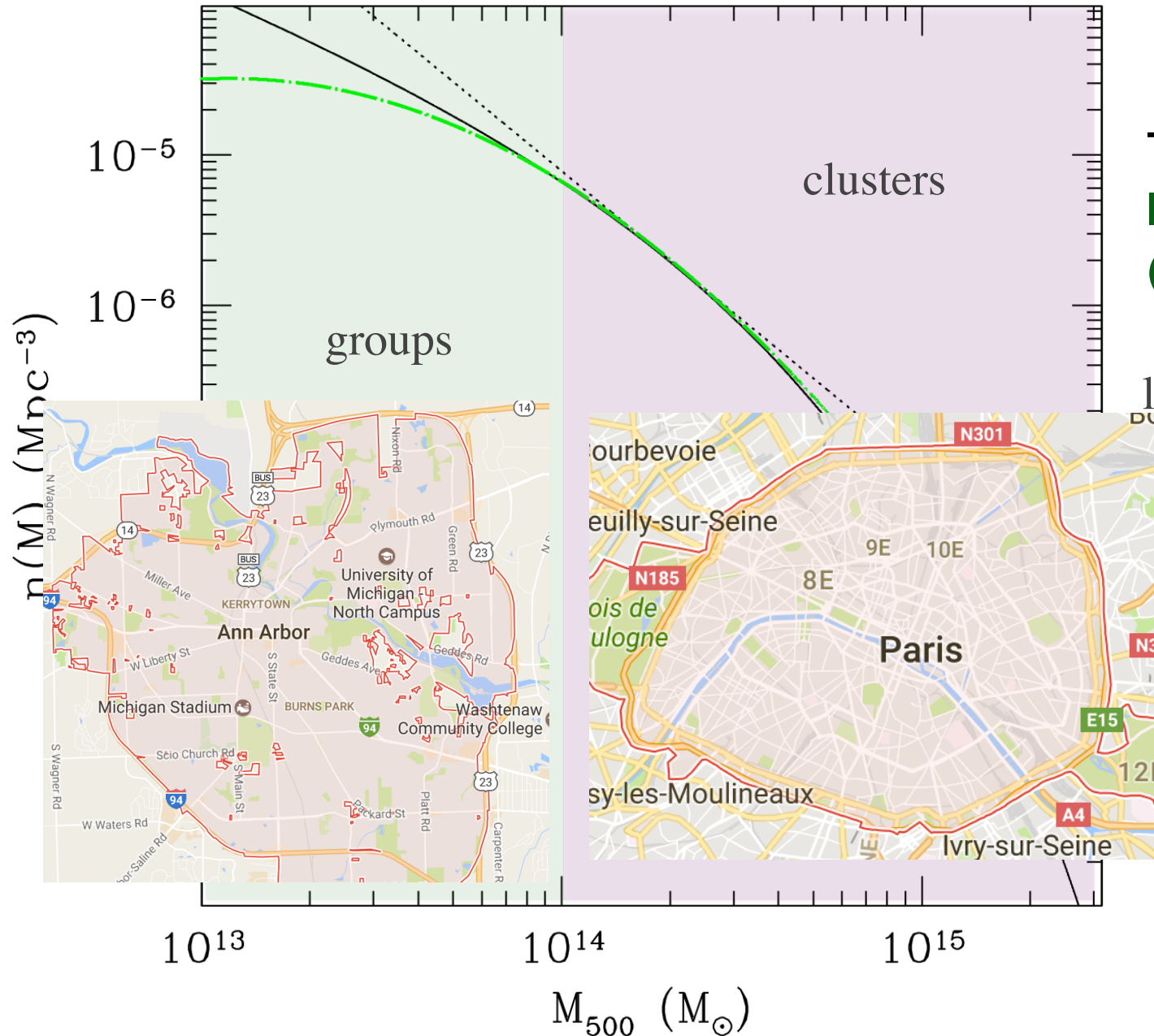


Tinker MF ($z=0.2$)
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 $M_p = 2e14 M_{\text{sun}}$

simple idea: shape of the mass function is $\sim$ polynomial in log-space



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pivot mass:
 $M_p = 2 \times 10^{14} M_{\text{sun}}$

X-ray luminosity functions from polynomial (log) mass function

MOR convolution takes analytic form

MF data from HMFcalc

Murray et al (2013)

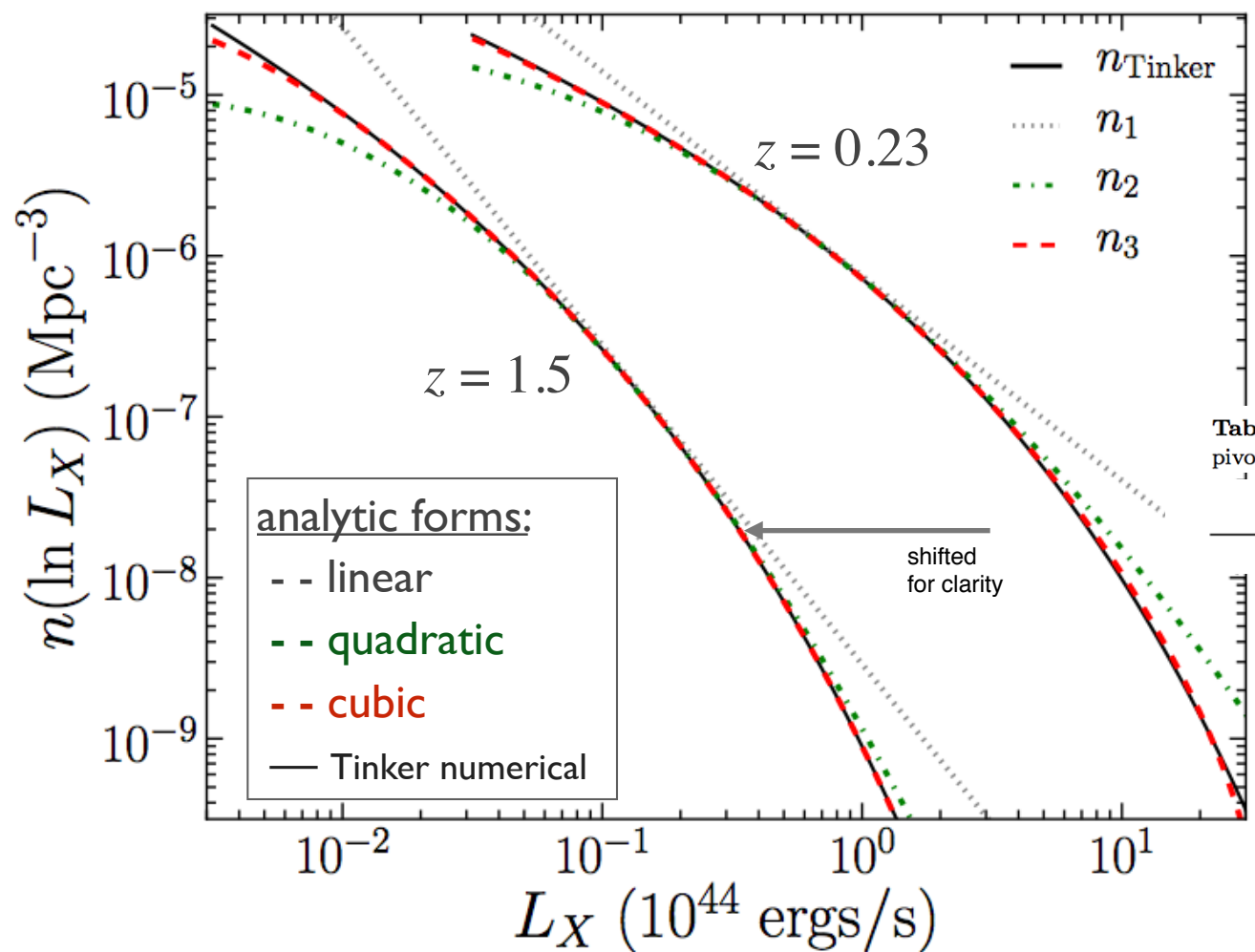
z	M_p	A	β_1	β_2	β_3
0.23	2.0	1.944	1.97	0.70	0.40
1.5	1.0	0.293	3.07	1.20	0.73

pivot mass, M_p ($10^{14} M_{\text{solar}}$)

pivot normalization, A (10^{-6} Mpc^{-3})

Table 2. Observable-mass scaling parameters at $z = 0.23$ and pivot mass, $M_p = 2 \times 10^{14} M_{\odot}$, from Rozo et al. (2014c).

S	$S_p = e^{\pi_s}$	α_s	$\sigma_{\ln S}$	$\sigma_{\mu s}$
L_X	0.61	1.55	0.39	0.252



scaling relation inputs:

$$\langle \mathbf{s} | \mu \rangle = \boldsymbol{\pi} + \boldsymbol{\alpha} \mu$$

log-means (vector)

$$C_{ab} = \langle (s_a - \langle s_a | \mu \rangle)(s_b - \langle s_b | \mu \rangle) \rangle$$

covariance of log-observables deltas

joint, multi-observable space density

$$n_1(\mathbf{s}) = A'_1 \exp \left[-\frac{1}{2} \left((\mathbf{s} - \boldsymbol{\pi})^T \mathbf{C}^{-1} (\mathbf{s} - \boldsymbol{\pi}) - \frac{\langle \mu | \mathbf{s} \rangle_1^2}{\sigma_{\mu | \mathbf{s}, 1}^2} \right) \right]$$

$$A'_1 = A \sigma_{\mu | \mathbf{s}, 1} ((2\pi)^{N-1} |\mathbf{C}|)^{-1/2}$$

$$\langle \mu | \mathbf{s} \rangle_1 = \left[\boldsymbol{\alpha}^T \mathbf{C}^{-1} (\mathbf{s} - \boldsymbol{\pi}) - \beta_1 \right] \sigma_{\mu | \mathbf{s}, 1}^2$$

$$\sigma_{\mu | \mathbf{s}, 1}^2 = (\boldsymbol{\alpha}^T \mathbf{C}^{-1} \boldsymbol{\alpha})^{-1}.$$

mean selected mass

variance in selected mass

$$\mu = \ln M$$

$$s_i = \ln(\text{observable}_i)$$

log-normal pdf, $\Pr(s_b | s_a)$, of property-selected samples

$$\begin{aligned} \langle s_b | s_a \rangle_1 &= \pi_b + \alpha_b [\langle \mu | s_a \rangle_1 + \beta_1 r_{ab} \sigma_{\mu|a,1} \sigma_{\mu|b,1}] && \text{mean } s_b \text{ for } s_a \text{ selection} \\ \sigma_{b|a,1}^2 &= \alpha_b^2 [\sigma_{\mu|a,1}^2 + \sigma_{\mu|b,1}^2 - 2r_{ab} \sigma_{\mu|a,1} \sigma_{\mu|b,1}] && \text{variance} \end{aligned}$$

$$\begin{aligned} \mu &= \ln M \\ s_i &= \ln(\text{property}_i) \end{aligned}$$

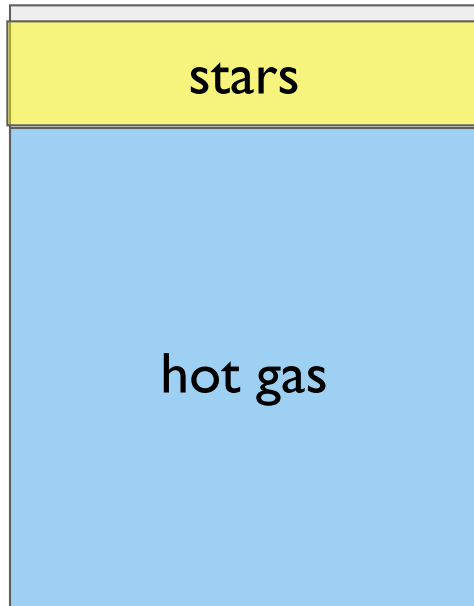
These are what we actually measure in survey samples.

Bahamas+MACSIS simulations: scaling relations & hot-cold baryon covariance

should cold and hot mass fractions anti-correlate in halos?

$$f_{\text{gas}} + f_{\text{star}} \cong C (= \Omega_b / \Omega_m)$$

$$\Rightarrow \delta f_{\text{gas}} \cong -\delta f_{\text{star}}$$



“closed box”

$$f_{\text{gas}} + f_{\text{star}} \cong f_{\text{retain}} C$$

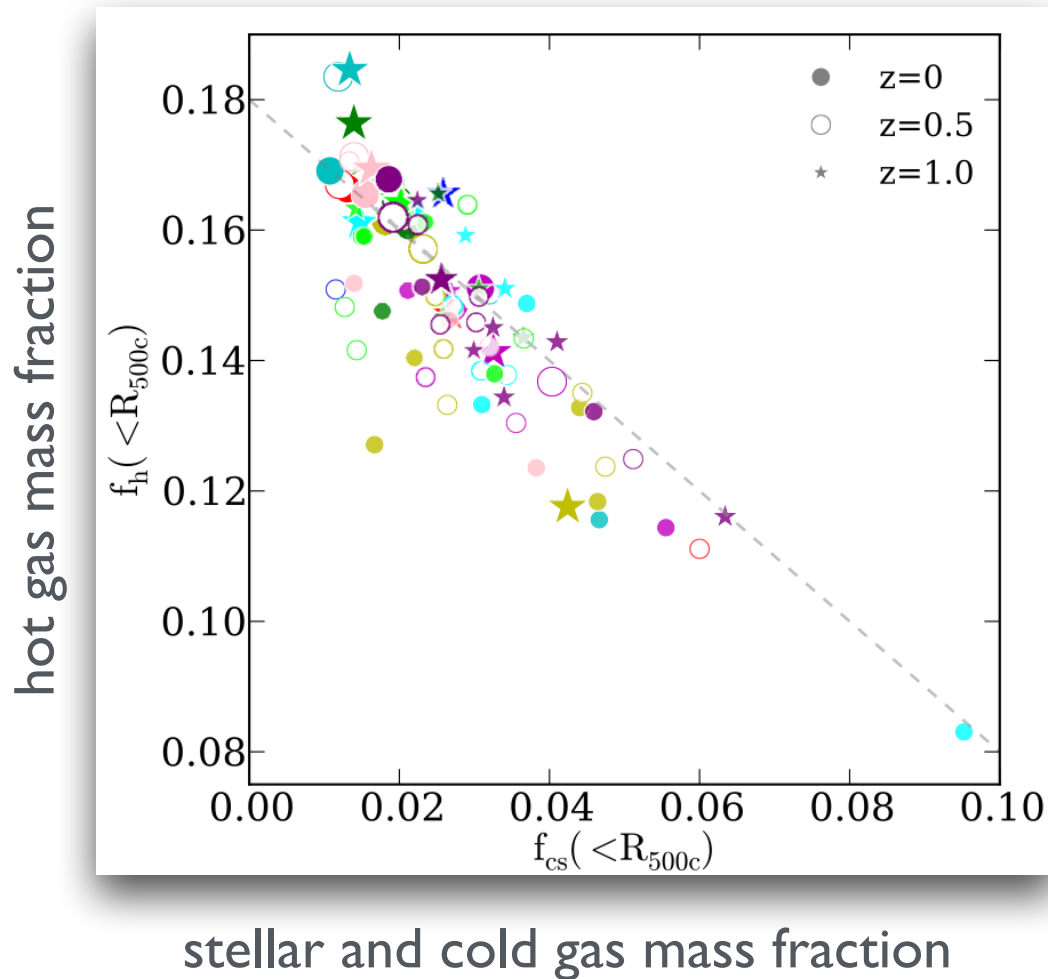
$$\Rightarrow \delta f_{\text{gas}} + \delta f_{\text{star}} = \delta f_{\text{retain}}$$



“open box”

Rhapsody-G simulations: cold and hot phase mass anti-correlate

Wu et al 2015



Anti-correlated behavior in mass cold/hot mass fractions
massive (RAMSES) halos are approximately “closed boxes”

Baryon fraction is a lower scatter mass proxy (4.7% in $\ln M$) than either f_{gas} (8%) or f_{star} (34%) alone.

recent comparison of different “full physics” numerical methods (single halo)

Sembolini et al 2016

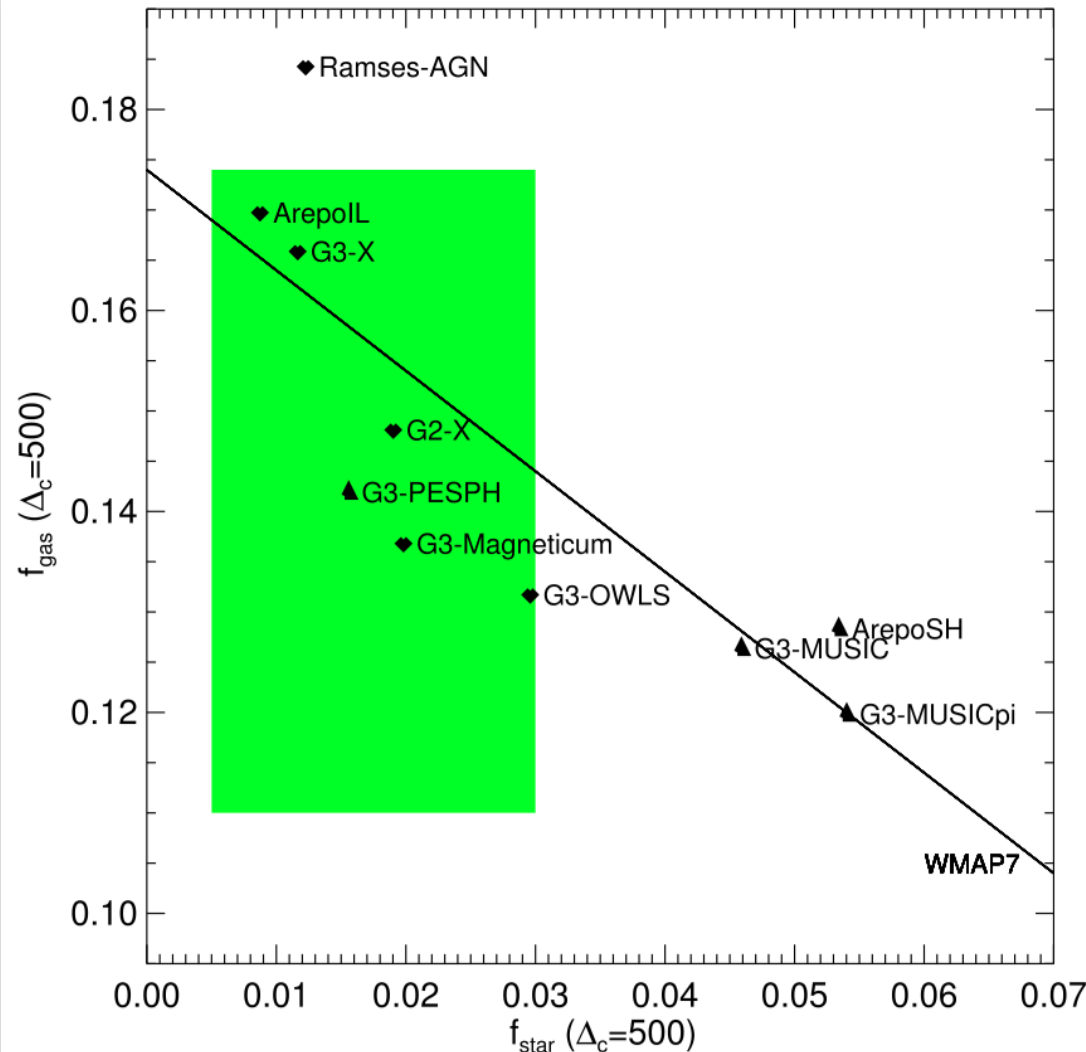
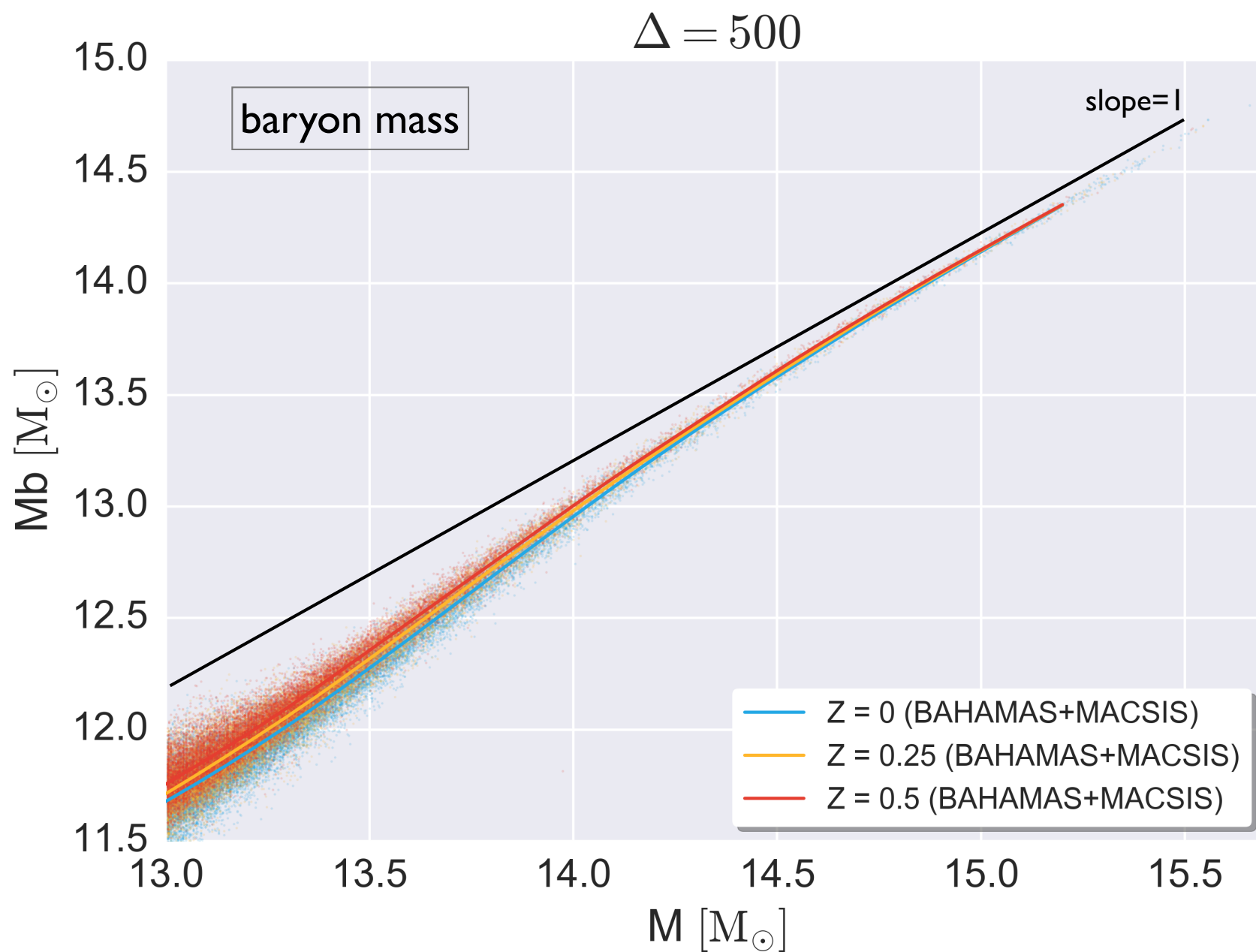
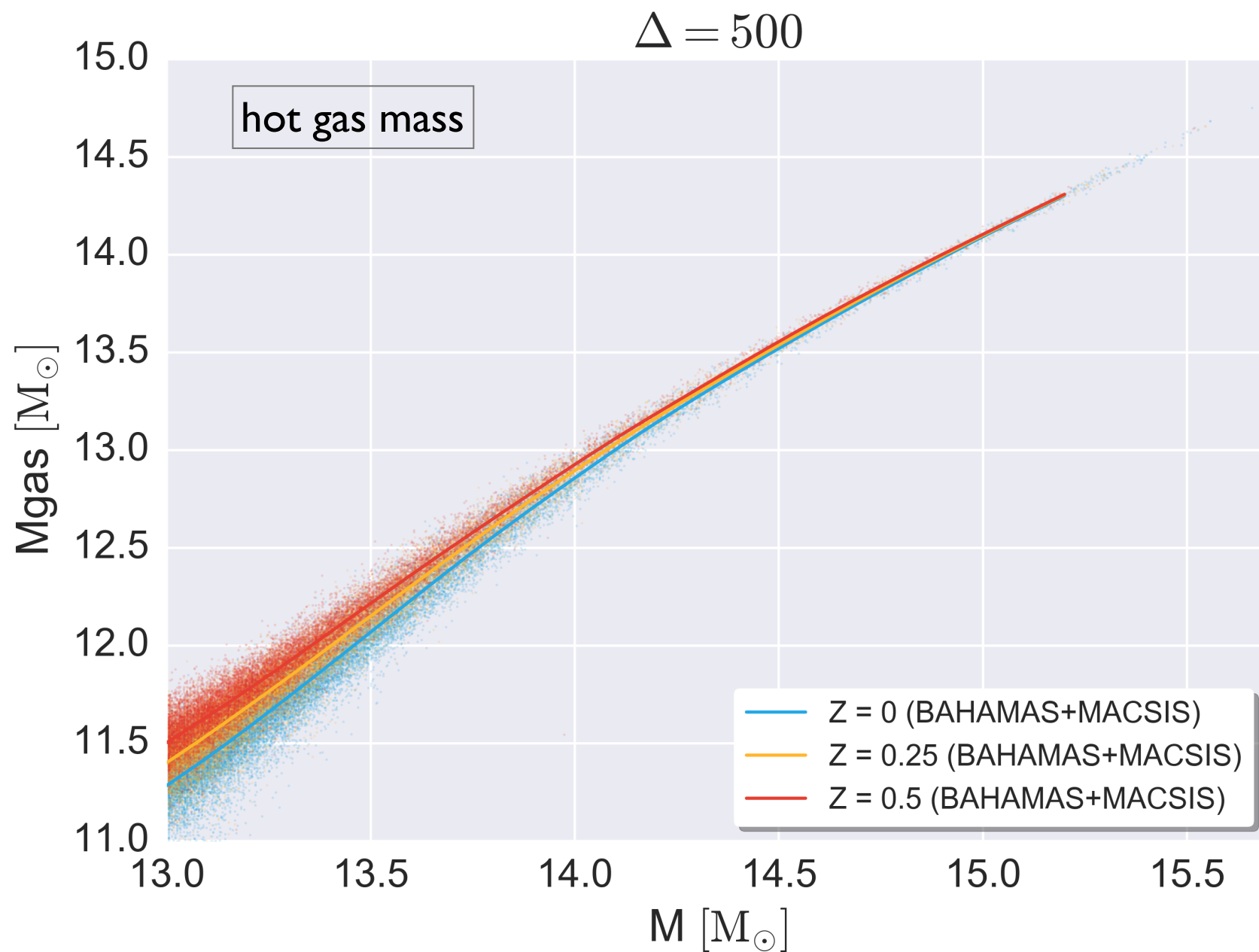
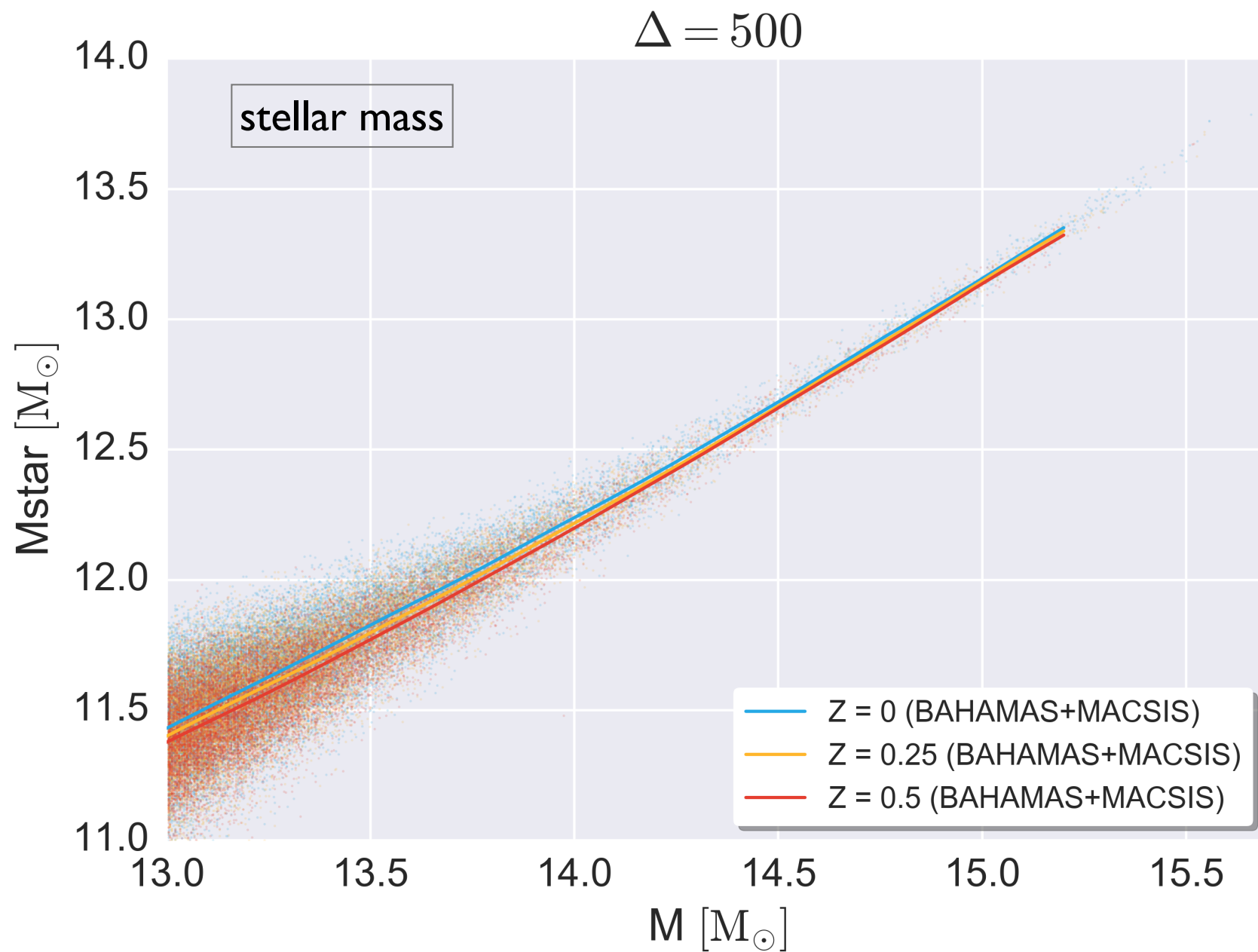


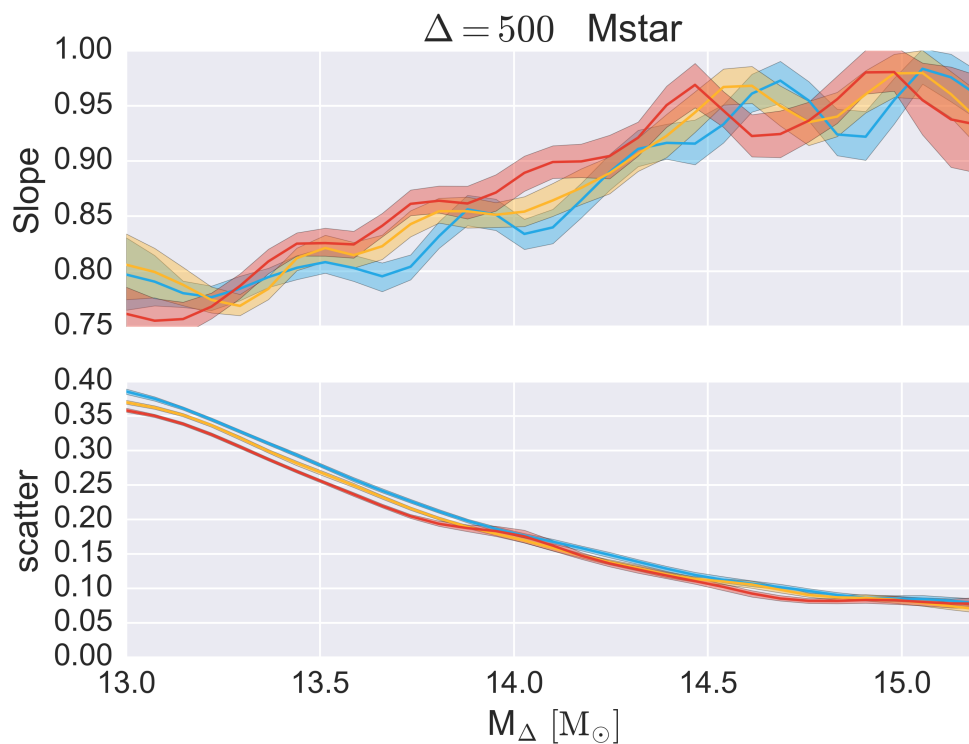
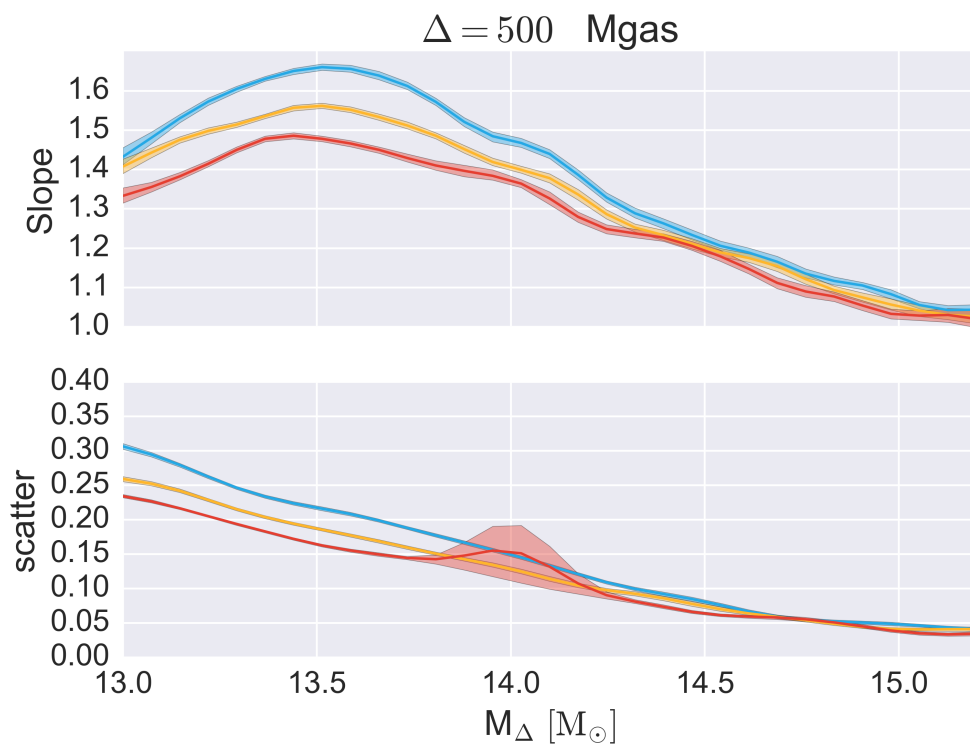
Figure 1. Values of f_{gas} and f_{star} as calculated at $\Delta_c = 500$ for the different codes. The green area corresponds to the phase space supported by observations. Codes including AGN feedback are represented as diamonds, codes not including AGN feedback as triangles. The diagonal line shows the relation $f_{\text{gas}} + f_{\text{star}} = 0.174$, the value of the cosmic ratio according to *WMAP7*.



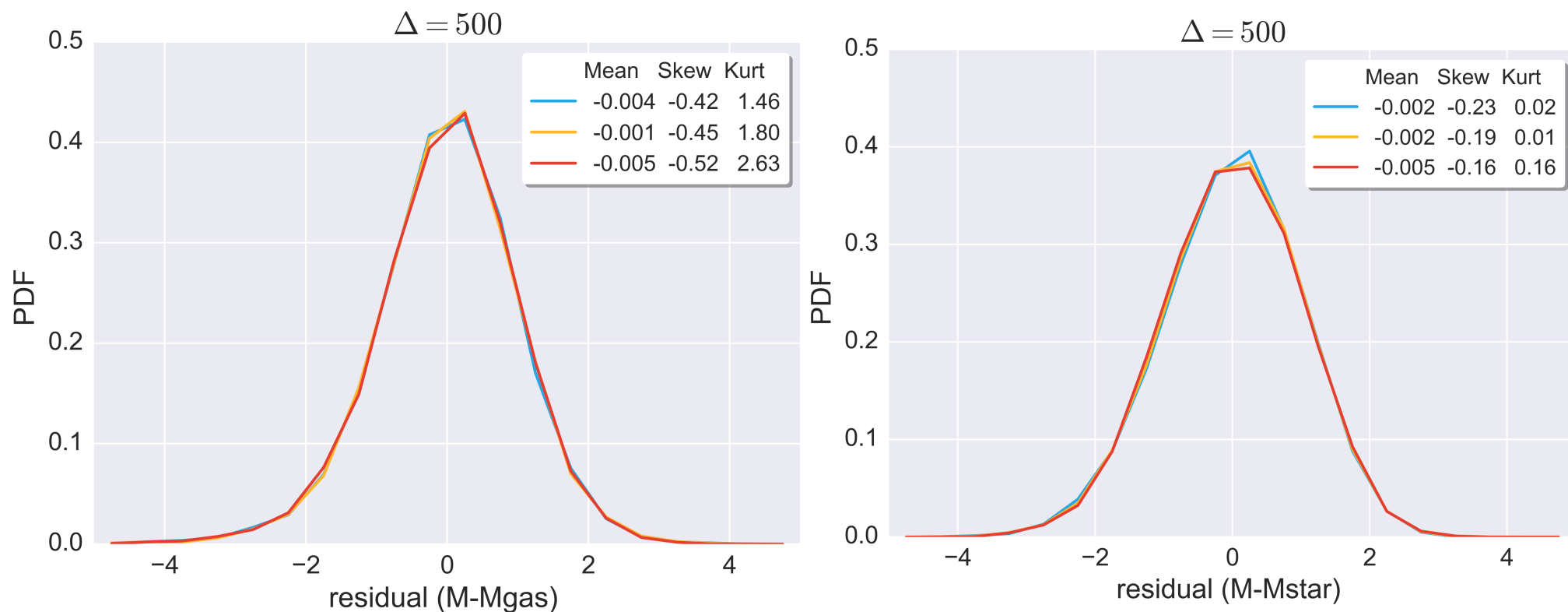




localized, linear regression (0.1 dex gaussian in halo mass)

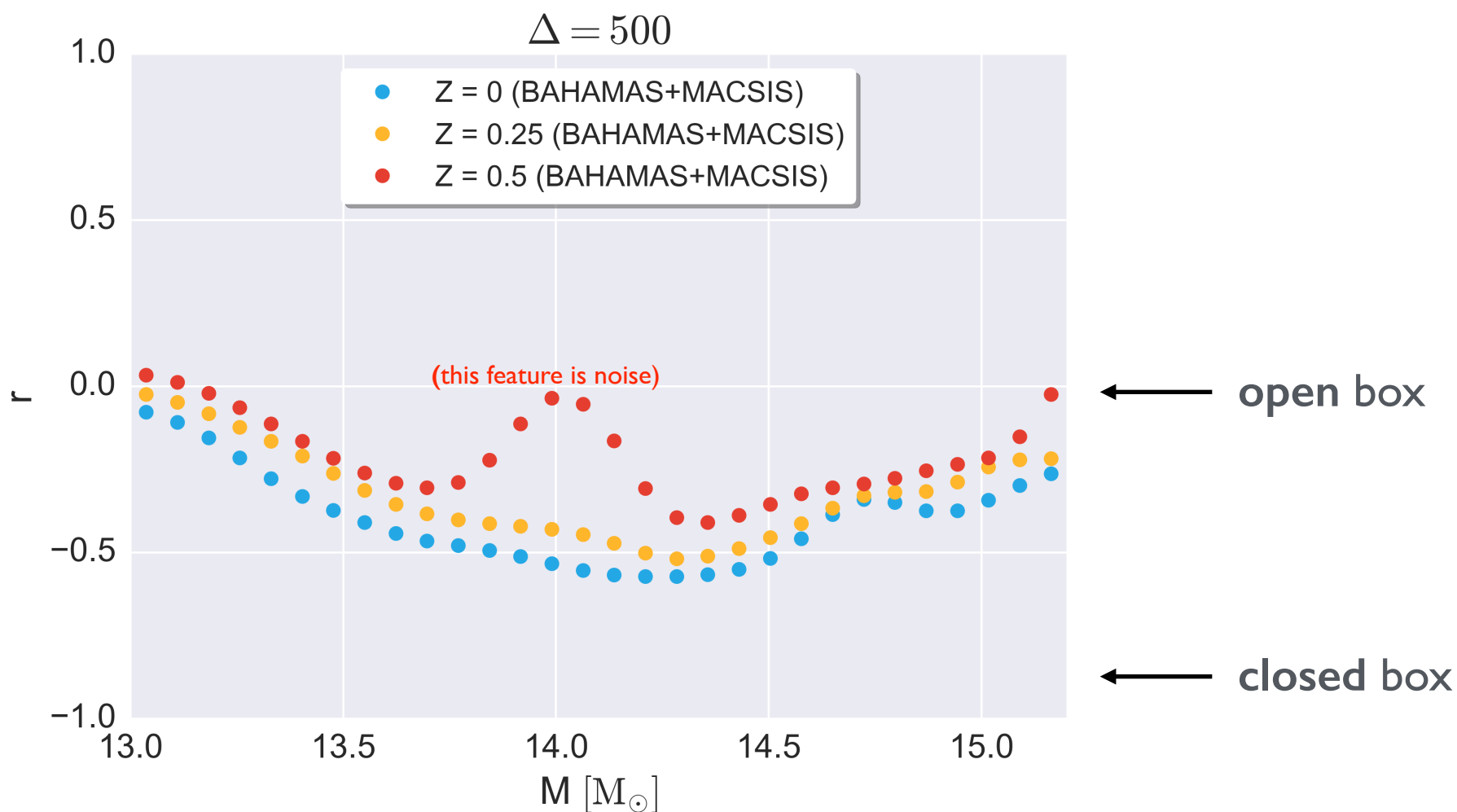


log-normal PDFs of properties around their means

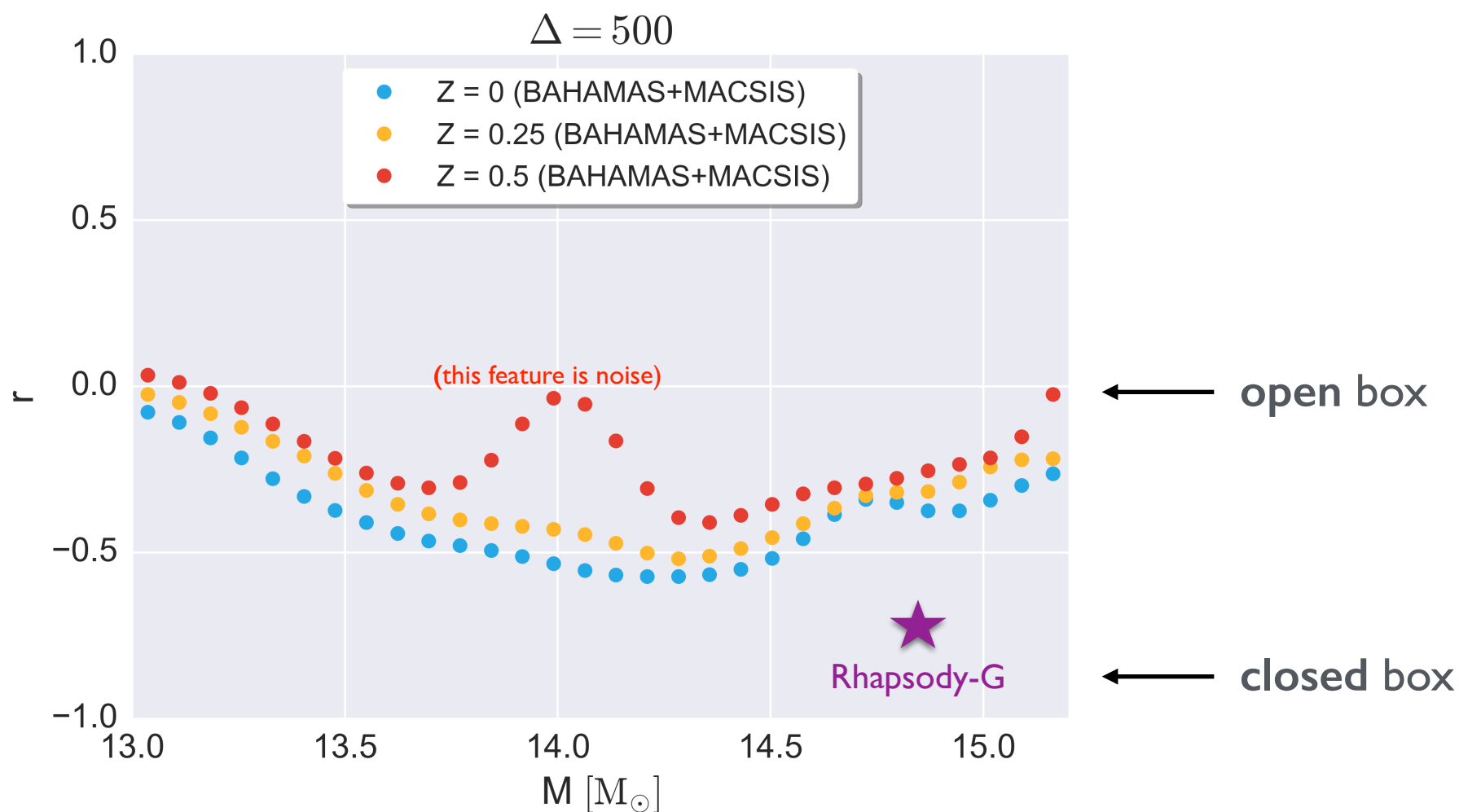


~60,000 halos !

covariance of hot gas + stellar mass at fixed halo mass



covariance of hot gas + stellar mass at fixed halo mass



Statistics of $\sim 60k$ group/cluster halos at low redshift show:

- $\sim$ linear (in $\log M$) running of slope and scatter in gas + stellar mass fractions
- log-normal PDF of scatter
- covariance of hot + cold baryon phases trends with mass
 - groups are $\sim$ open ($r \sim 0$)
 - intermediate mass clusters approx. closed ($r \sim -0.5$)
 - high mass clusters have $r \sim 0$ due to very small scatter in each component
(tension with Rhapsody-G results*)

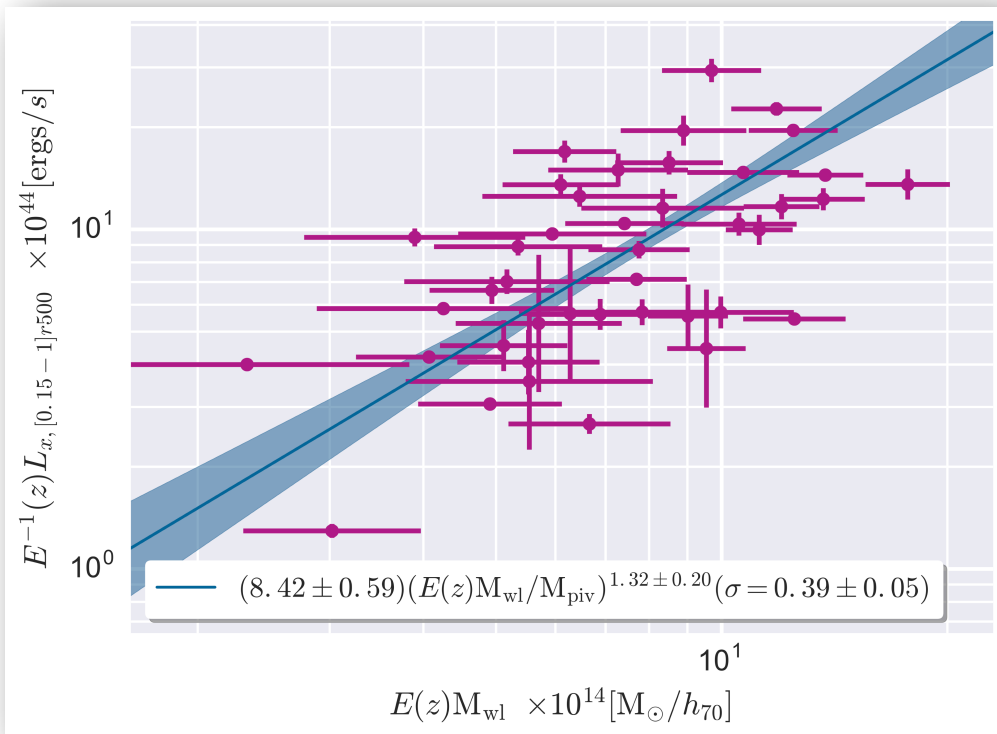
* Need observational constraints on intrinsic scatter of baryonic mass in high mass halos.

LoCuSS: scaling relations & property covariance

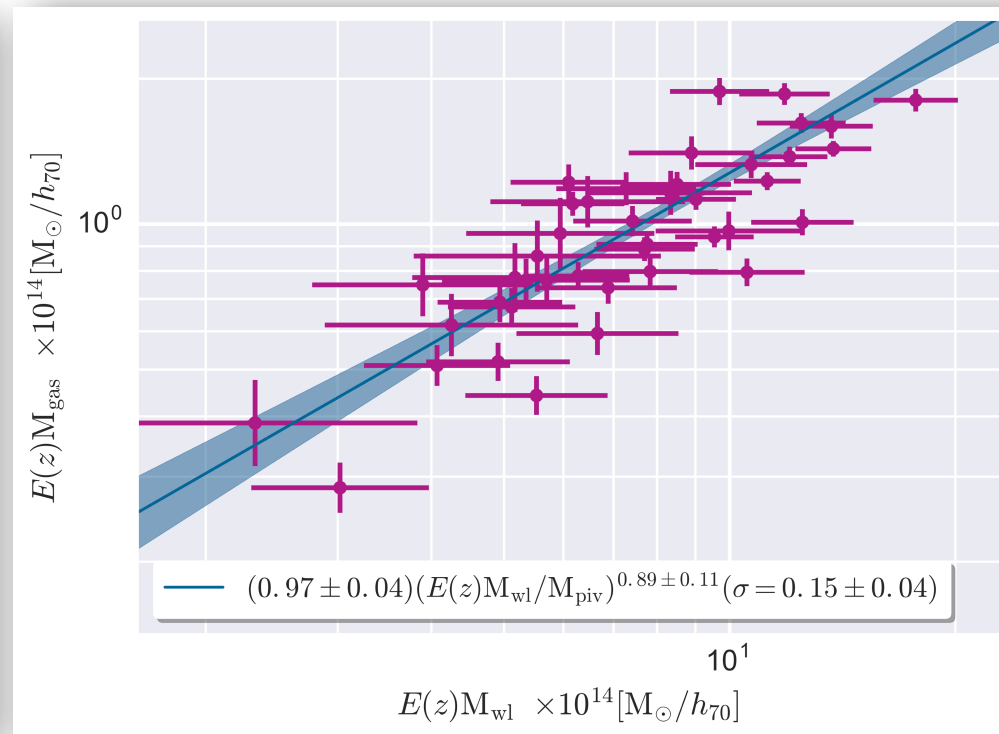
LoCuSS: 42 (RASS-selected) clusters w/ multi-wavelength follow-up

Mulroy, Smith, Farahi et al, in prep.

Hot gas – weak lensing mass relations



Lx : slope 1.32 ± 0.20
scatter 0.39 ± 0.05

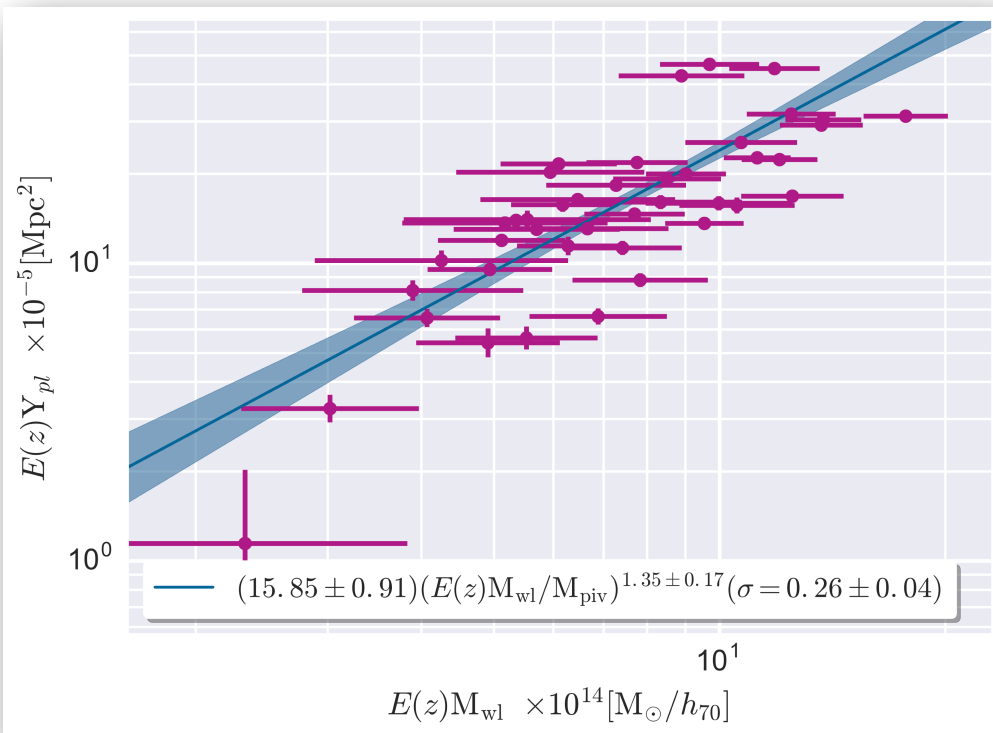


Mgas : slope 0.89 ± 0.11
scatter 0.15 ± 0.04

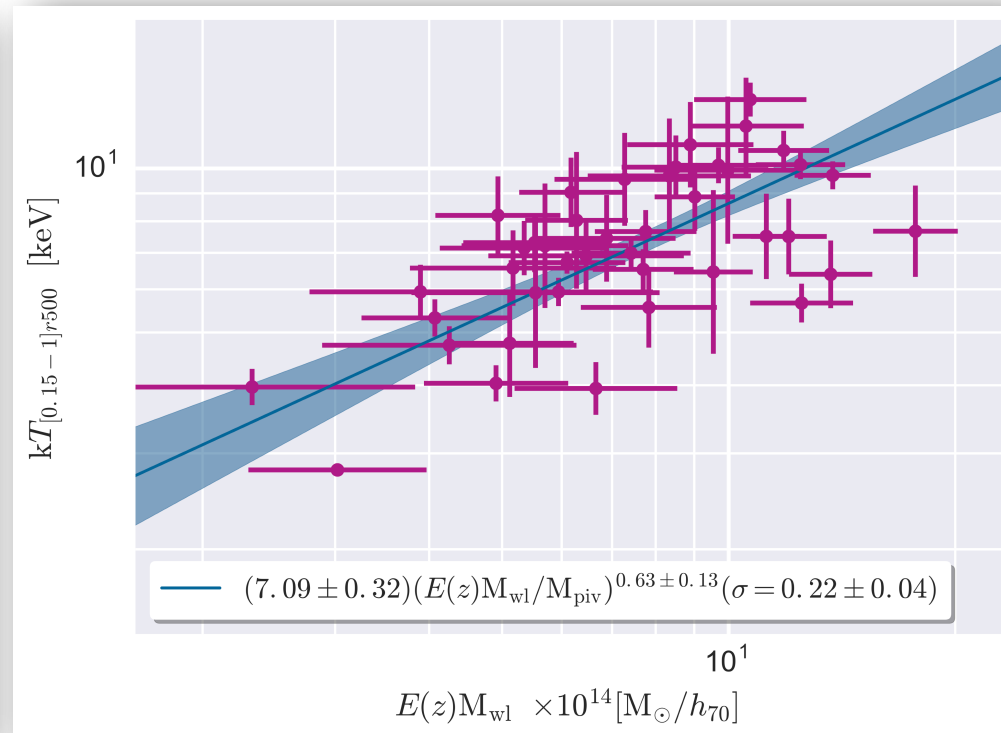
LoCuSS: 42 (RASS-selected) clusters w/ multi-wavelength follow-up

Mulroy, Farahi et al, in prep.

Hot gas – weak lensing mass relations



Y_{pl} : slope 1.35 ± 0.17
scatter 0.26 ± 0.04

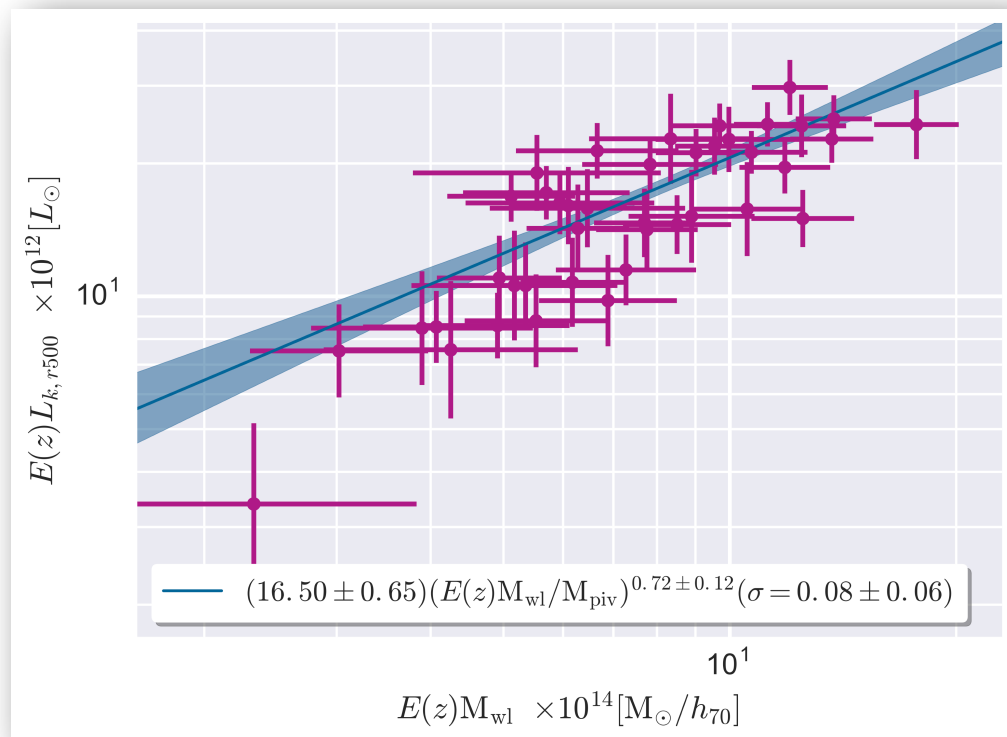


kT : slope 0.63 ± 0.13
scatter 0.22 ± 0.04

LoCuSS: 42 (RASS-selected) clusters w/ multi-wavelength follow-up

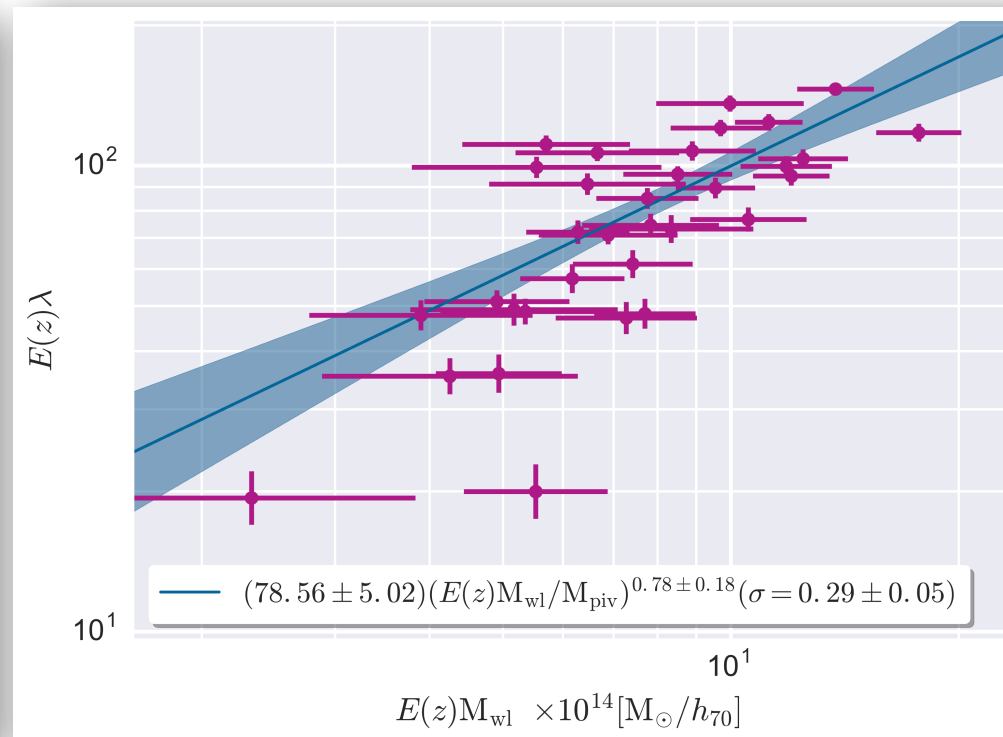
Mulroy, Farahi et al, in prep.

Galaxy – weak lensing mass relations



Lk : slope 0.72 ± 0.12
scatter 0.08 ± 0.06

see Mulroy et al (2014)

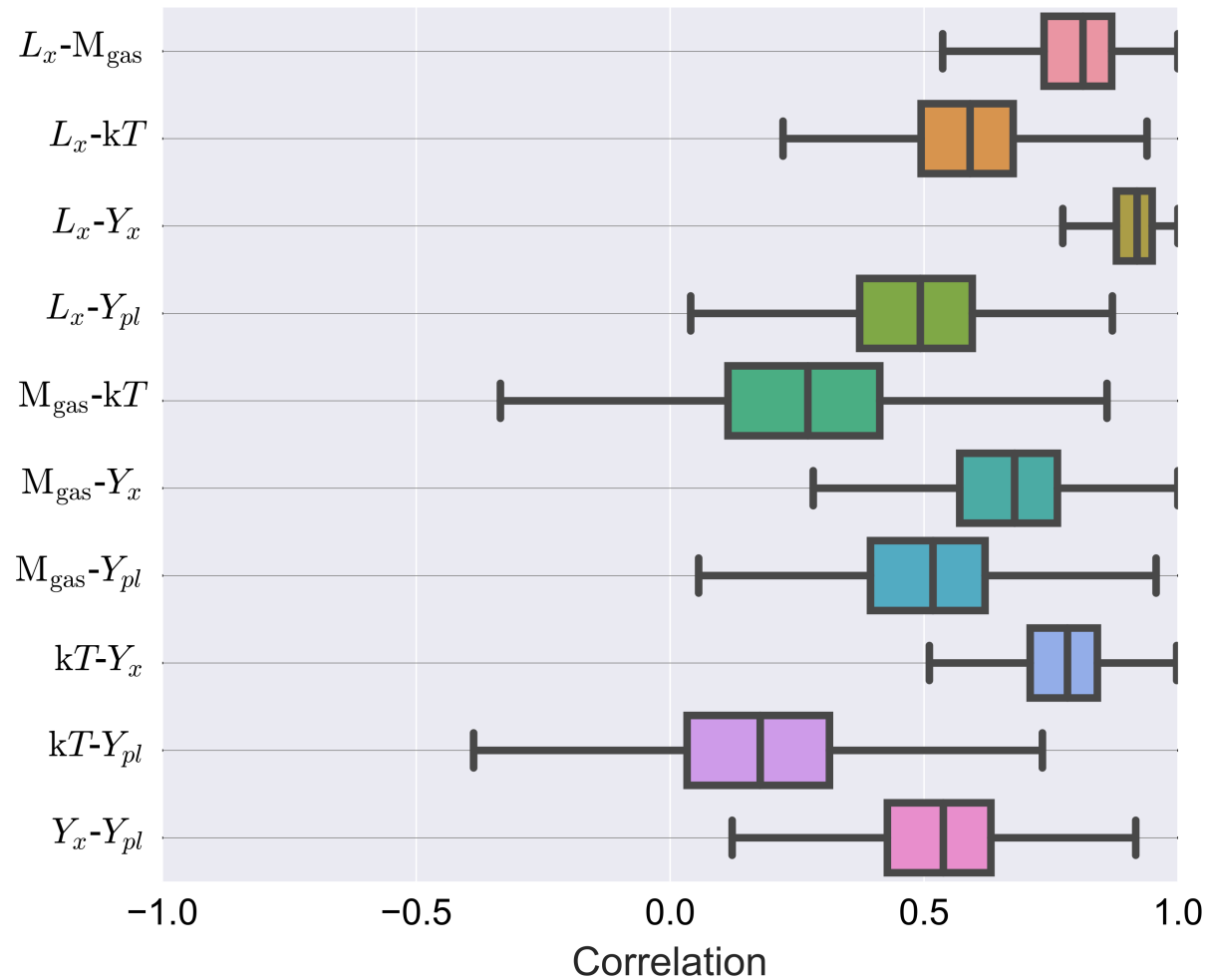


λ : slope 0.78 ± 0.18
scatter 0.29 ± 0.05

off-diagonal correlation coefficients

Mulroy, Farahi et al, in prep.

hot gas covariance

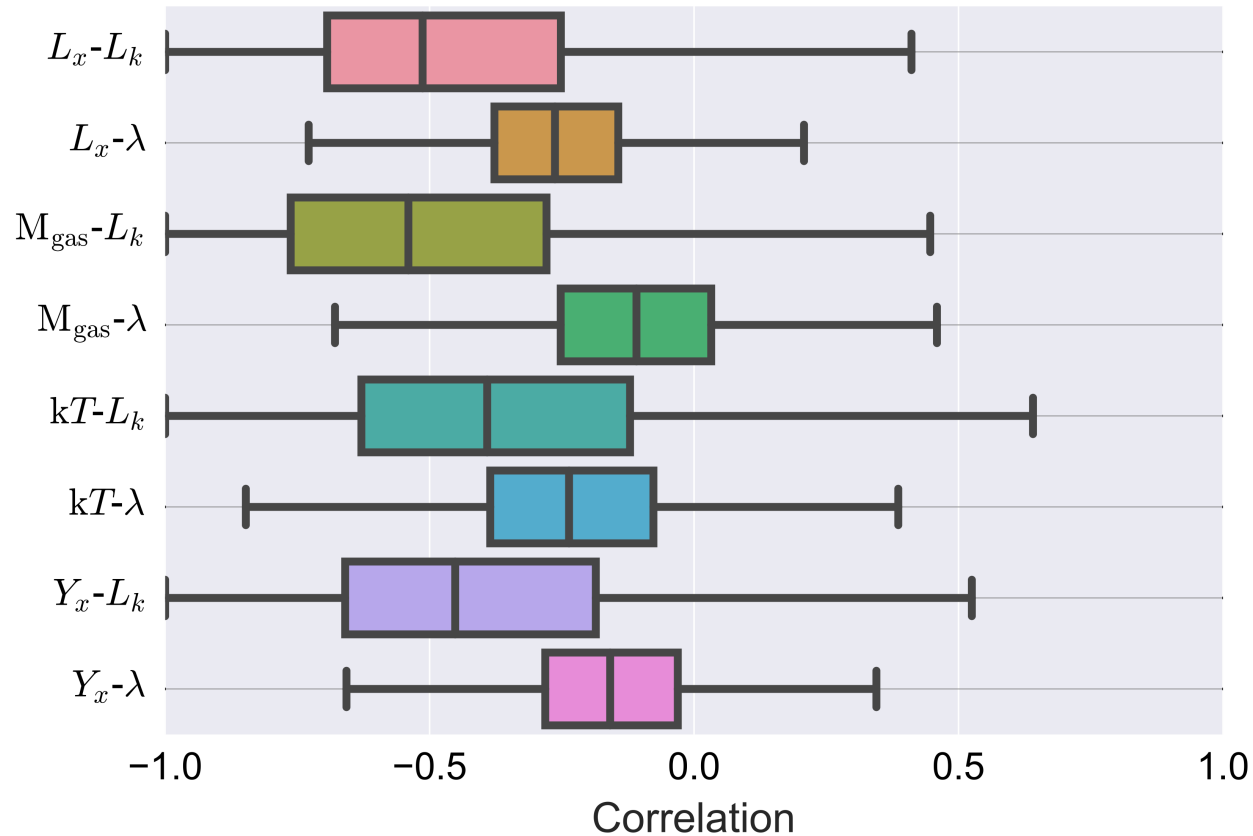


mostly positive
correlations
(see Mantz et al 2016)

off-diagonal correlation coefficients

Mulroy, Farahi et al, in prep.

hot gas – galaxy covariance



preliminary
evidence for
anti-correlation
of hot and cold
phase baryons! :)

supports ~closed box
baryonic nature of high
mass halos predicted
by simulations

Dark Energy Survey

X-ray – optical scaling

Study dark energy/cosmic acceleration with four techniques

- + Galaxy cluster counts and clustering
- + Galaxy power spectrum
- + Weak lensing / cosmic shear
- + SN Ia

Two linked, multi-band optical surveys

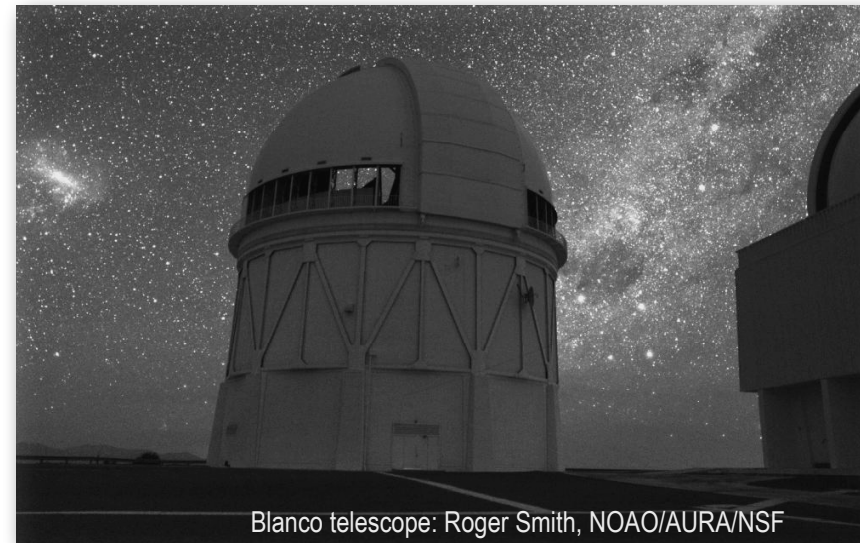
5000 deg² *g r i z Y* bands to mag~23.5
Repeated observations of 30 deg² (10 SN fields)

Galaxy cluster science pubs

DES-SV redMaPPer catalog (Rykoff et al 2016)
Stacked weak lensing masses (Melchior et al 2016)
Six DES-SV strong lensing systems (Nord et al 2016)
Mass-richness for joint DES-SV+SPT sample (Saro et al 2015)

Associated multi-wavelength surveys

X-ray (Chandra + XMM)
South Pole Telescope
OzDES : 100 night spectroscopic follow-up (SN+)



rogue's gallery of DES-SV clusters - *many more where these came from!*

$z=0.30$
Bullet Cluster



$z=0.40$
SPT-CL J2351-5452



$z=0.87$
"El Gordo"



Images: Eli Rykoff (SLAC)

$z=0.53$
SCSO J2336-5352



$z=0.76$
DES J0449-5909



New!

$z=0.83$
DES J0250+0008



New!

DES redMaPPer SVA1 cluster sample

Rykoff, Rozo + DES, 2016

redMaPPer – a
matched-filter
likelihood method
small training set of
spectroscopic redshifts
sets the red sequence
location

DES-SV samples

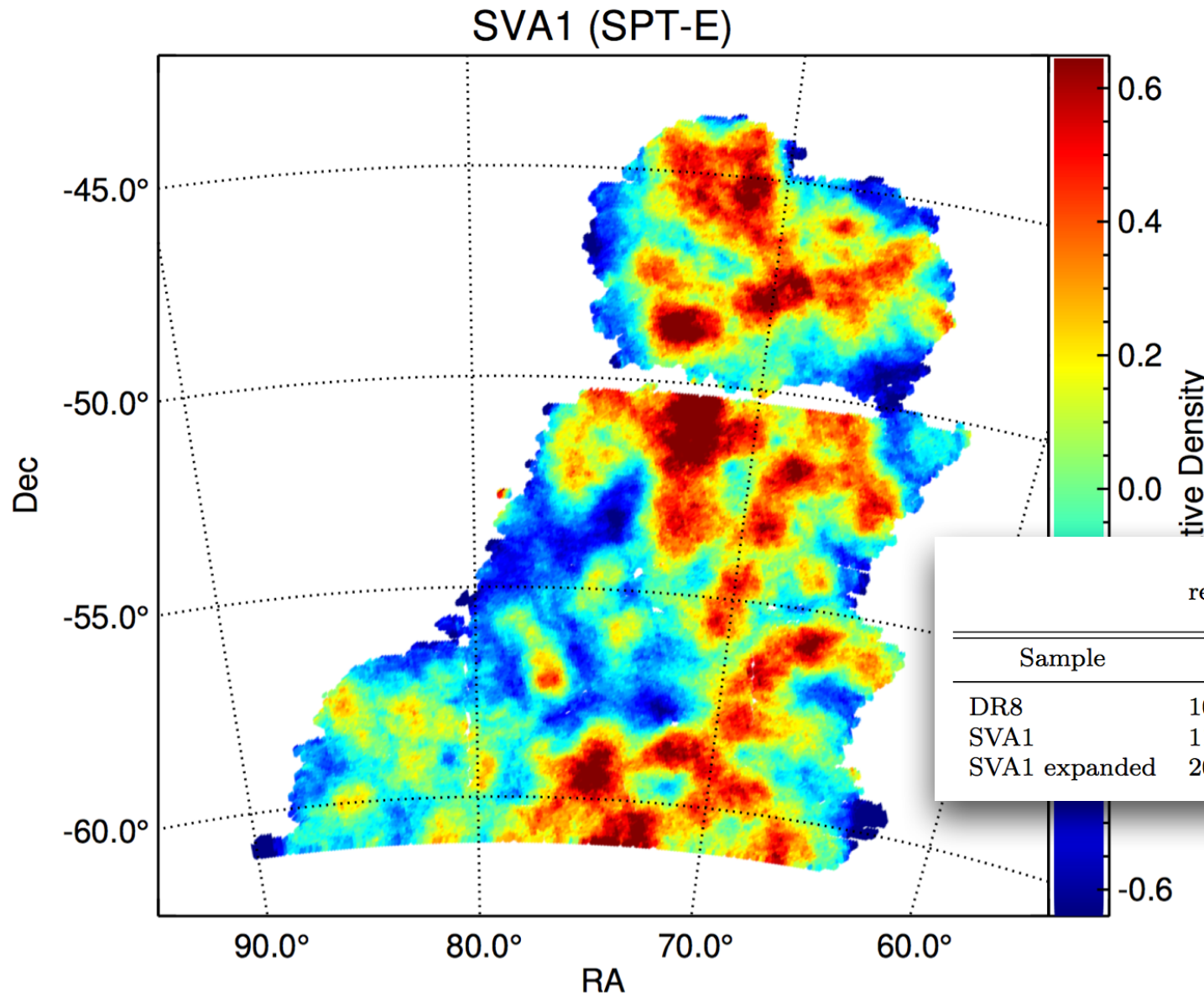
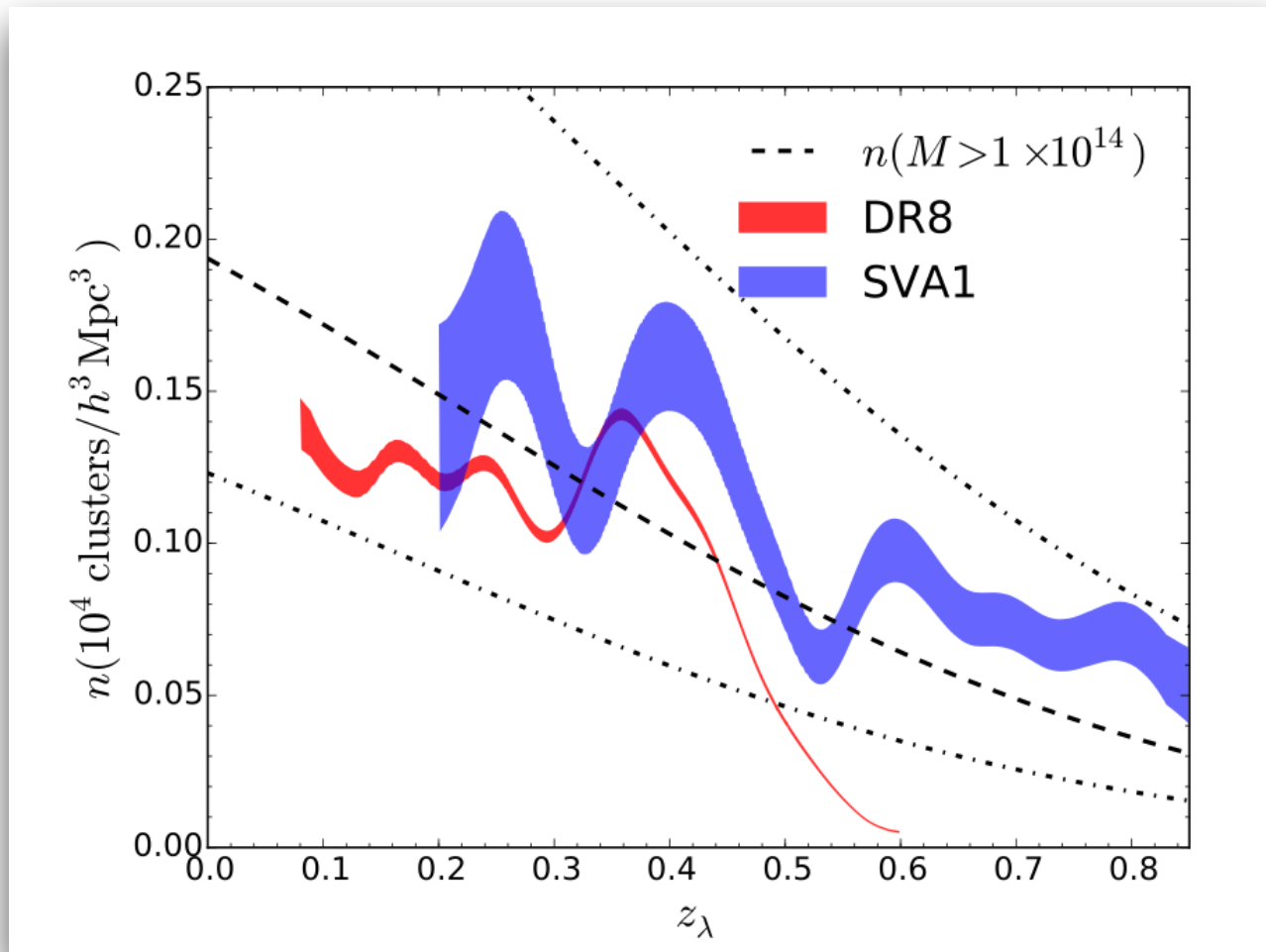


Table 1
redMaPPer Cluster Samples

Sample	Area	Redshift Range	No. of Cluster
DR8	10134 deg ²	$0.08 < z_{\lambda} < 0.6$	26308
SVA1	116 deg ²	$0.2 < z_{\lambda} < 0.9$	804
SVA1 expanded	208 deg ²	$0.2 < z_{\lambda} < 0.9$	1414

redMaPPer: DES-SVA1 + SDSS-DR8 cluster number densities

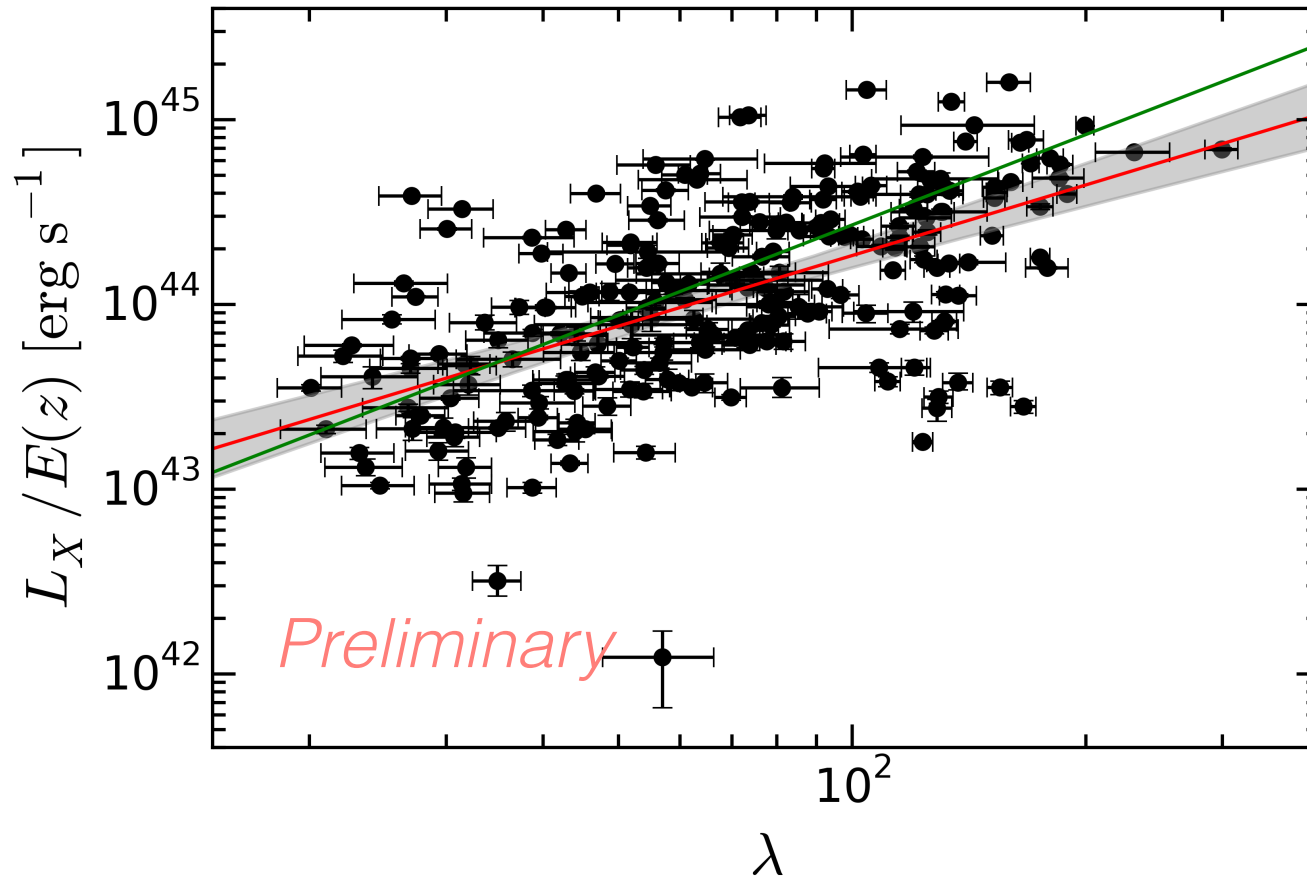
Rykoff, Rozo + DES, 2016



clusters with $\lambda > 20$

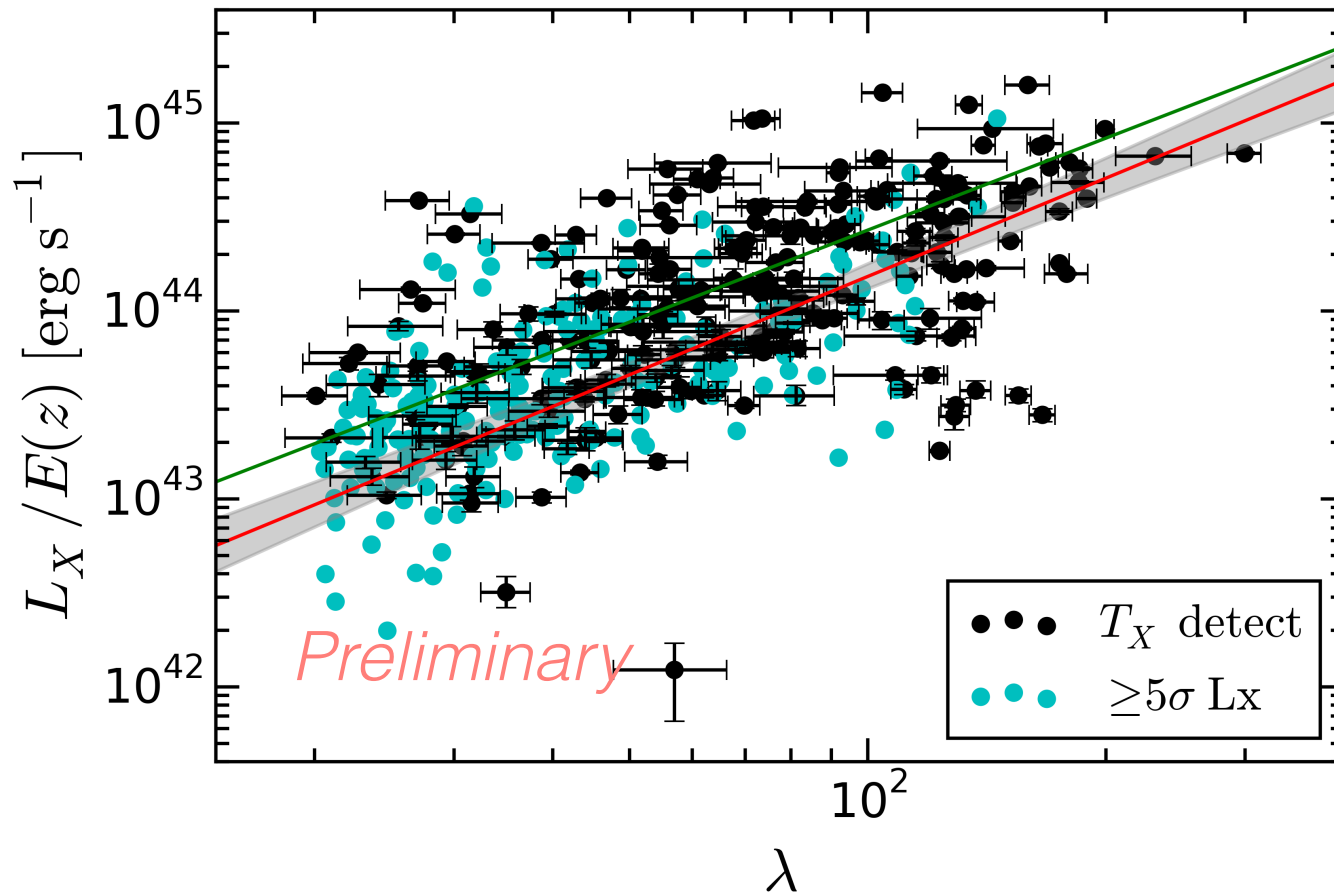
~follow the space density of 10^{14} Msun halos in LCDM cosmology (not a design feature)

local variations from cosmic variance (DES) and Malmquist bias



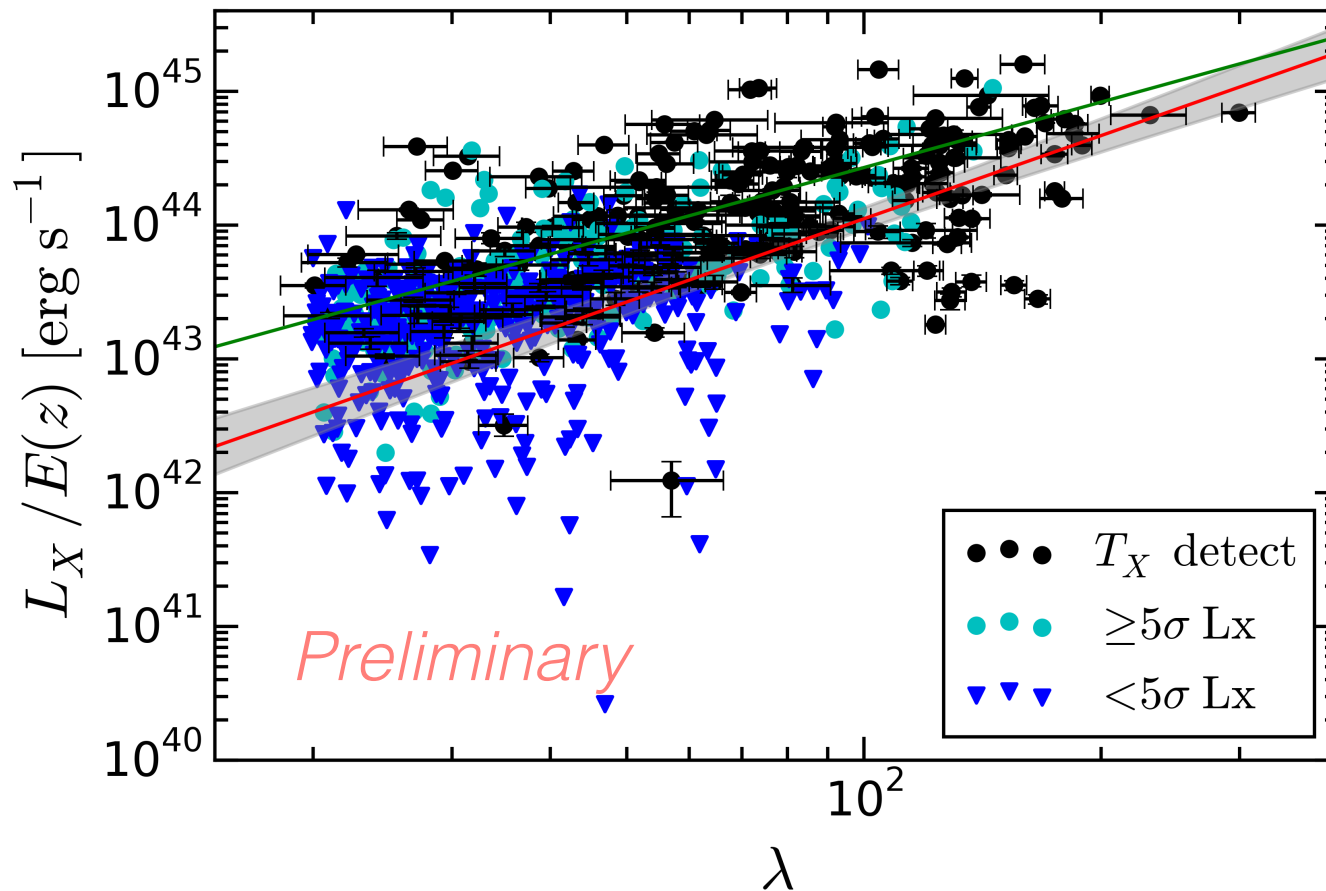
Tx-detected systems

Lx- λ
 slope 1.27 ± 0.11
 scatter 0.95 ± 0.05



T_X -detected systems
 L_X detected (5sigma)

$L_X - \lambda$
 slope 1.74 ± 0.10
 scatter 1.01 ± 0.05



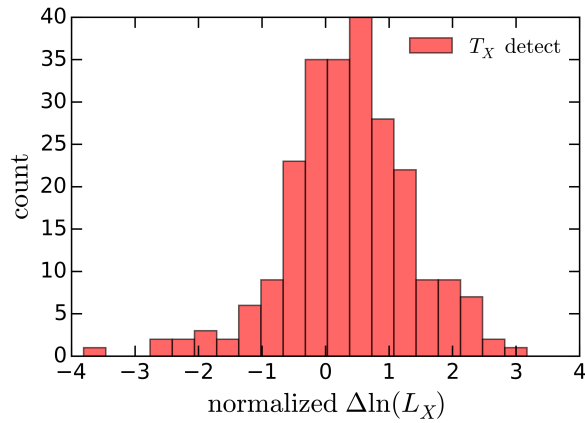
T_X -detected systems
 L_X detected (5σ)
 L_X upper limit ($<5\sigma$)

$L_X - \lambda$
 slope 2.07 ± 0.13
 scatter 1.26 ± 0.05

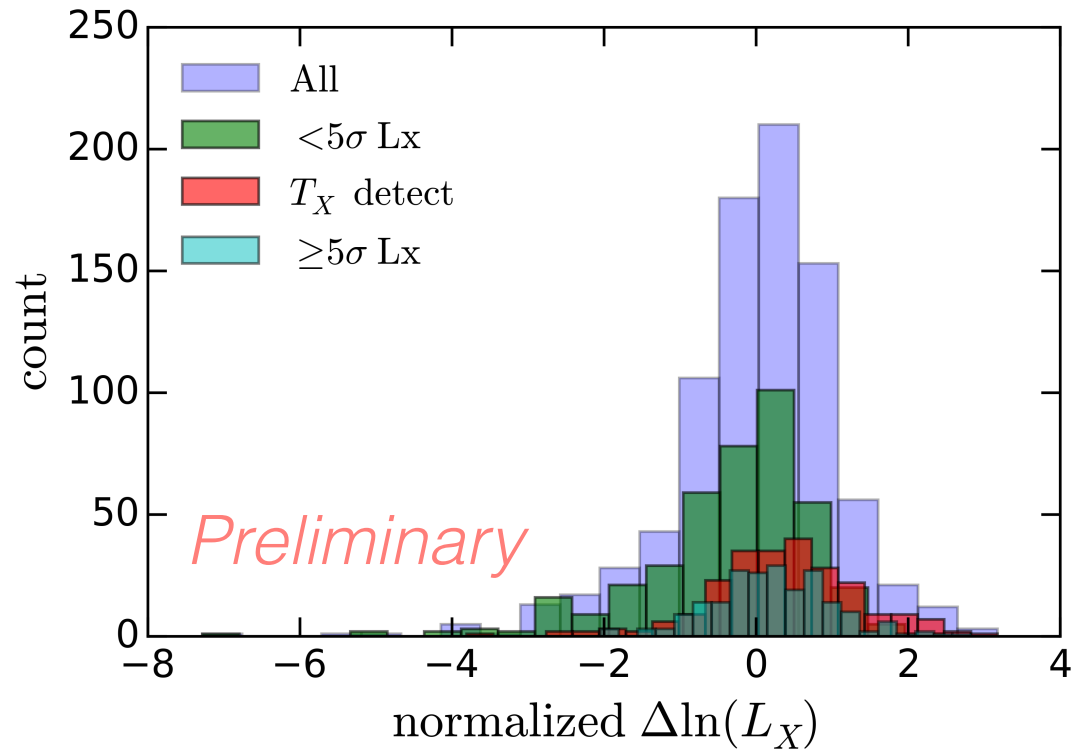
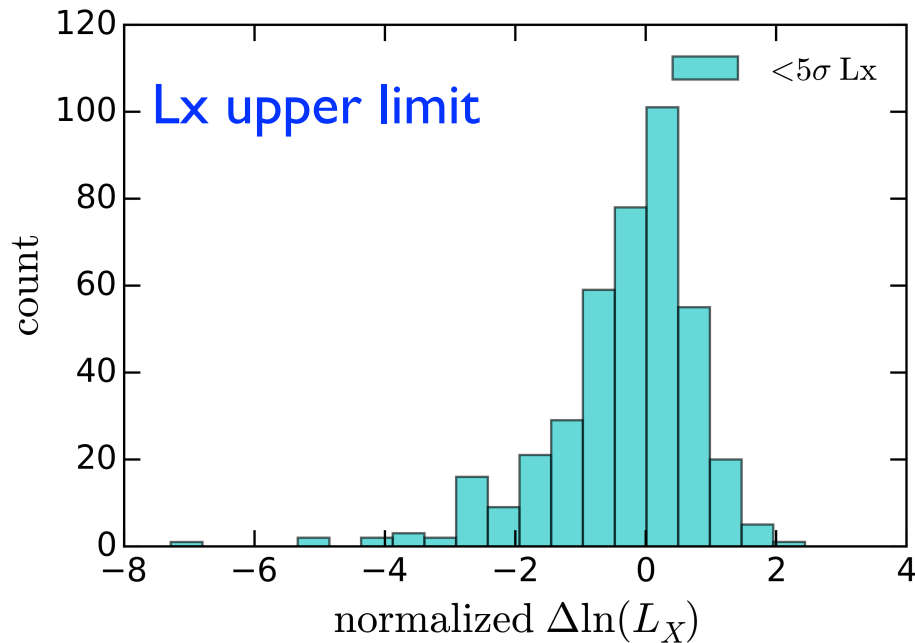
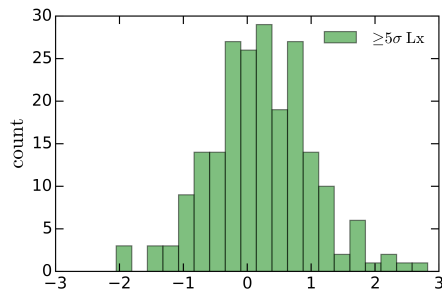
DES redMaPPer + Chandra archive search: residuals

Hollowood + DES, in prep.

T_X-detected



L_x detected

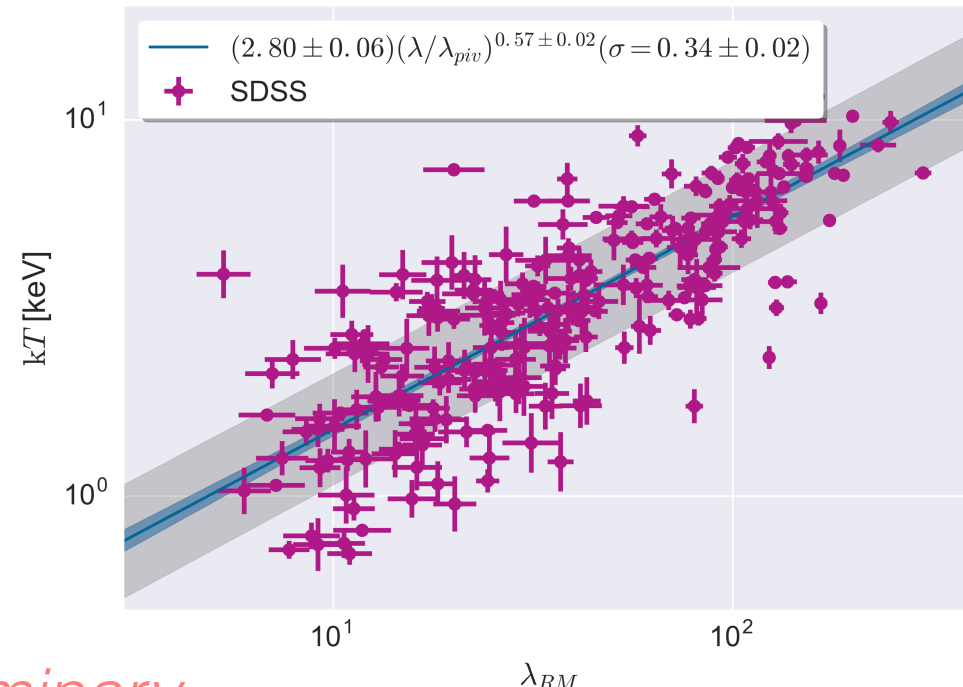
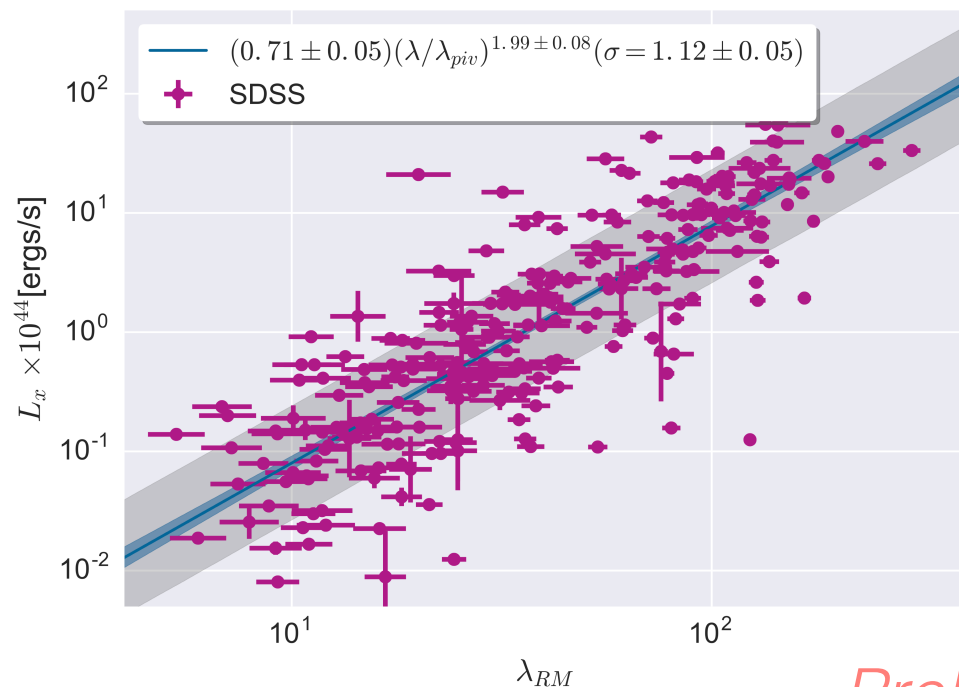


SDSS

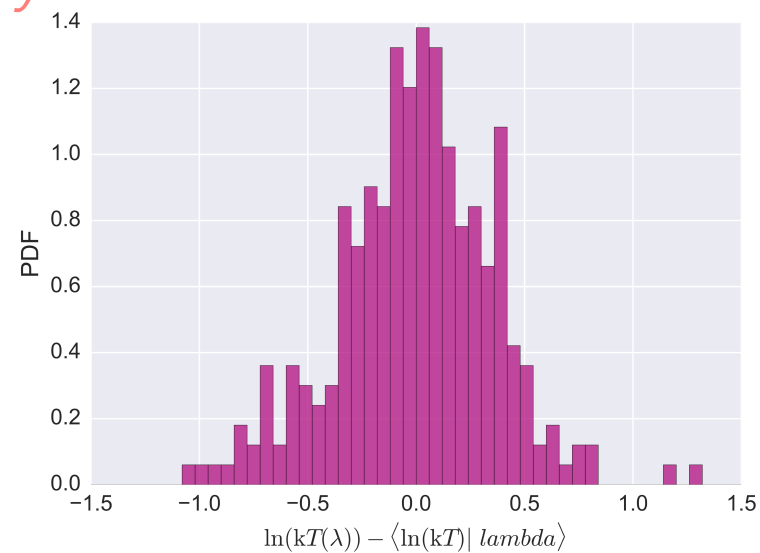
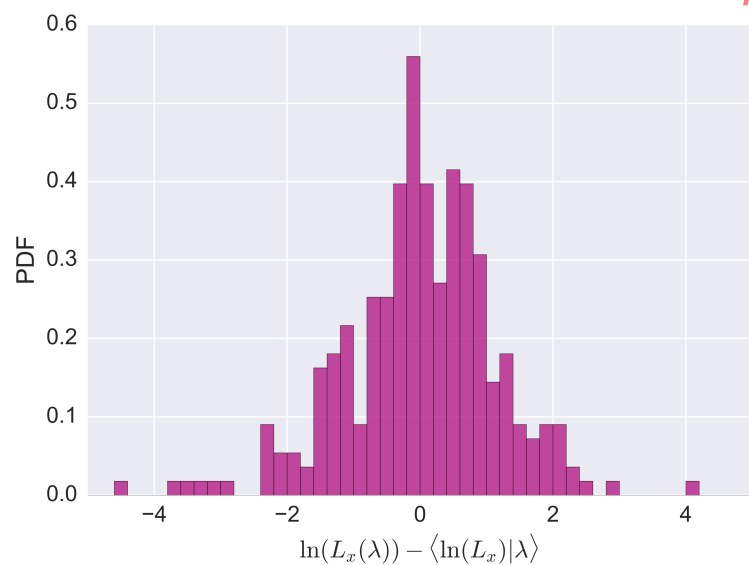
X-ray – optical scaling

SDSS redMaPPer + XMM archive (XCS)

Bermeo, Romer, et al. (in prep.)

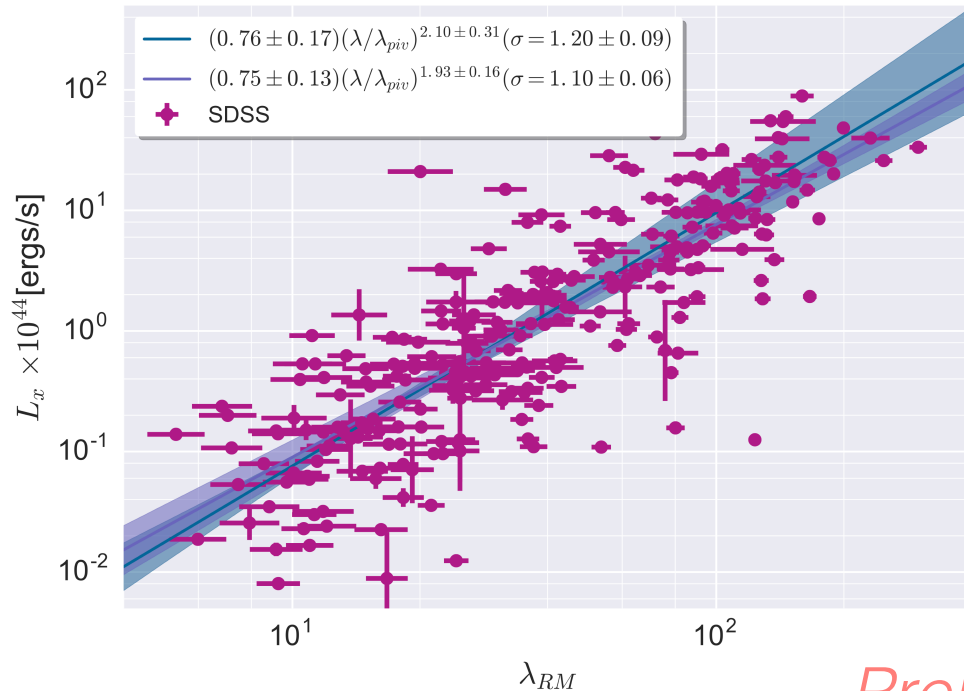


Preliminary



SDSS redMaPPer + XMM archive (XCS)

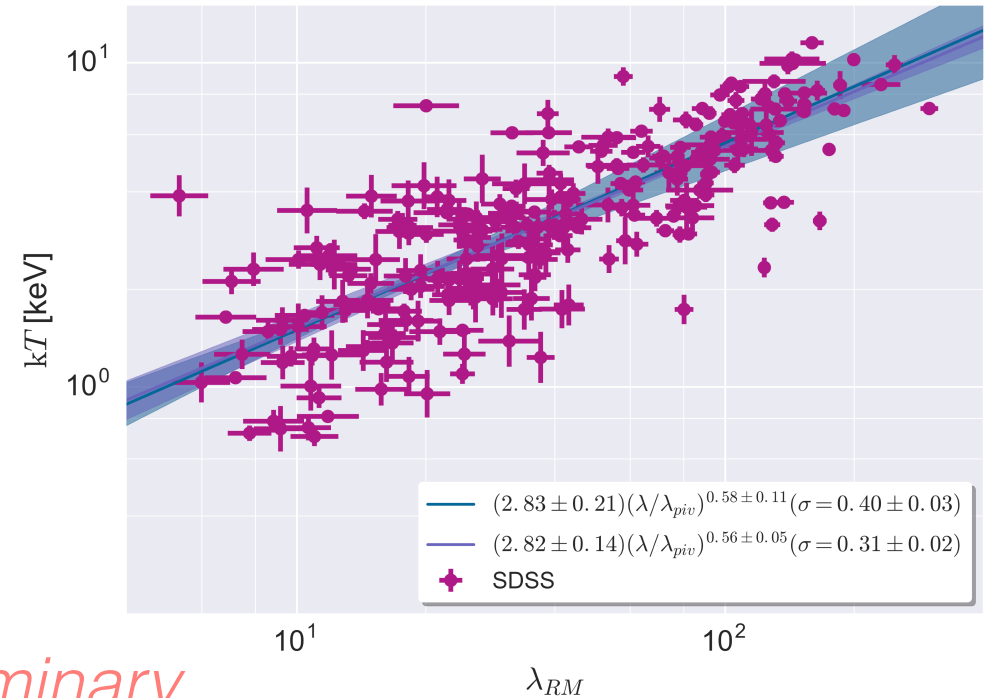
Bermeo, Romer, et al. (in prep.)



$L_x - \lambda$

groups, $\lambda < 30$: slope 2.10 ± 0.31
 scatter 1.20 ± 0.09
 clusters, $\lambda \geq 30$: slope 1.93 ± 0.16
 scatter 1.10 ± 0.06

Preliminary



$T_x - \lambda$

groups, $\lambda < 30$: slope 0.58 ± 0.11
 scatter 0.40 ± 0.03
 clusters, $\lambda \geq 30$: slope 0.56 ± 0.05
 scatter 0.31 ± 0.02



A multi-wavelength statistical model
of the group / cluster population?

Cool!

Looking forward to seeing how the
measured slopes and scatter of
observable properties can be
combined to reveal underlying
behaviors with respect to halo mass

$$\begin{aligned}\langle s_b | s_a \rangle_1 &= \pi_b + \alpha_b [\langle \mu | s_a \rangle_1 + \beta_1 r_{ab} \sigma_{\mu|a,1} \sigma_{\mu|b,1}] \\ \sigma_{b|a,1}^2 &= \alpha_b^2 [\sigma_{\mu|a,1}^2 + \sigma_{\mu|b,1}^2 - 2r_{ab} \sigma_{\mu|a,1} \sigma_{\mu|b,1}]\end{aligned}$$

The End